

Magnetization Dynamics II: Magnonics: Trends and Challenges

Burkard Hillebrands

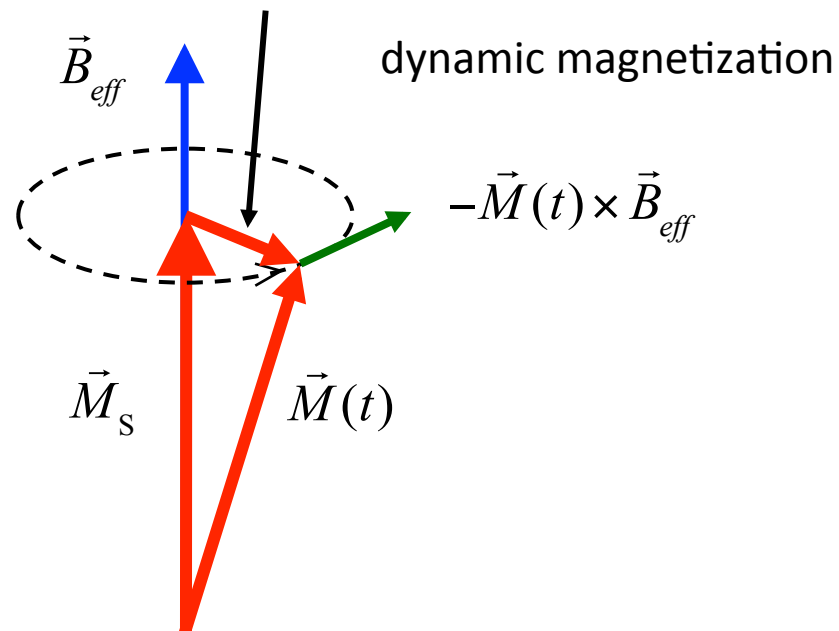
Fachbereich Physik and Landesforschungszentrum OPTIMAS,
Technische Universität Kaiserslautern, Germany

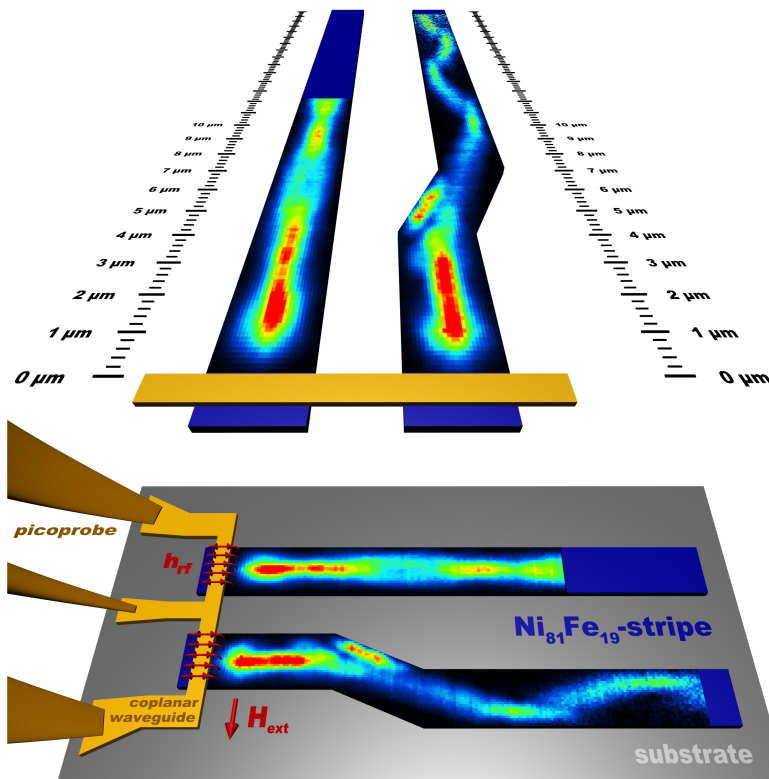


Landau-Lifshitz torque equation

$$\frac{1}{|\gamma|} \frac{d\vec{M}(t)}{dt} = -\vec{M}(t) \times \vec{B}_{eff}(t) + \frac{\alpha}{M_s} \vec{M}(t) \times \frac{d\vec{M}(t)}{dt}$$

$$\vec{m}(\vec{r}, t) = \vec{m}_0(\vec{r}) \times e^{i(\vec{k}\vec{r} - \omega t)}$$



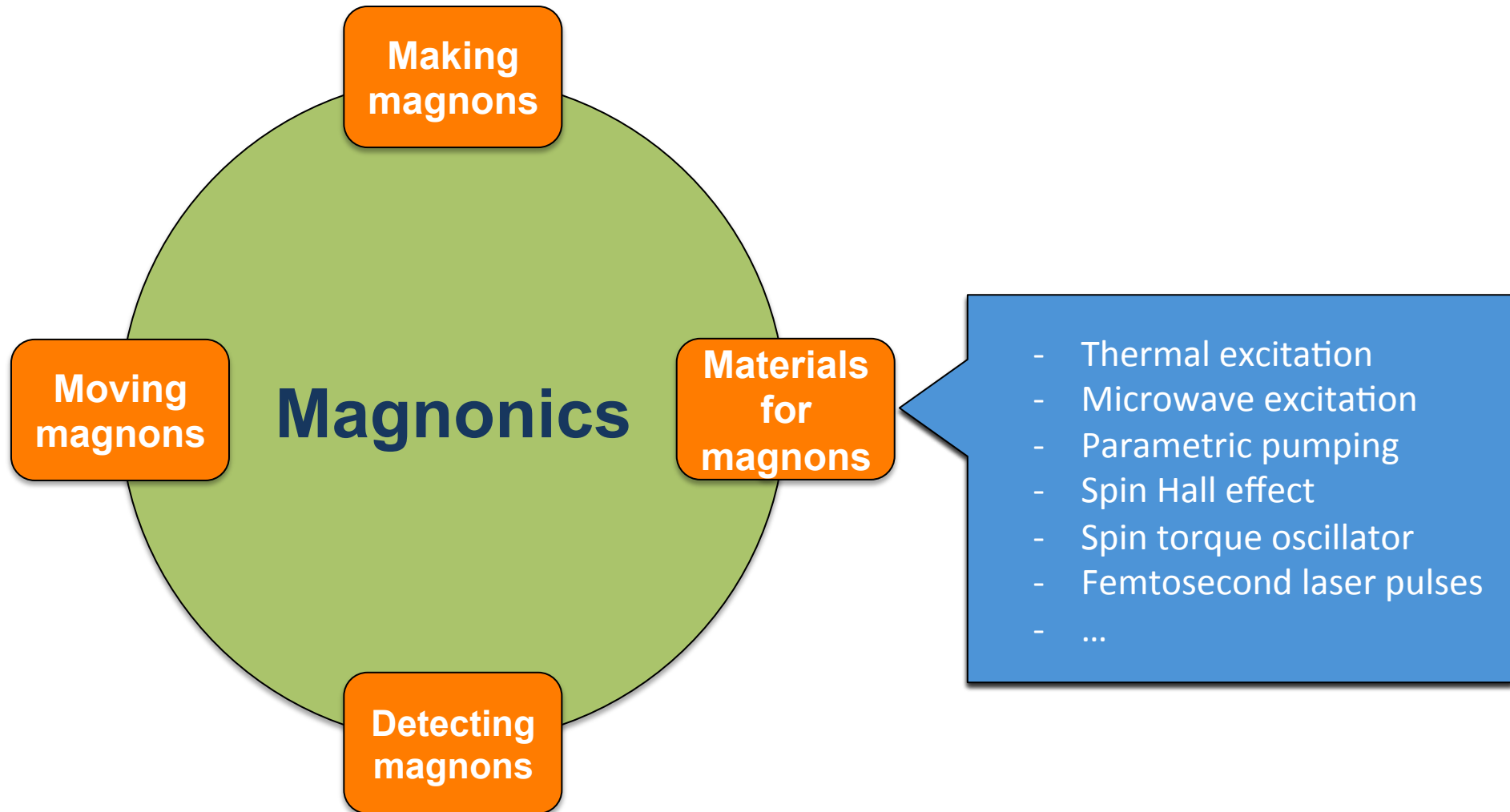


Travelling magnons allow one to:

- **transfer** spin information over **centimeter** distances
- **process** the information (using wave nature of magnon)
- **operate** in **insulator**-based technology

Fundamental properties:

- Minimal wavelength is down to **several nm**
- Frequency is in GHz and up to the **THz range**
- **Energy:** $E_{\text{magnon}} \ll k_B T$
- **Lifetime:** up to several 100 ns



Kaiserslautern PI Team



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V. Vasyuchka



A. Serga



B. Leven

Main External Collaborators

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G.A. Melkov (National Taras Shevchenko University of Kiev, Ukraine)

A.N. Slavin (University of Rochester, Michigan, U.S.A.)

A. Karenowska (Oxford University, U.K.)

M. Kostylev (University of Western Australia)



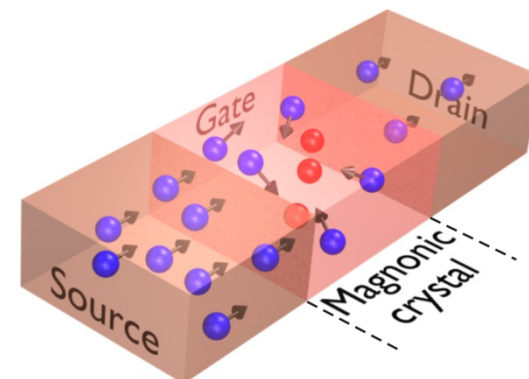
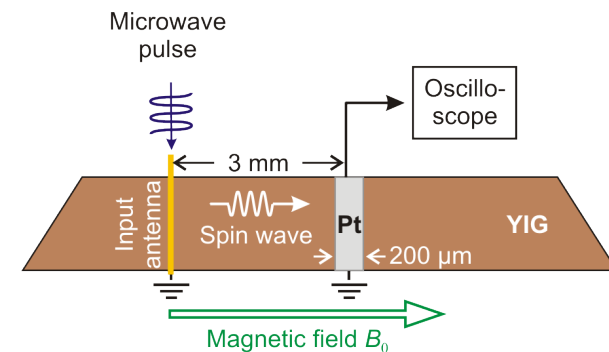
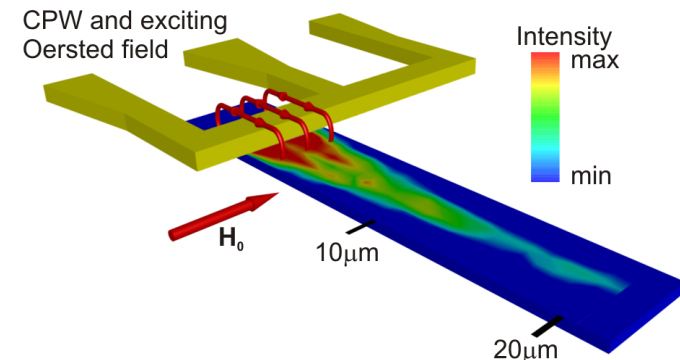
D. A. Bozhko, Dr. M. Agrawal, T. Fischer, S. Klingler, Dr. B. Leven, S. Keller, P. Clausen, L. Mihalceanu, Dr. A. A. Serga, L. Gareis, T. Langner, J. Greser, Dr. P. Pirro, Dr. A. Conca Parra, Jun.-Prof. Dr. E. Th. Papaioannou, Dr. A. Ruiz Calaforra, Dr. T. Brächer, F. Heussner, T. Meyer, Dr. V. I. Vasyuchka, V. Lauer, Prof. Dr. B. Hillebrands + (Dr. A. V. Chumak).

I. New materials for magnonics

II. Novel means for magnon detection

III. Data processing using magnons

IV. Magnonic supercurrents



I. New materials for magnonics

Main requirement: small damping parameter

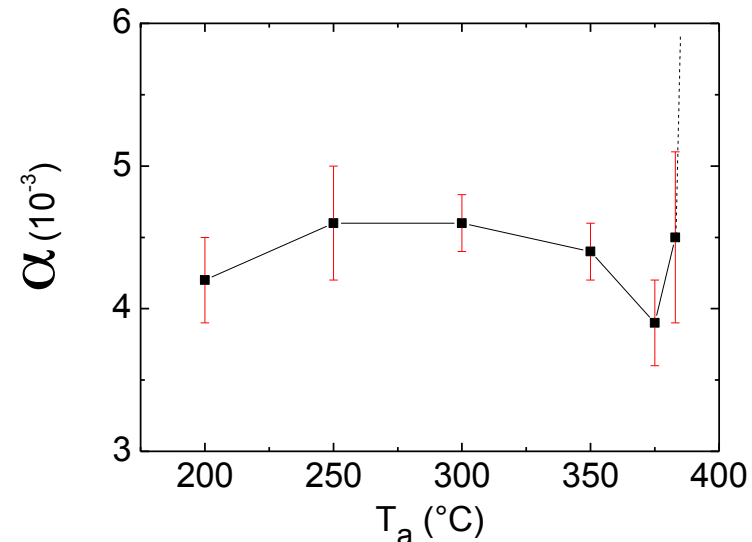


Commonly used material: Permalloy (Py, NiFe): $\alpha = 8 \times 10^{-3}$

I. New materials for magnonics

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- Commonly used material: Permalloy (Py, NiFe): $\alpha = 8 \times 10^{-3}$
- ➔
- CoFeB: low damping (both am. and crystalline phase): $\alpha = 4 \times 10^{-3}$



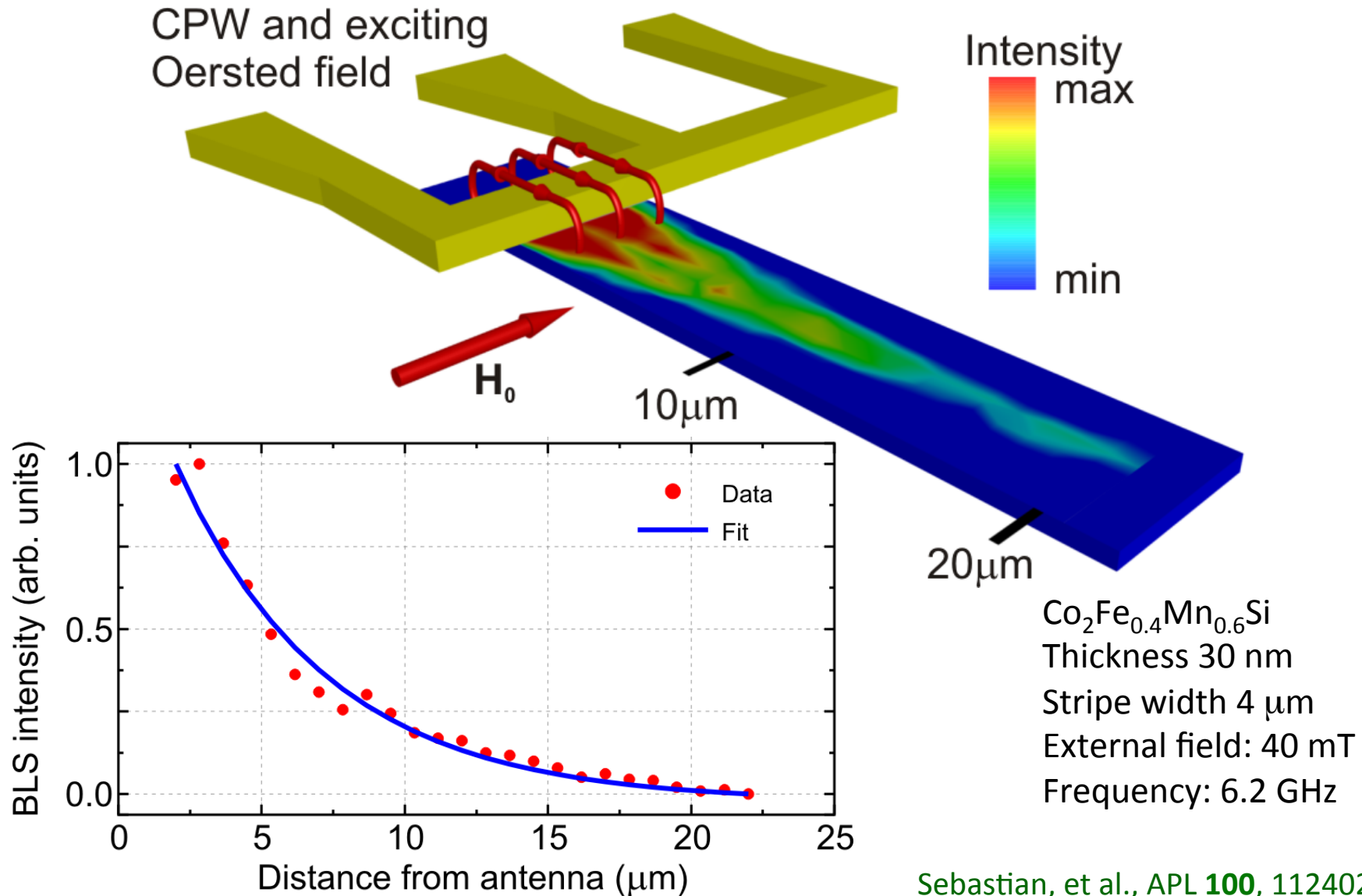
Liu, et al. JAP **110**, 033910 (2011)
Conca, et al. APL **104**, 182407 (2014)

I. New materials for magnonics

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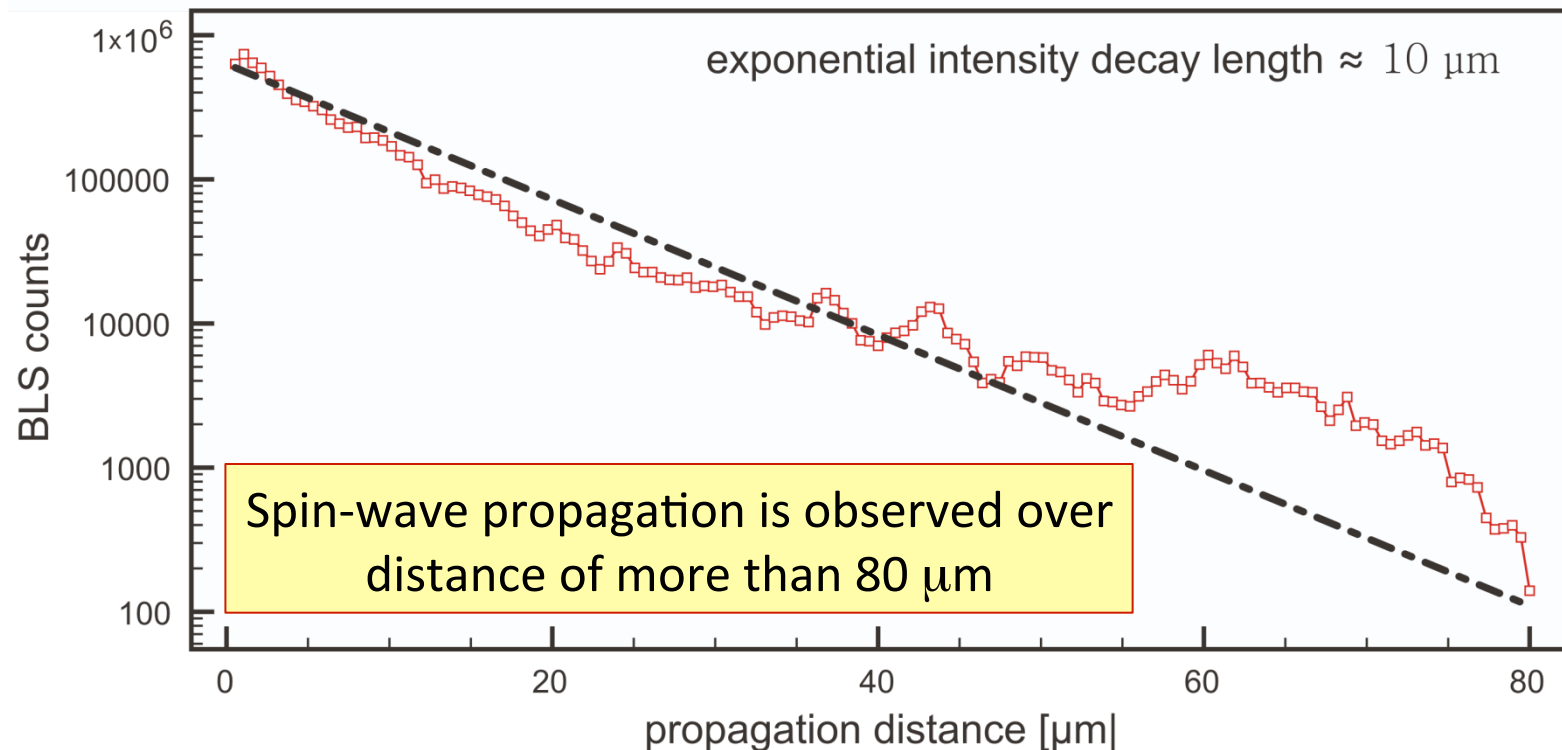
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- ➔ Novel Heusler compounds: $\alpha = 3 \times 10^{-3}$

Spin-wave propagation in $\text{Co}_2\text{Fe}_{0.4}\text{Mn}_{0.6}\text{Si}$ Heusler waveguides



Sebastian, et al., *APL* **100**, 112402 (2012)

Spin-wave propagation in $\text{Co}_2\text{Fe}_{0.4}\text{Mn}_{0.6}\text{Si}$ Heusler waveguides



$$I(x) = I_0 \exp\left(-\frac{2x}{\delta}\right) + b$$

$$\alpha = \frac{1}{\tau\gamma\mu_0(H_{\text{eff}} + M_s)} \quad \tau = \frac{\delta}{v_G}$$

Decay length: $10.6 \mu\text{m}$
Damping α : 4.7×10^{-3}

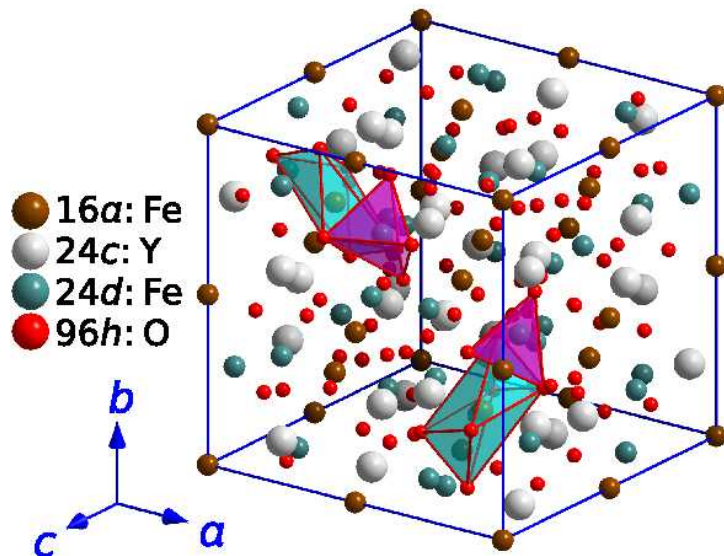
Sebastian, et al., APL **100**, 112402 (2012)

Sebastian, et al., PRL **110**, 067201 (2013)

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- ➔ Micro-structured Yttrium Iron Garnet $\text{Y}_3\text{Fe}_5\text{O}_{12}$ (YIG): $\alpha = 4 \times 10^{-5}$

Yttrium Iron Garnet $\text{Y}_3\text{Fe}_5\text{O}_{12}$ (YIG)



YIG:

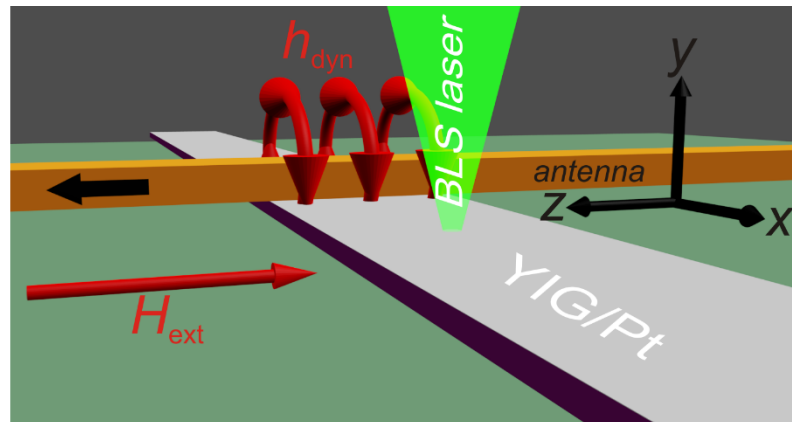
- magnetic insulator
- smallest spin-wave damping

Preparation via:

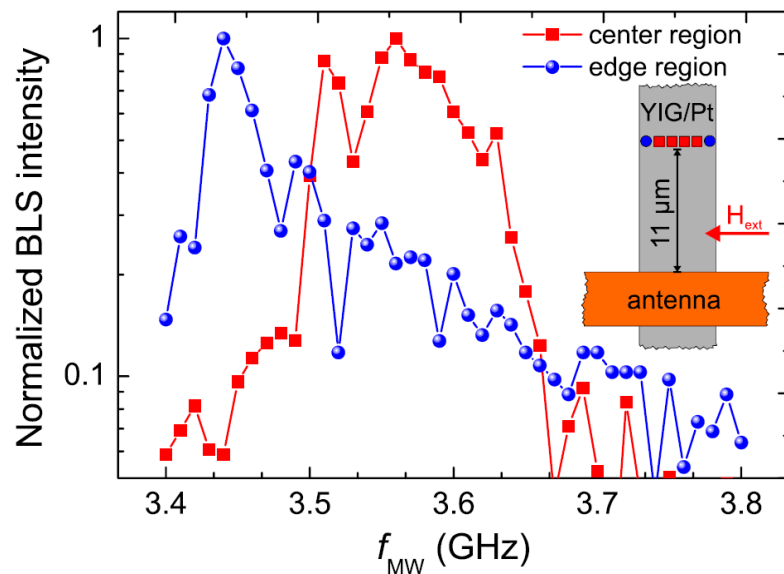
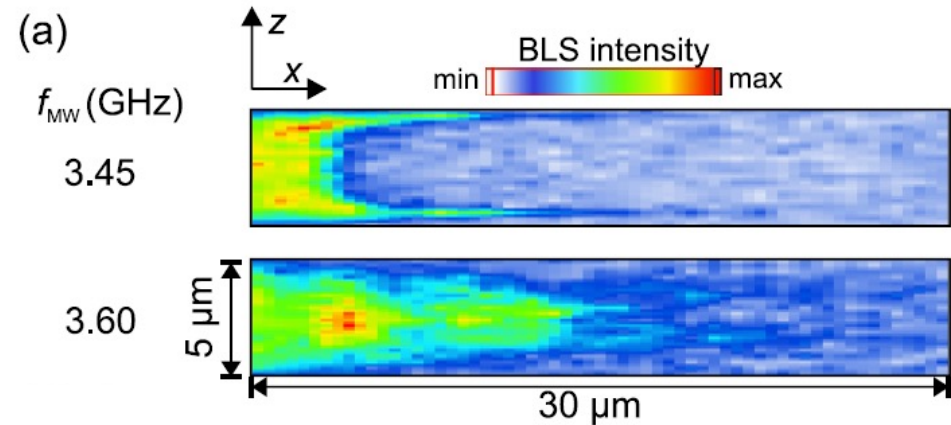
- liquid phase epitaxy
- sputtering
- pulsed laser deposition

A. Kreisel, Europhysics News (2006)

Micro-focused Brillouin Light Scattering setup was used for magnon detection



BLS intensity map: YIG thickness: 100 nm
made by liquid phase epitaxy



For standard YIG quality:
free path will be up to **1 mm**

P. Pirro, et al., APL **104**, 012402 (2014)

I. New materials for magnonics

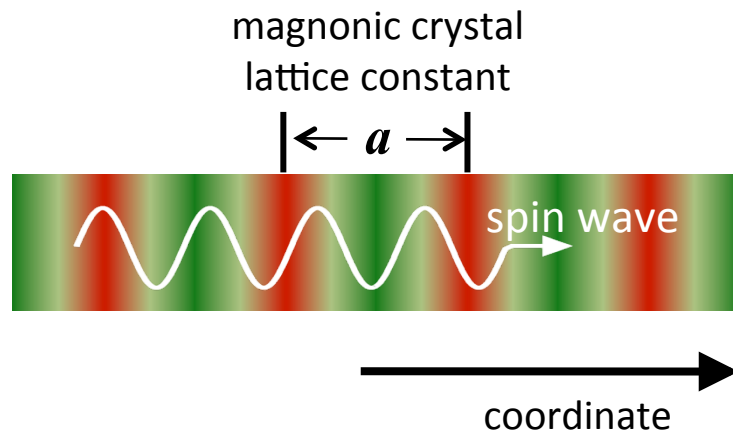
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 - Micro-structured Yttrium Iron Garnet $\text{Y}_3\text{Fe}_5\text{O}_{12}$ (YIG): $\alpha = 4 \times 10^{-5}$
- ➔ Magnonic crystals: artificial magnetic materials (static and dynamic)

What is a “magnonic crystal”?

Magnonic crystal – magnetic meta-material:

- ❖ artificial medium with periodic lateral **variation in magnetic properties**

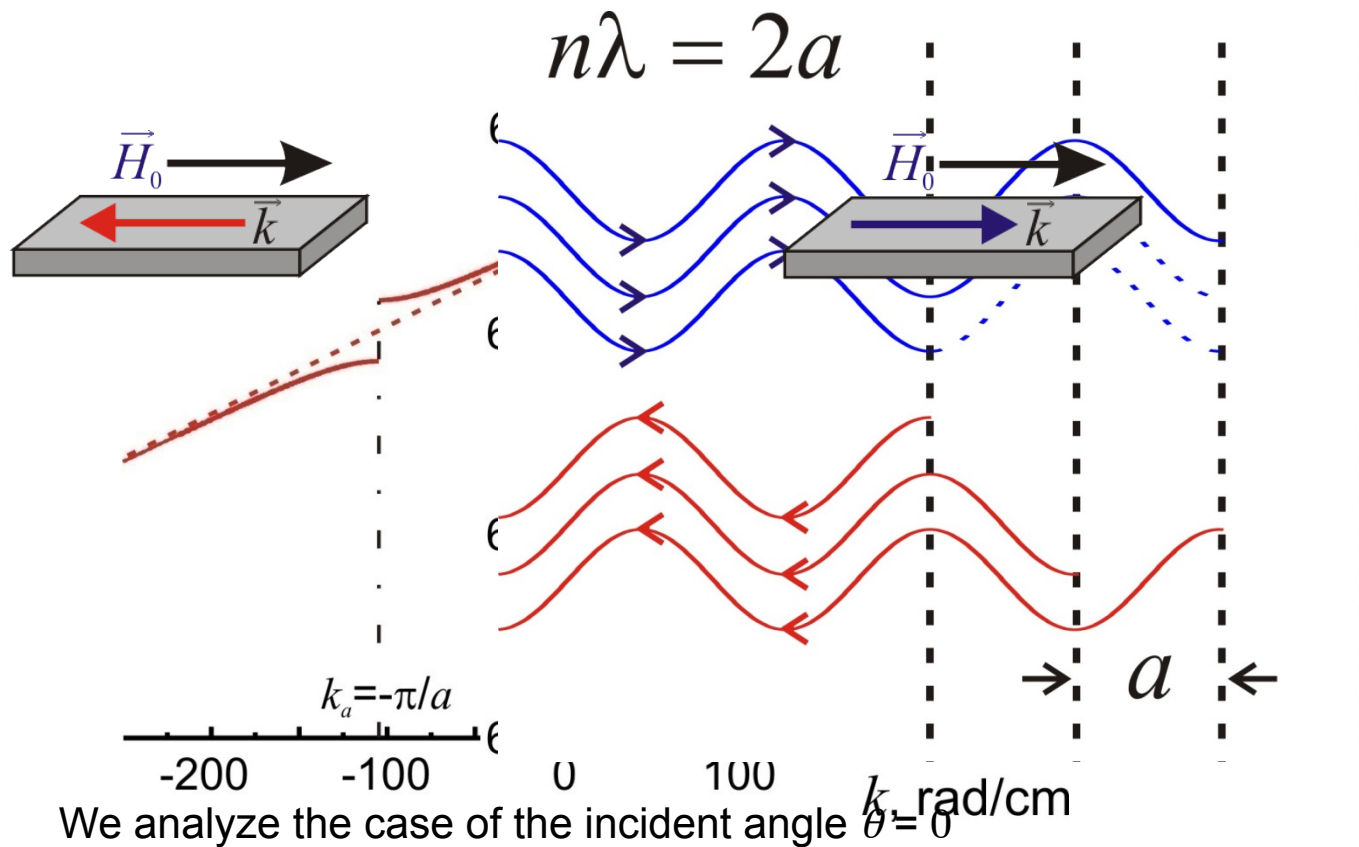
One-dimensional magnonic crystal:



Magnonic-crystal are **engineered** to have properties that may not be found in nature

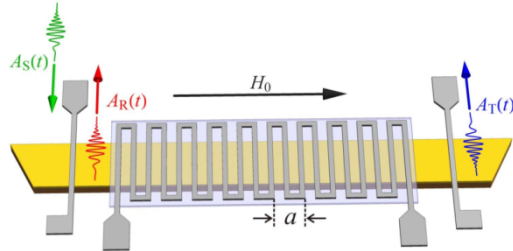
- ❖ analogous to **photonic and sonic** crystals but operates with spin waves in the GHz frequency range

Band gaps – regions of the spectrum over which waves are **not allowed** to propagate



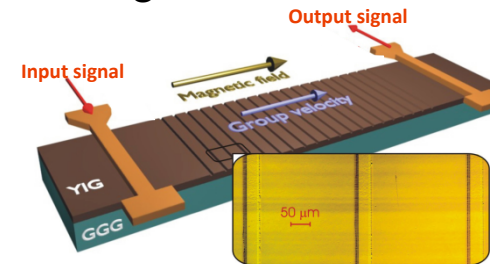
Which magnetic property do we modulate?

Bias magnetic field



Chumak et al., J. Phys. D **42**, 205005 (2009)

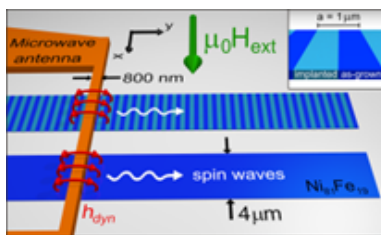
Waveguide thickness



Sykes et al., APL **29**, 388 (1976)
 Chumak et al., APL **93**, (2008)

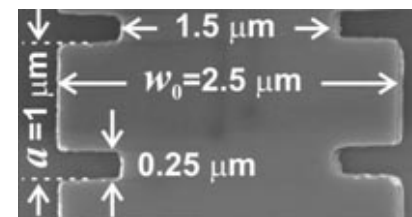
$$f(k) = \gamma \left(H_0 + 4\pi M_0 \frac{1 - \exp\{-\sqrt{(\pi/w)^2 + k^2}d\}}{\sqrt{(\pi/w)^2 + k^2}d} \right)$$

Effective saturation magnetization



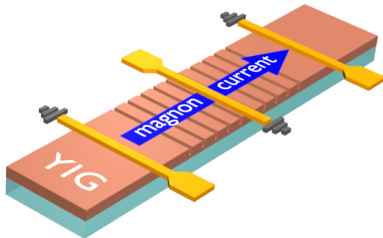
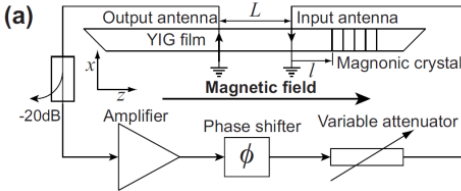
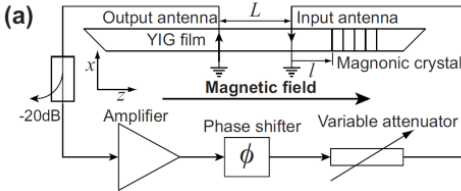
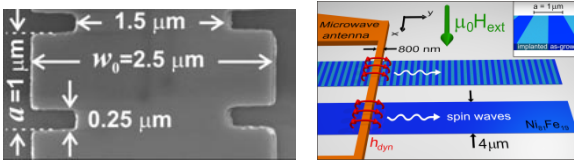
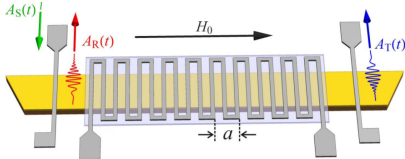
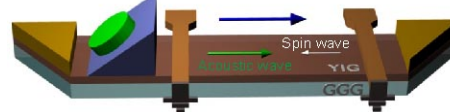
Chumak et al., PRB **81**, 140404 (2010)
 Oby et al., APL **102**, 202403 (2013)

Waveguide width



Chumak et al., APL **95**, (2009)
 Lee et al., PRL **102**, 127202 (2009)

Magnonic crystals - overview

<p>microwave filter</p>		<p>Chumak et al., APL 93, 022508 (2008) Chumak et al., APL 94, 172511 (2009) Chumak et al., JAP 105, 083906 (2009)</p>
<p>data storage element</p>		<p>Chumak et al., PRL, 108, 257207 (2012)</p>
<p>stable microwave generator</p>		<p>Karenowska et al., APL 96, 082505 (2010)</p>
<p>micro-sized crystal</p>		<p>Chumak et al., APL 95, 262508 (2009) Ciubotaru et al., J.Phys.D 45, 255002 (2012) Obry et al., APL, 102, 202403 (2013) Ciubotaru, et al. PRB 88, 134406 (2013)</p>
<p>switchable device</p>		<p>Chumak, et al., J.Phys.D 42, 205005 (2009) Chumak, et al., Nat. Commun. 1:141 (2010) Karenowska, et al., PRL 108, 015505 (2012)</p>
<p>travelling crystal</p>		<p>Chumak et al., PRB, 81, 140404 (2010)</p>

Localized ion implantation:

- Purely magnetic patterning
- No change in sample topography

State of the art studies (YIG):

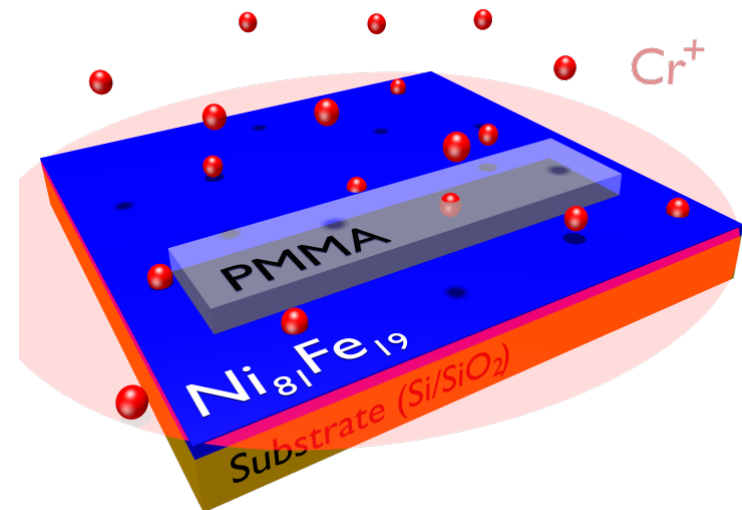
G. Volluet, P. Hartemann,
*Reflection of magnetostatic forward volume waves by ion
implanted gratings,*
Proc. IEEE Ultrasonics Symp., 394 (1981).

R. L. Carter, J. M. Owens, C. V. Smith, Jr., K. W. Reed,
Ion-implanted magnetostatic wave reflective array filters,
J. Appl. Phys. 53 (1982), 2655.

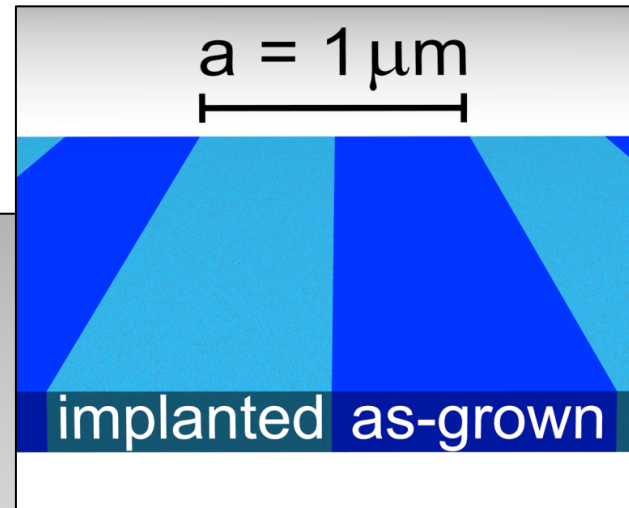
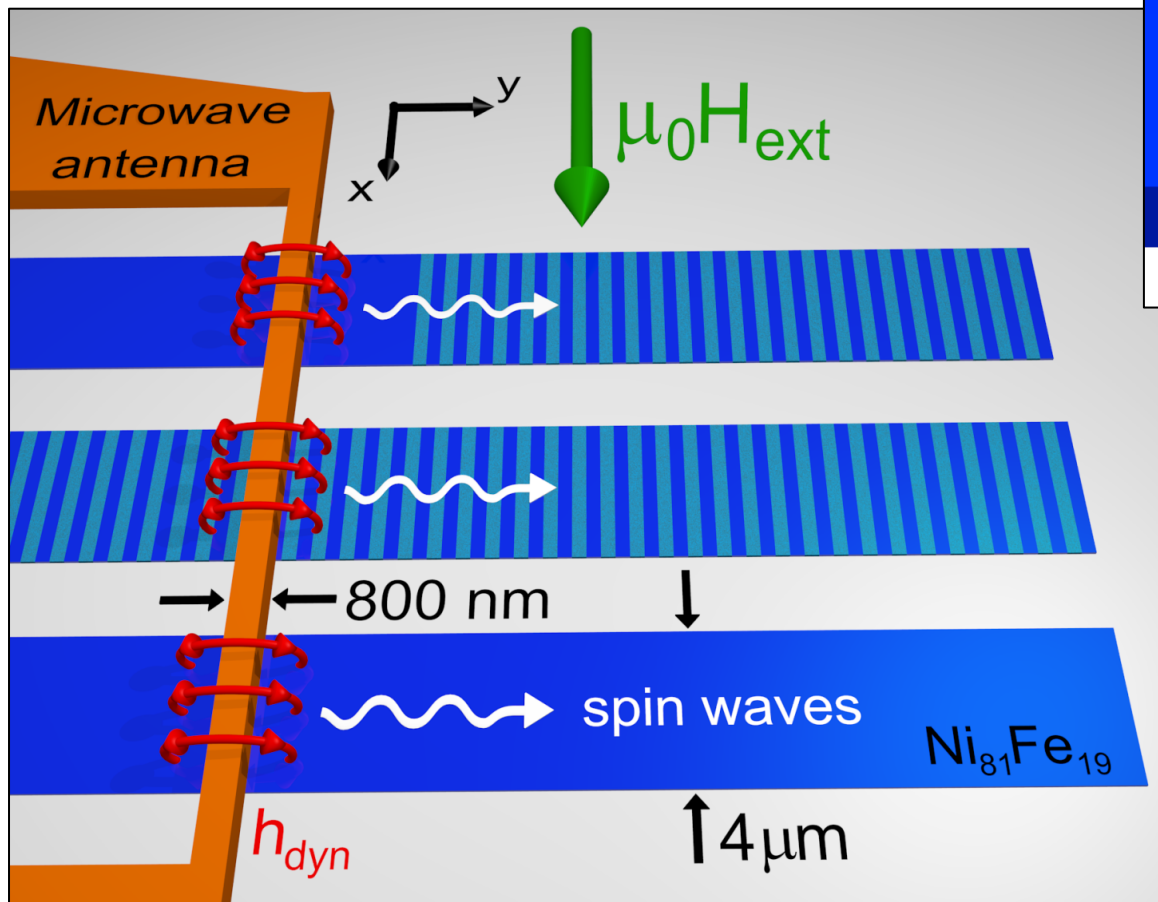
Irradiation of $\text{Ni}_{81}\text{Fe}_{19}$ films with 30 keV
 Cr^+ ions:

Control saturation magnetization M_S
and Gilbert damping α

Fassbender *et al.*, PRB **73**, 184410 (2006)

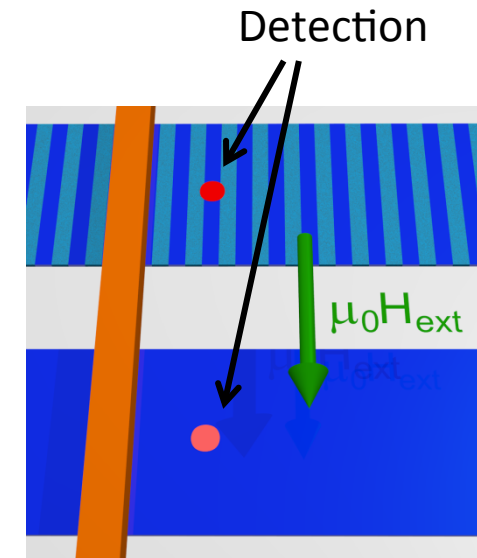
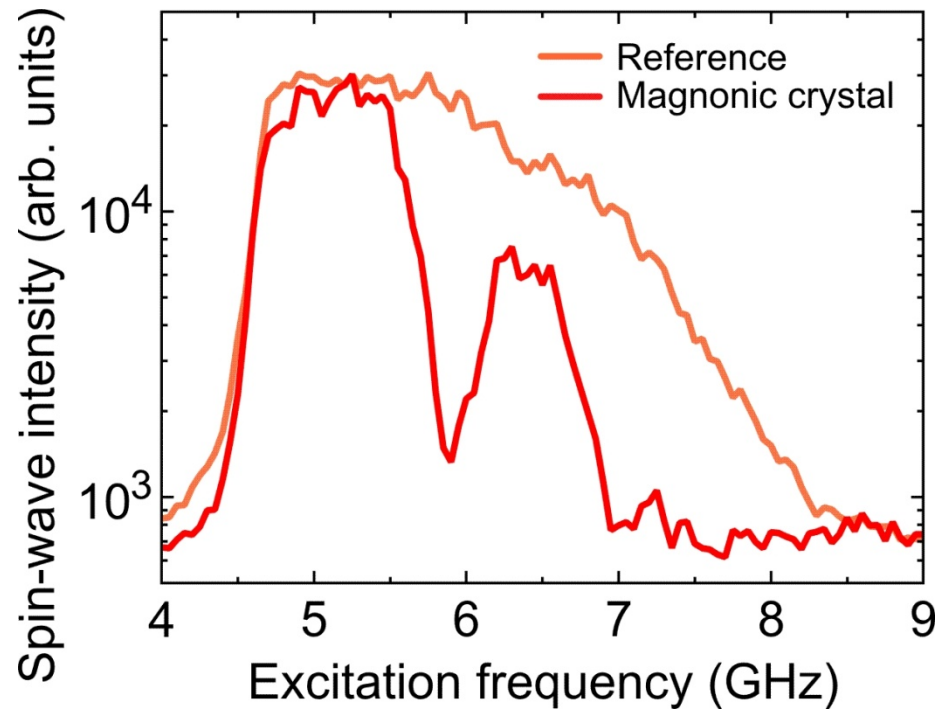


Fabrication of microscopic metallic **magnonic crystal** with **periodic change in saturation magnetization M_S**



- Waveguides:**
 MBE evaporation
 Lift-off techniques

Spin-wave excitation spectra:



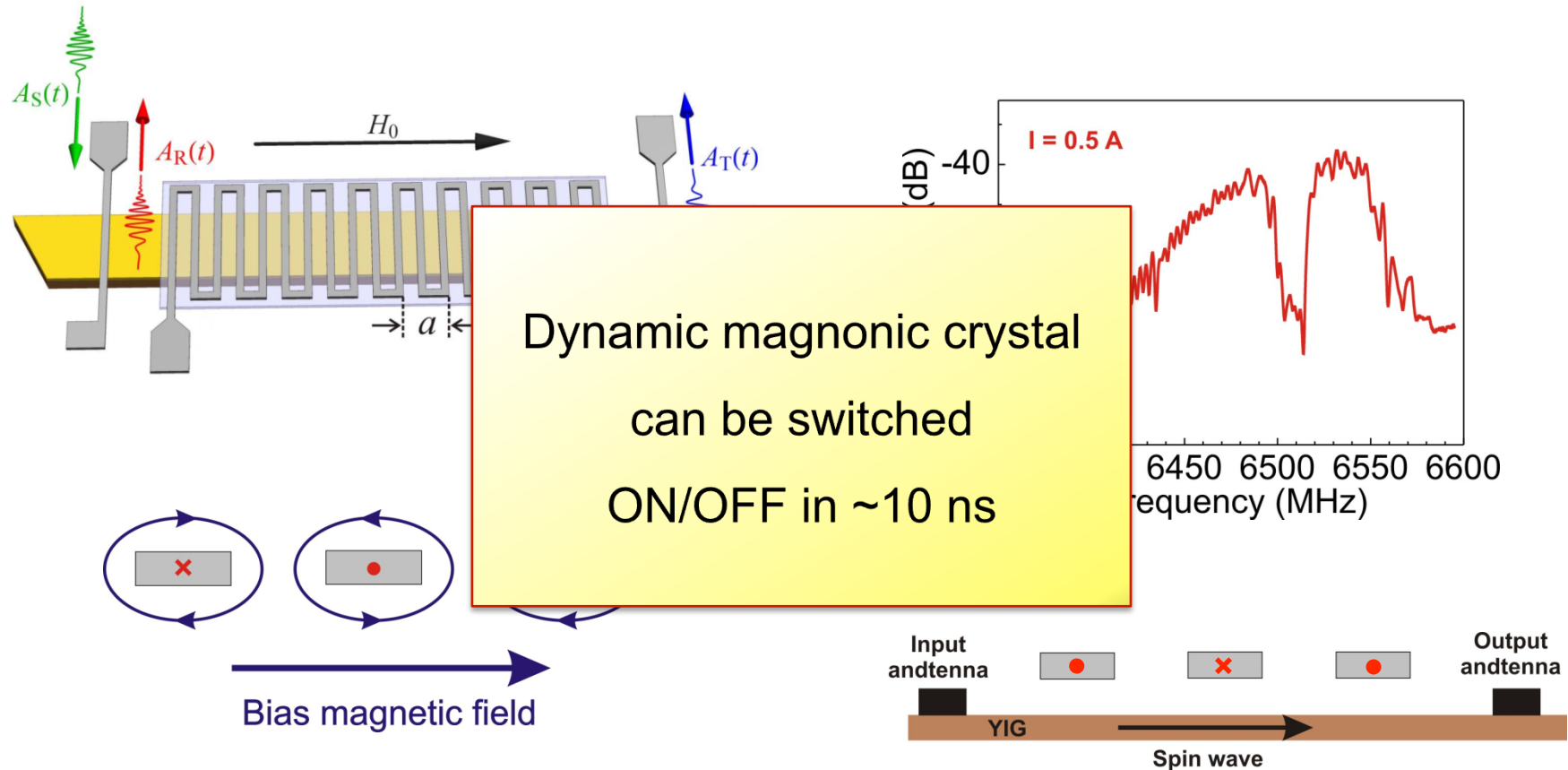
$$\mu_0 H_{\text{ext}} = 27.3 \text{ mT}$$

Two pronounced band gaps in transmission spectrum

Obry *et al.*, APL **102**, 202403 (2013)

Ciubotaru, *et al.* PRB **88**, 134406 (2013)

Periodic modulation of the bias magnetic field by **current-carrying wires**

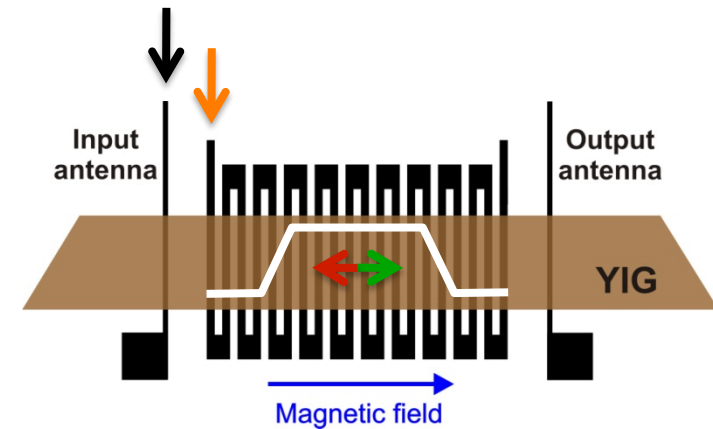
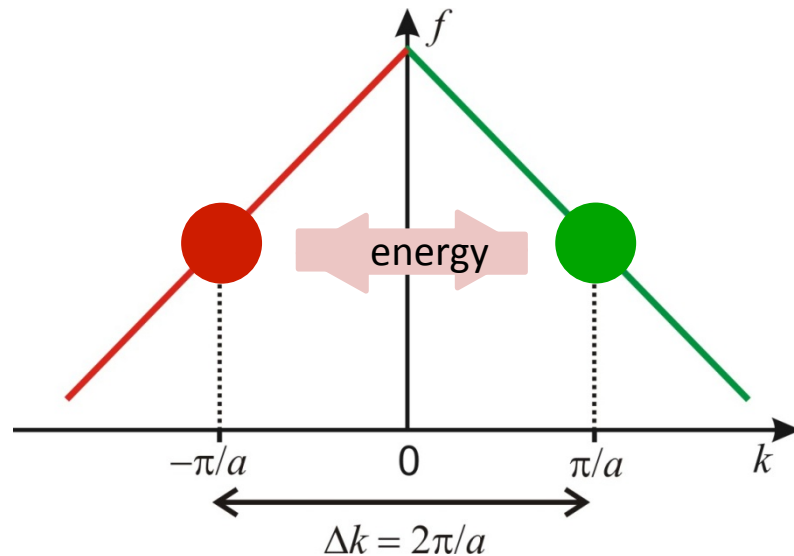


Lattice constant: $a = 300 \mu\text{m}$

Number of periods: $N_g = 20$

Chumak, et al., J. Phys. D **42**, 205005 (2009)

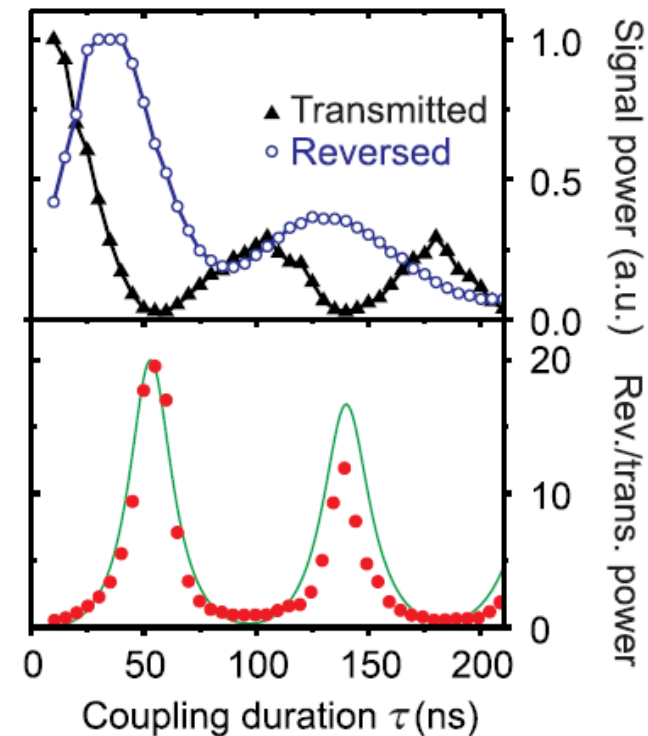
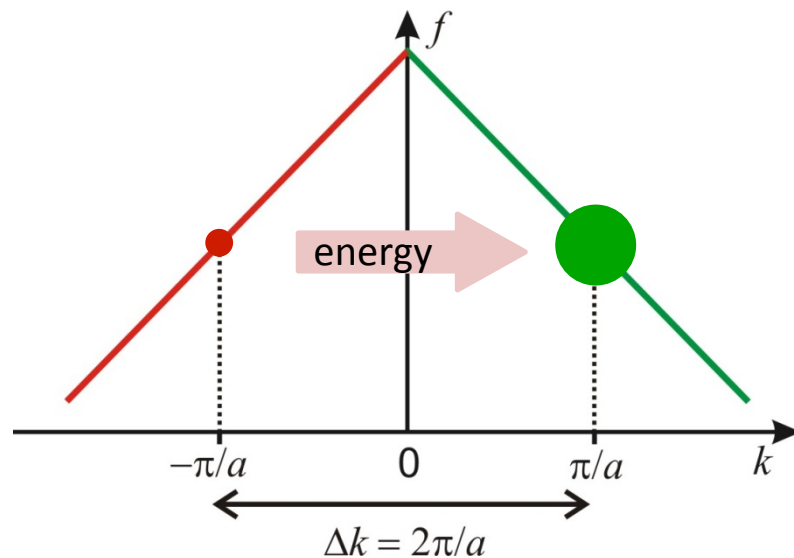
Spin-wave mode coupling by dynamic magnonic crystal



Two modes with $k = \pi/a$ and $k = -\pi/a$ are coupled by periodic variation of field

Coupling provides a mechanism for **energy transfer**

Spin-wave mode coupling by dynamic magnonic crystal



Chumak, et al., Nat. Commun. **1**:141 (2010)
Karenowska, et al., PRL **108**, 015505 (2012)

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Coupling provides a mechanism for **energy transfer**

All-linear time reversal by DMC

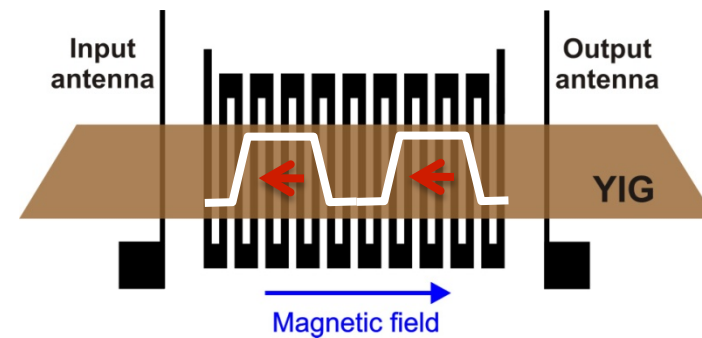
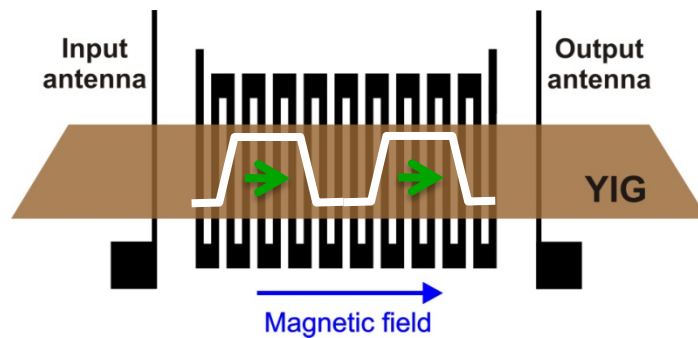
Input signal:

$$A_S(t) \sim \sum_{\Delta f} \exp(-i 2\pi \Delta f t)$$

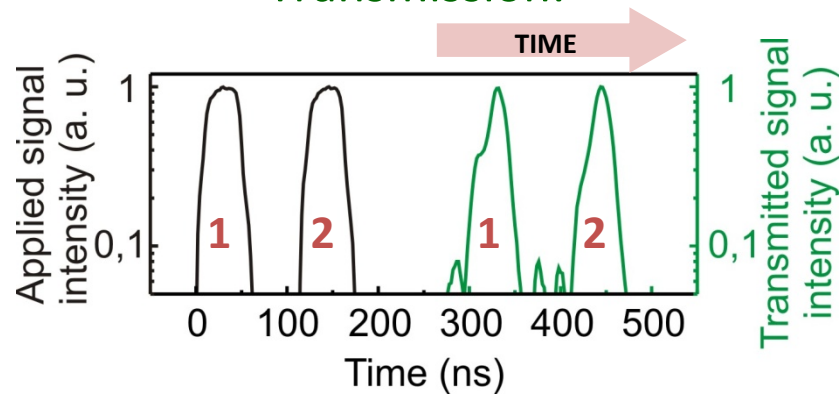
Δf is a frequency shift from the Bragg frequency

Reflected signal:

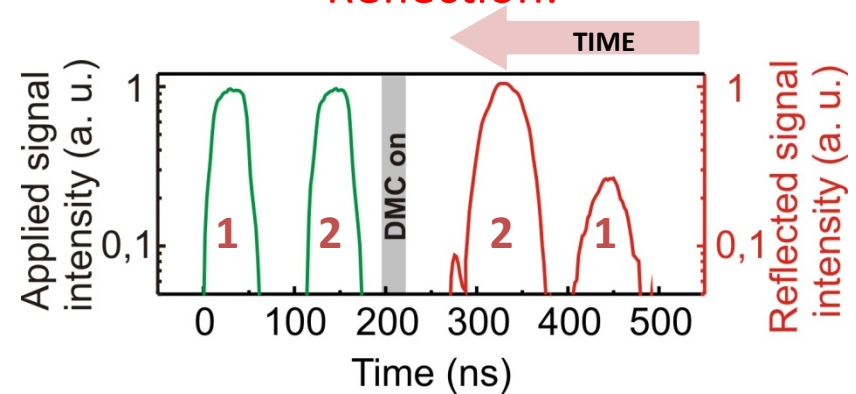
$$A_R(t) \sim \sum_{\Delta f} \exp(i 2\pi \Delta f t) \sim A_S(-t)$$



Transmission:

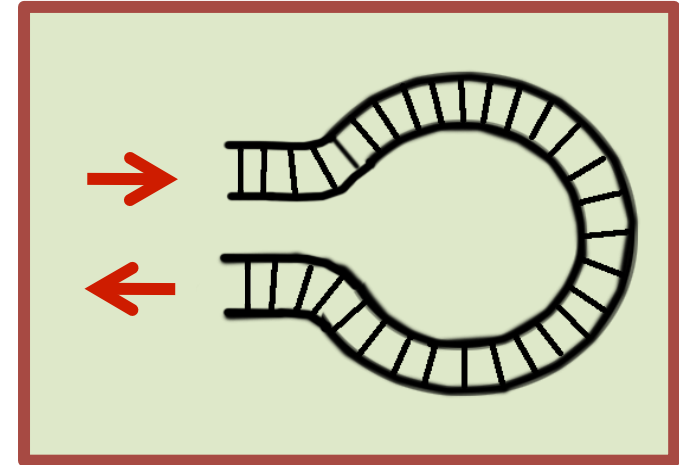
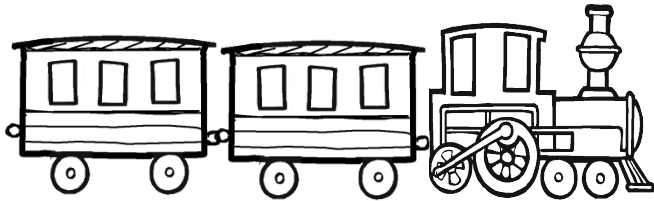


Reflection:

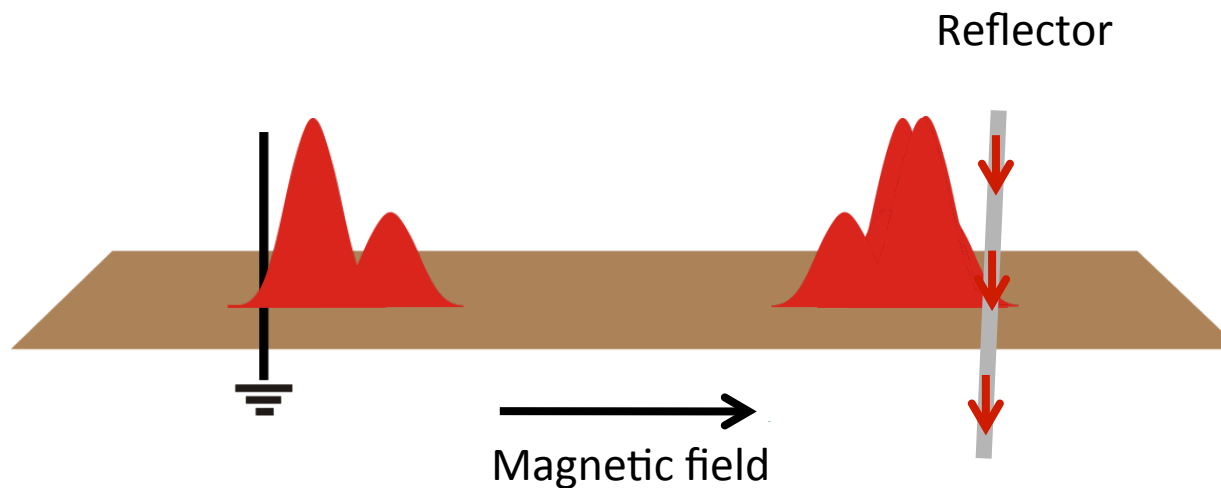


Classical reflection from mirror

Railway analog:

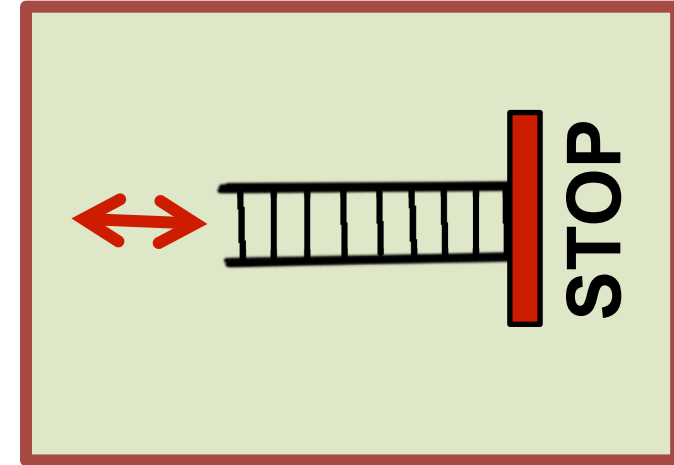
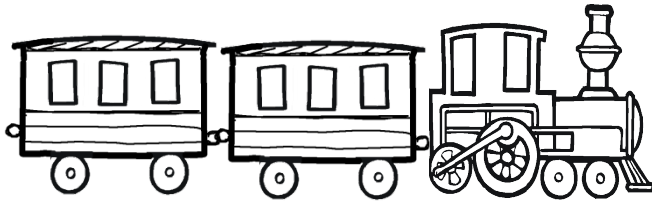


Spin-wave experiment:

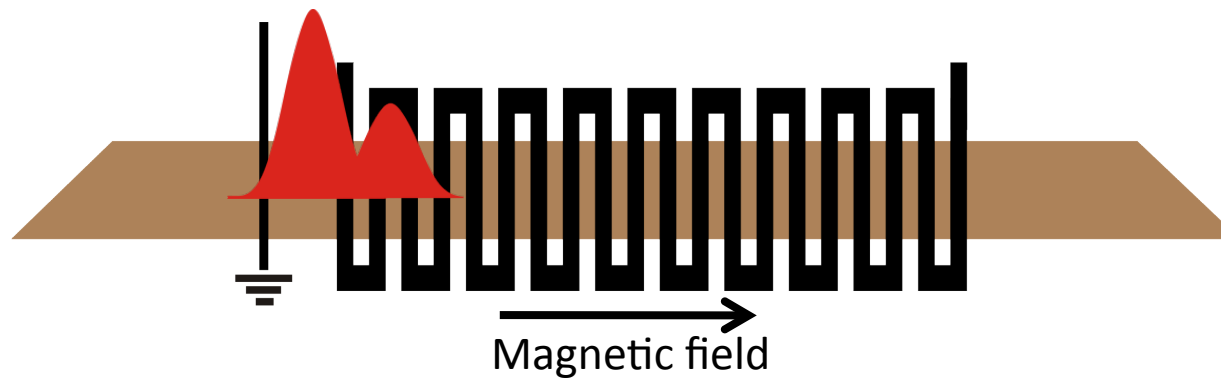


Reflection via time reversal

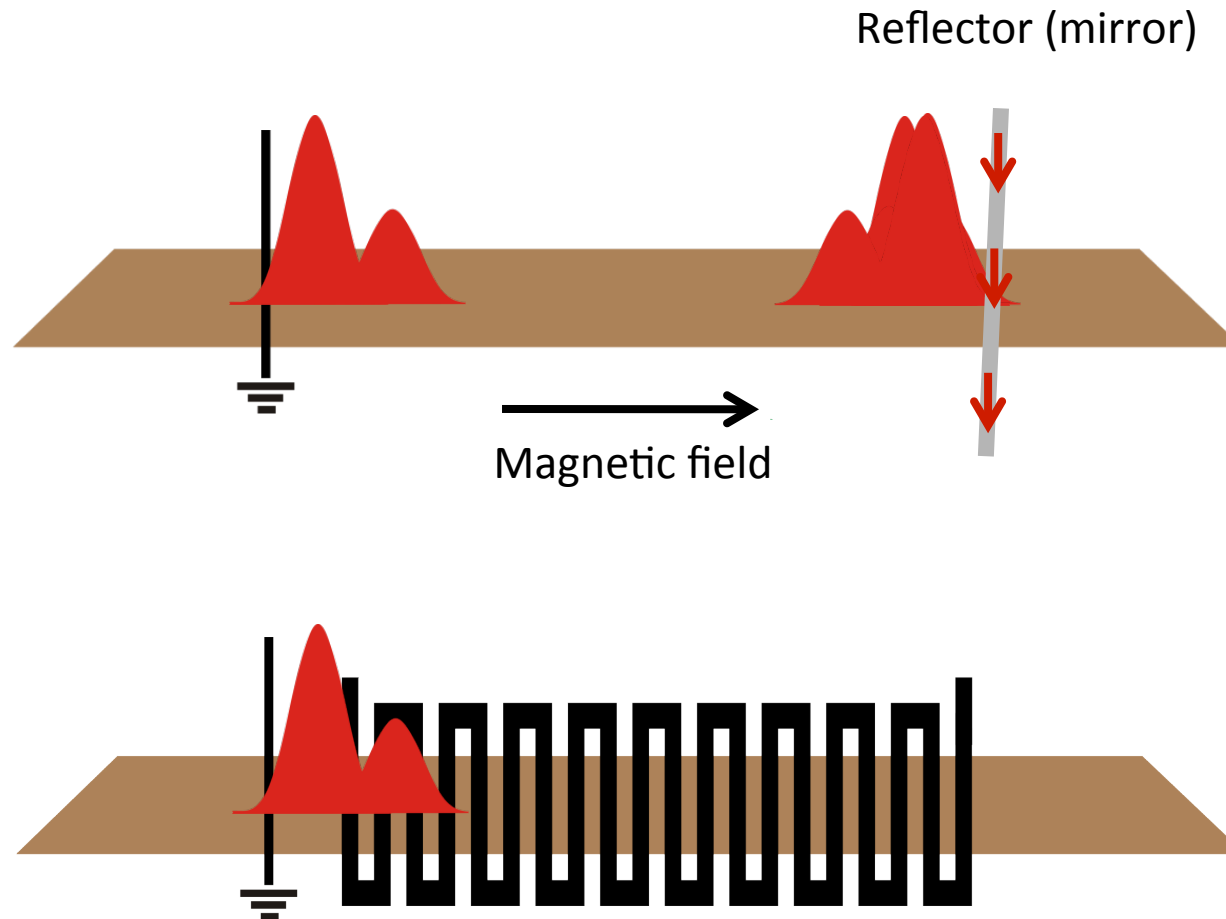
Railway analog:



Spin-wave experiment:



Reflection from a mirror



Chumak, et al., Nat. Commun. **1**:141 (2010)

Karenowska, et al., PRL **108**, 015505 (2012)

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- Magnonic crystals: artificial magnetic materials (static and dynamic)



Normally magnetized non-reciprocal materials

Simulation of a **perpendicular magnetized Permalloy discs** (OOMMF)

Parameters

$$\mu_0 M_s = 1 \text{ T}$$

$$H_k = 0$$

$$\alpha = 0.007$$

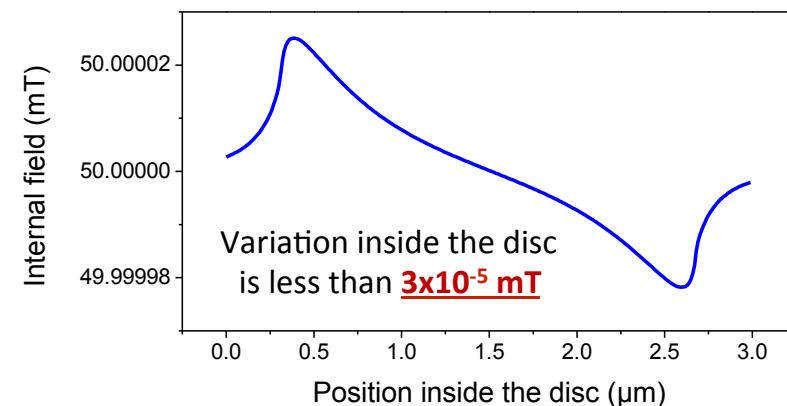
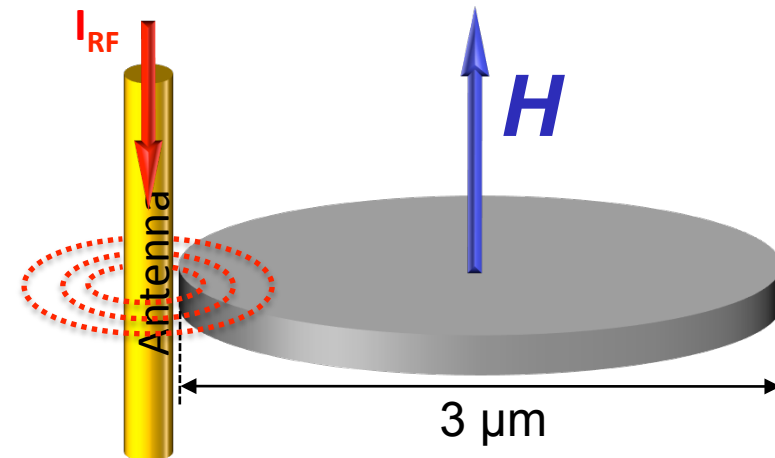
$$\mu_0 H = 1.050 \text{ T}$$

Spin waves are excited by the dynamic Oersted field created by injecting an RF current through antenna.

Diameter of antenna: 500 nm

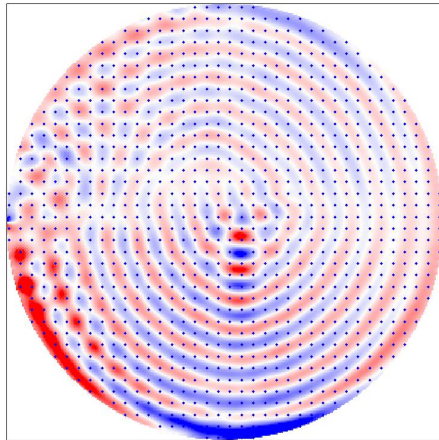
Side charges were added in order to have an uniform distribution of the internal field.

Internal field = 50 mT



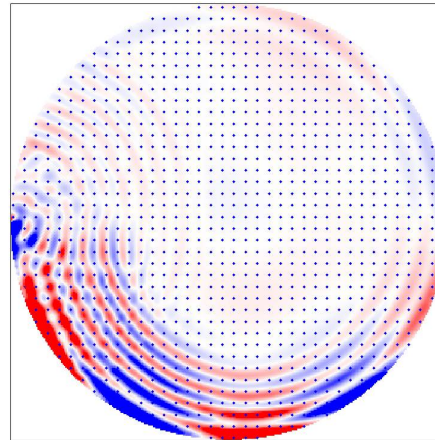
Spin-wave boundary mode

$f = 8 \text{ GHz}$



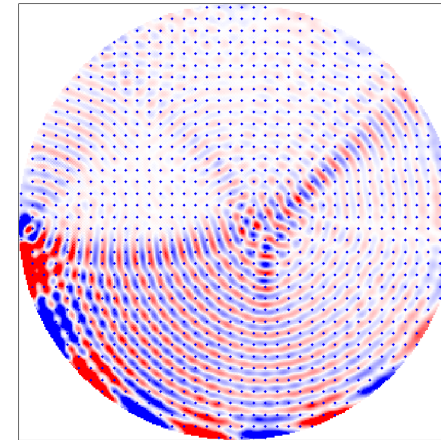
$\lambda_v = 278 \text{ nm}$
 $\lambda_e = 3.7 \text{ }\mu\text{m}$

$f = 10 \text{ GHz}$

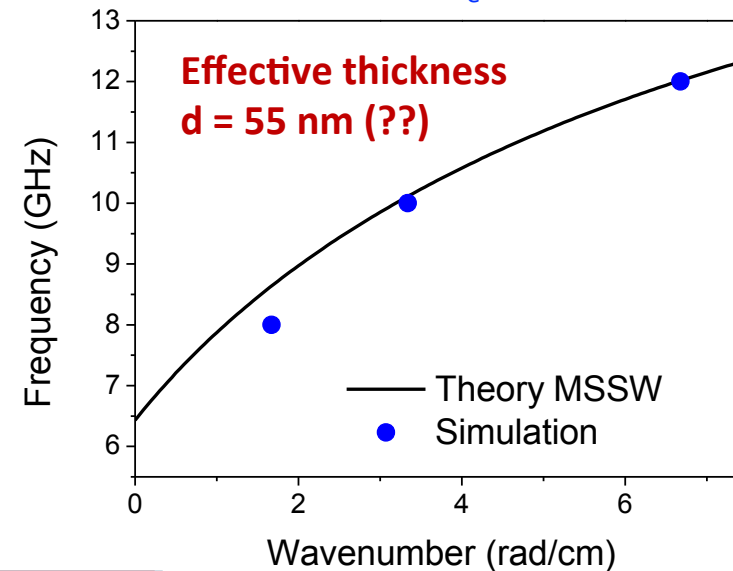
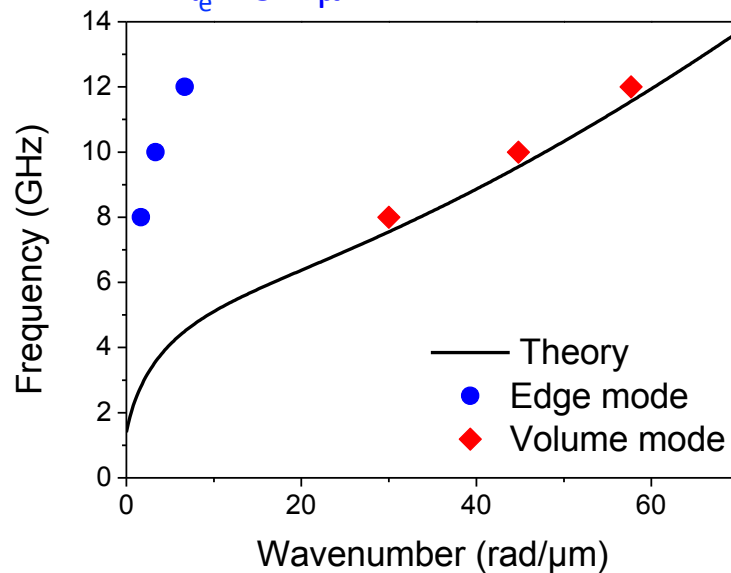


$\lambda_v = 125 \text{ nm}$
 $\lambda_e = 1.9 \text{ }\mu\text{m}$

$f = 12 \text{ GHz}$

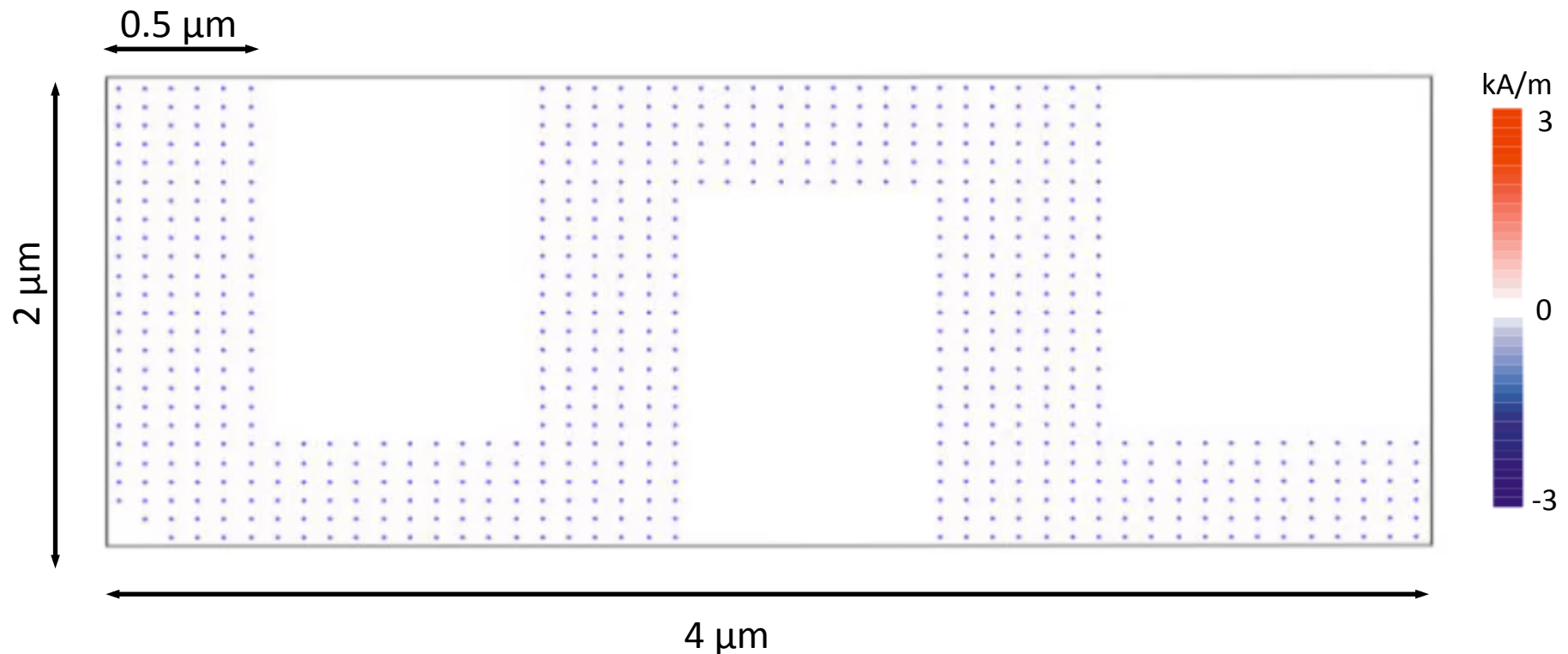


$\lambda_v = 98 \text{ nm}$
 $\lambda_e = 0.94 \text{ }\mu\text{m}$



Thickness = 300 nm

Excitation frequency = 10 GHz



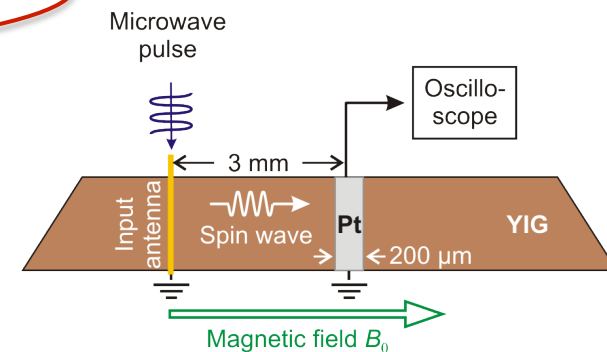
The boundary mode propagates around the corners without changing its properties

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III. Data processing using magnons

IV. Magnonic supercurrents



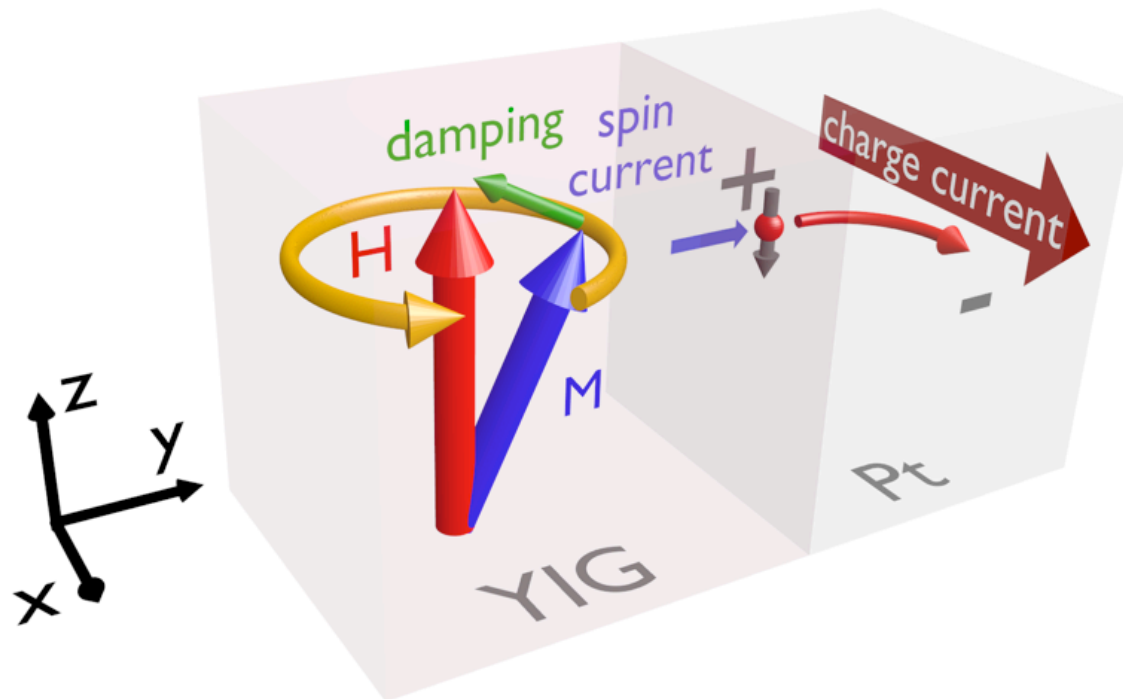
II. Novel means for magnon detection



Spin pumping + inverse spin Hall effect

Magnon to charge current conversion

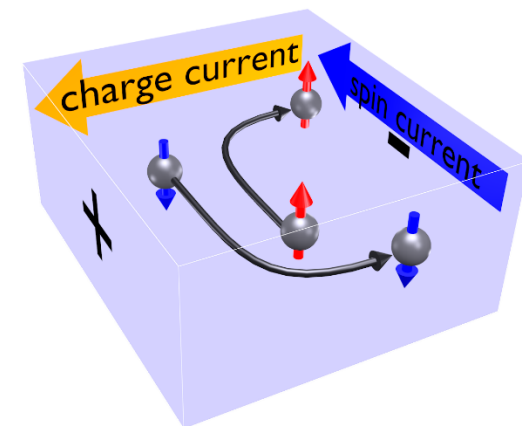
Detection of magnons by a combination of spin pumping and inverse spin Hall effect



Spin pumping

Tserkovnyak et al., PRL (2002)
Costache et al., PRL (2006)

Inverse spin Hall effect (ISHE)



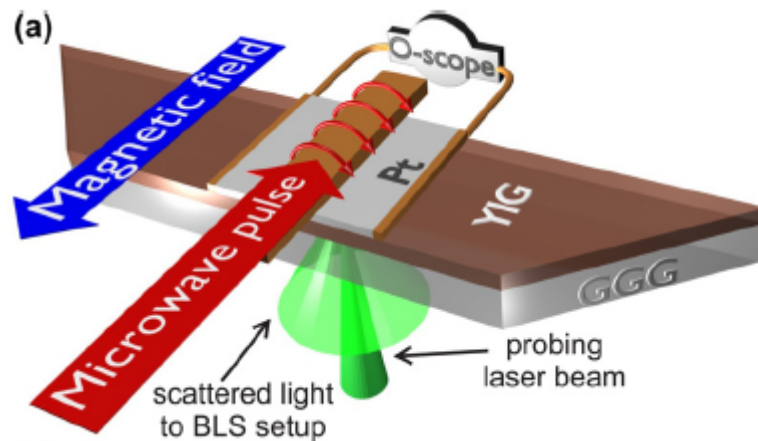
Hirsch, PRL (1999)
Saitoh et al., APL **88** 182509 (2006)

Time resolved ISHE voltage

Yttrium iron garnet (YIG) / platinum (Pt) bilayer was used

Magnetic field $B = -175.5 \text{ mT}$

Microwave frequency 7 GHz

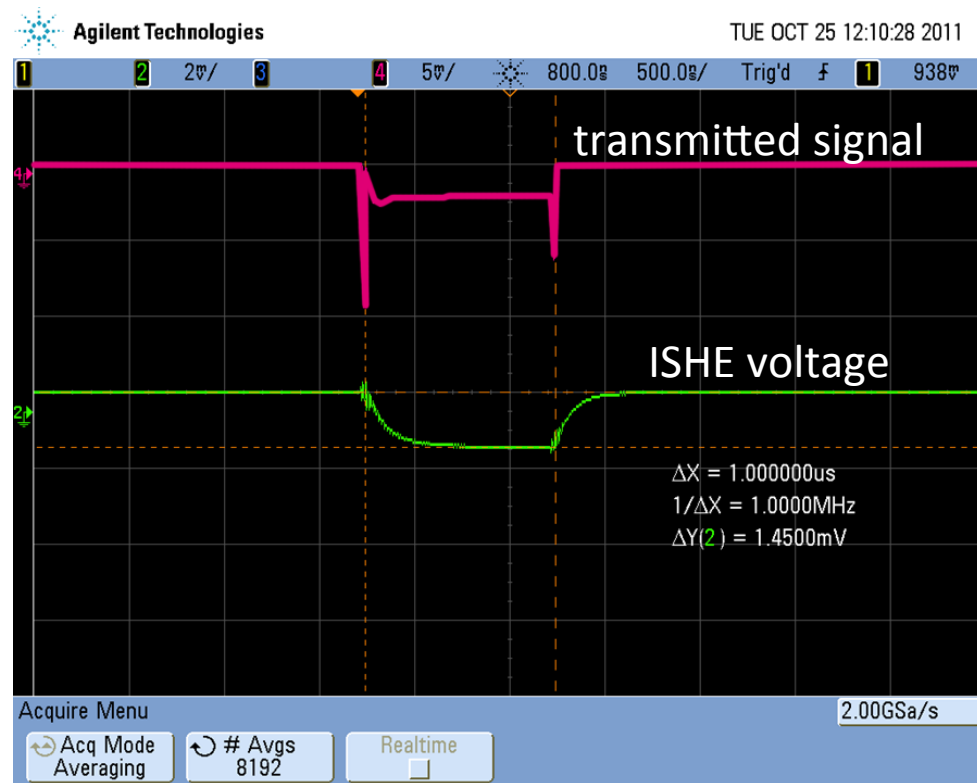


Parameters:

YIG thickness: $2.1 \mu\text{m}$

YIG/Pt width: 3 mm

Pt thickness: 10 nm



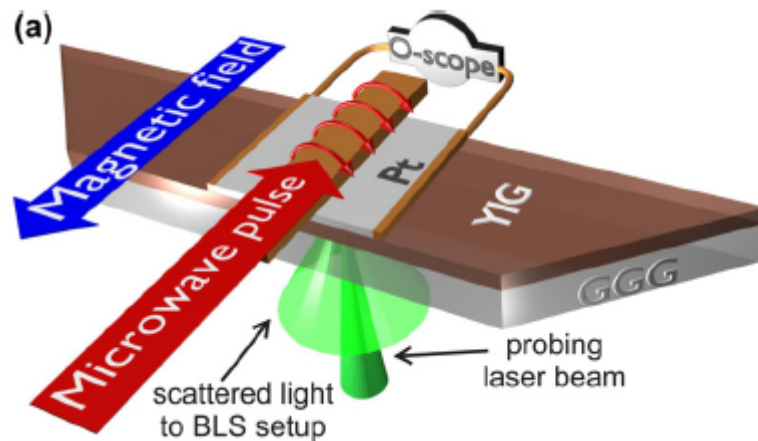
Jungfleisch et al., APL **99**, 182512 (2011)

Time resolved ISHE voltage

Yttrium iron garnet (YIG) / platinum (Pt) bilayer was used

Magnetic field $B = +175.5 \text{ mT}$

Microwave frequency 7 GHz

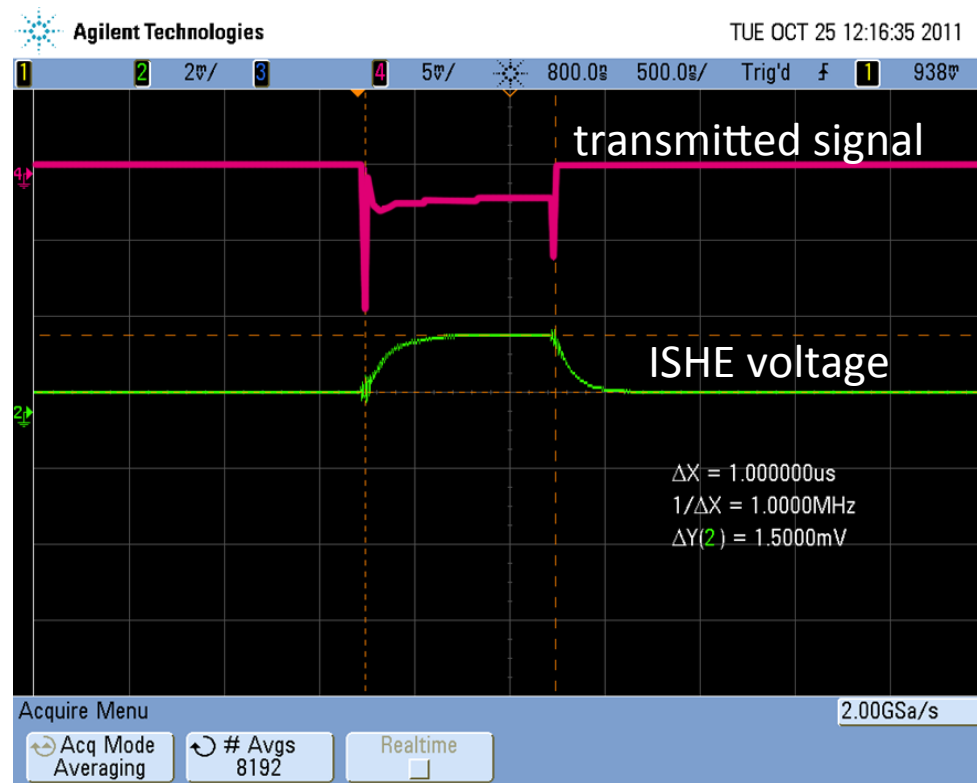


Parameters:

YIG thickness: $2.1 \mu\text{m}$

YIG/Pt width: 3 mm

Pt thickness: 10 nm



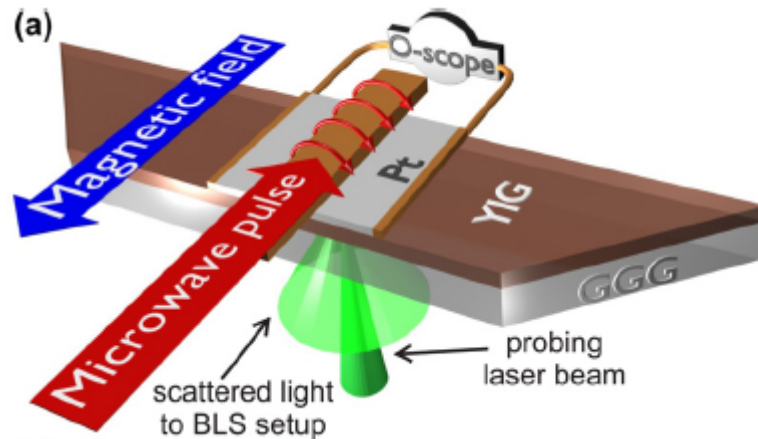
Jungfleisch et al., APL **99**, 182512 (2011)

Time resolved ISHE voltage

Yttrium iron garnet (YIG) / platinum (Pt) bilayer was used

Magnetic field $B = + 175.5 \text{ mT}$

Microwave frequency 7 GHz

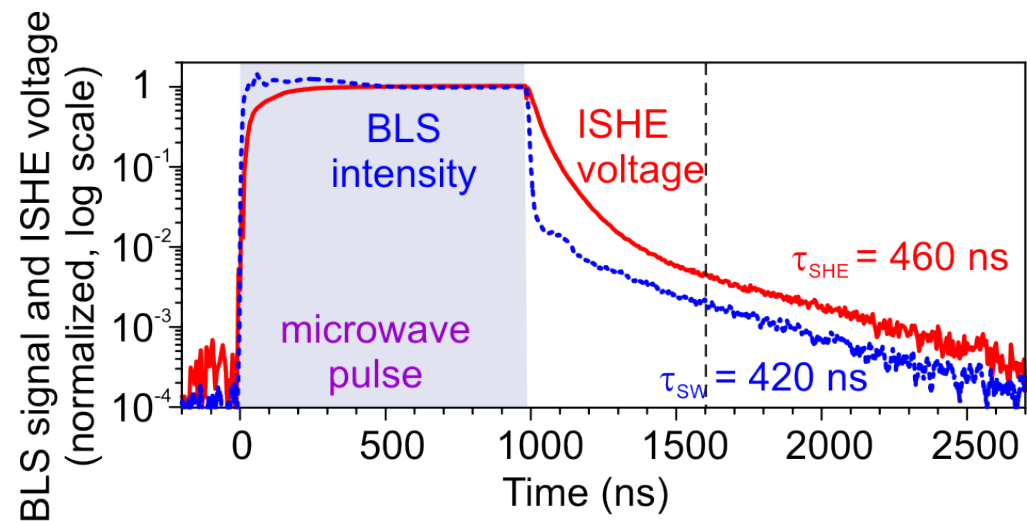


Parameters:

YIG thickness: $2.1 \mu\text{m}$

YIG/Pt width: 3 mm

Pt thickness: 10 nm



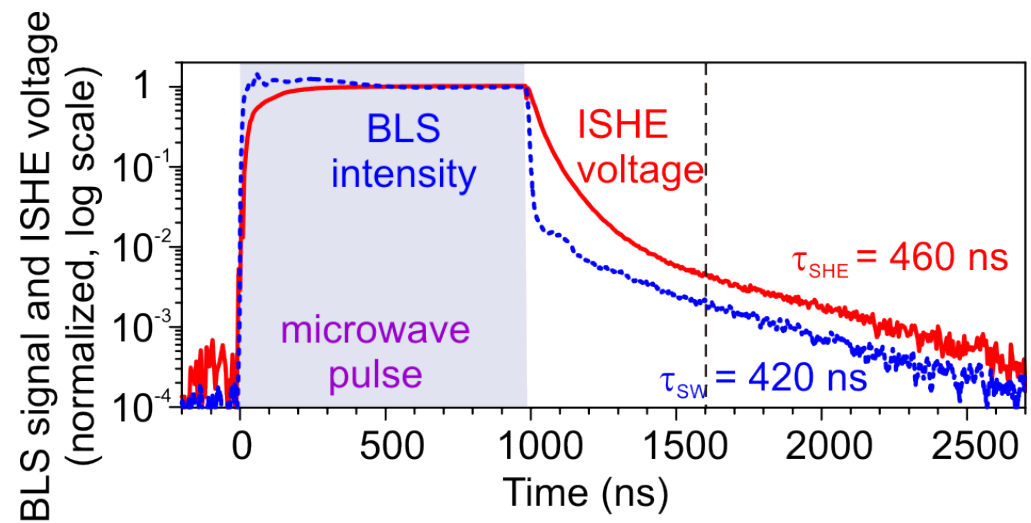
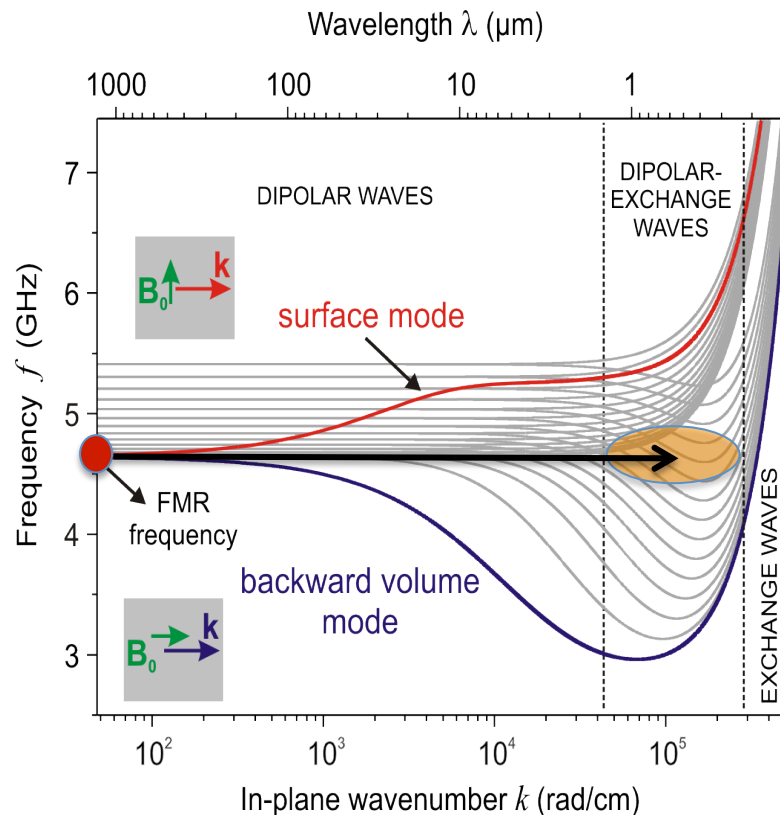
- ❖ ISHE pulse has a long rise and fall times
- ❖ Secondary magnons contribute to ISHE

Jungfleisch et al., APL 99, 182512 (2011)

Yttrium iron garnet (YIG) / platinum (Pt) bilayer was used

Magnetic field $B = + 175.5$ mT

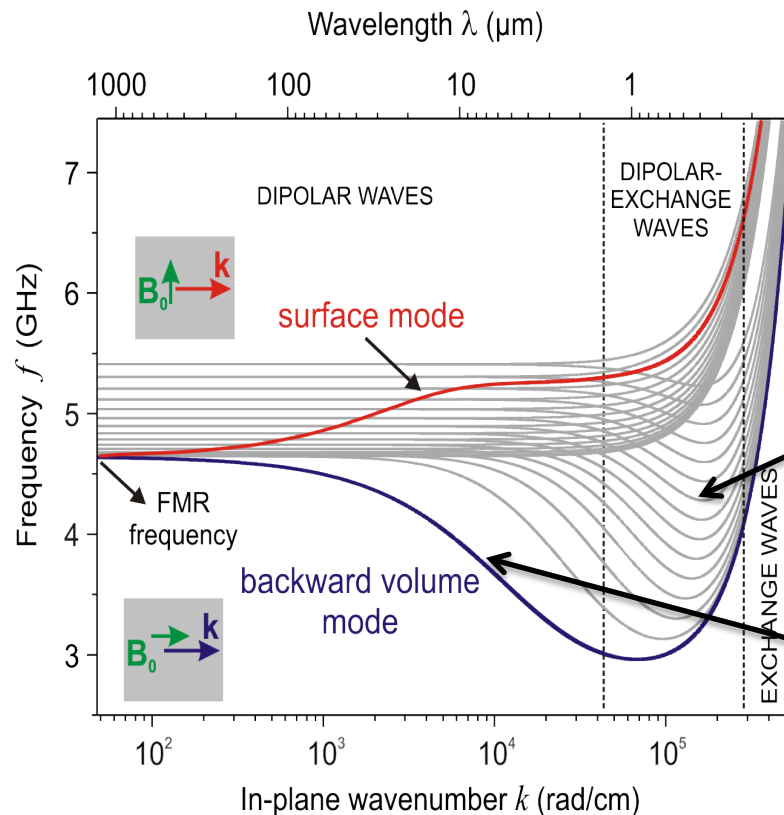
Dipolar-exchange waves contribute to spin pumping!



- ❖ ISHE pulse has a long rise and fall times
- ❖ Secondary magnons contribute to ISHE

Jungfleisch et al., APL 99, 182512 (2011)

Yttrium iron garnet (YIG) / platinum (Pt) bilayer was used

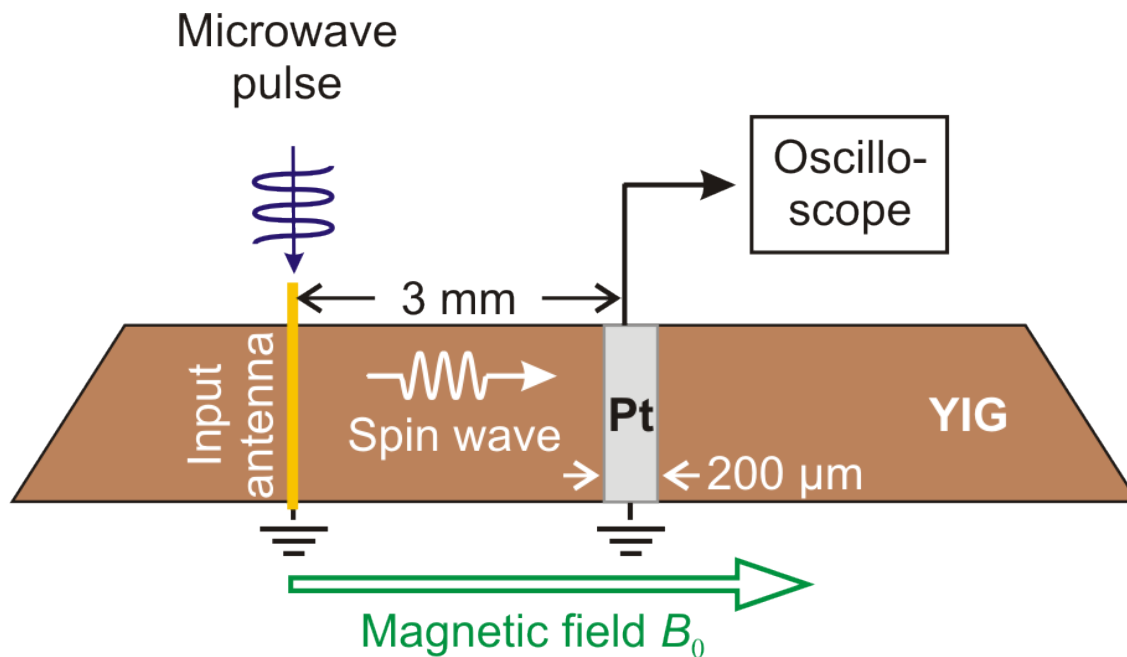


But dipolar-exchange waves have zero velocities \rightarrow no spin transport



Spin pumping by propagating magnons?

Spin-wave source and Pt detector are separated in space



Parameters:

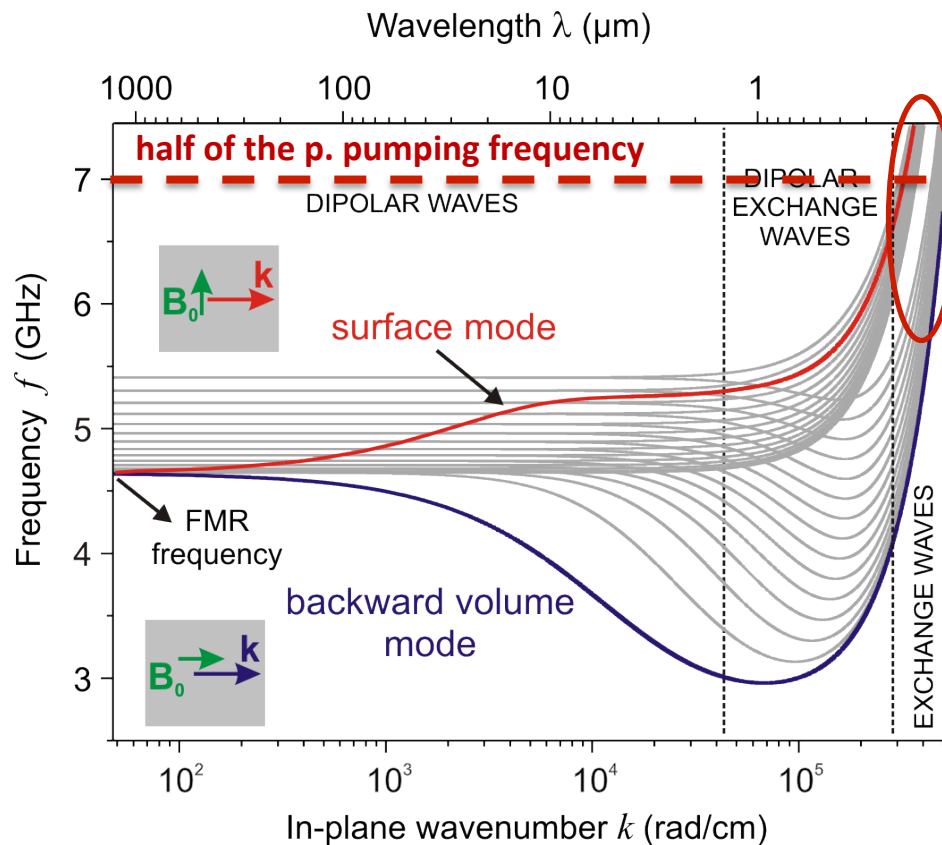
YIG thickness: 2.1 μm

Pt size: 3 x 0.2 mm

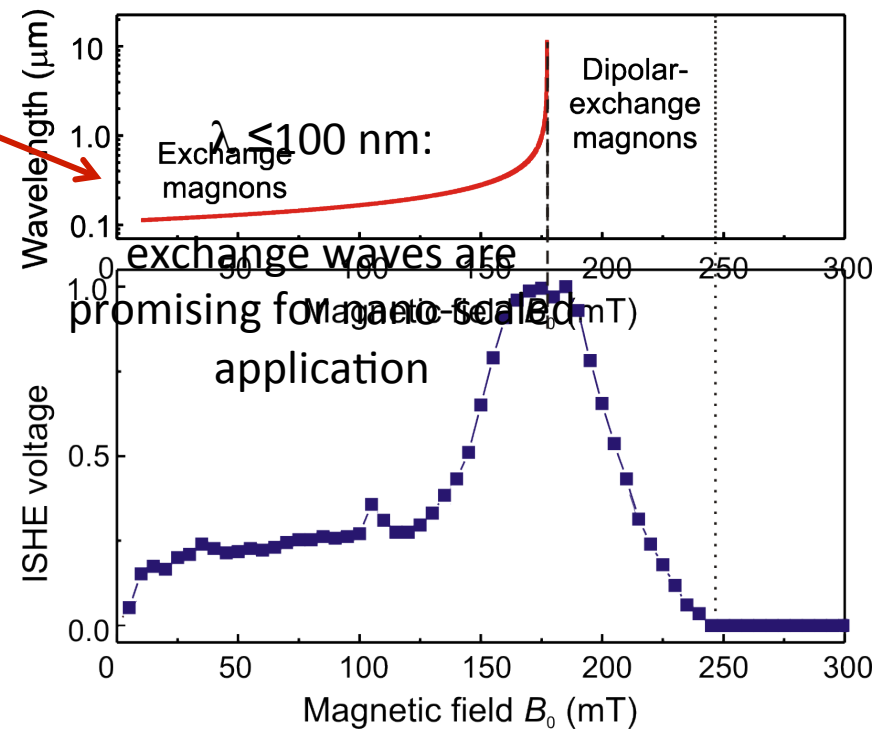
Pt thickness: 10 nm

Signal frequency: 7 GHz

Parametric pumping at 14 GHz



Exchange magnons contribute to spin pumping!



Sandweg et al., PRL **106**, 216601 (2011)

Kurebayashi, Dzyapko et al., APL **99**, 162502 (2011)

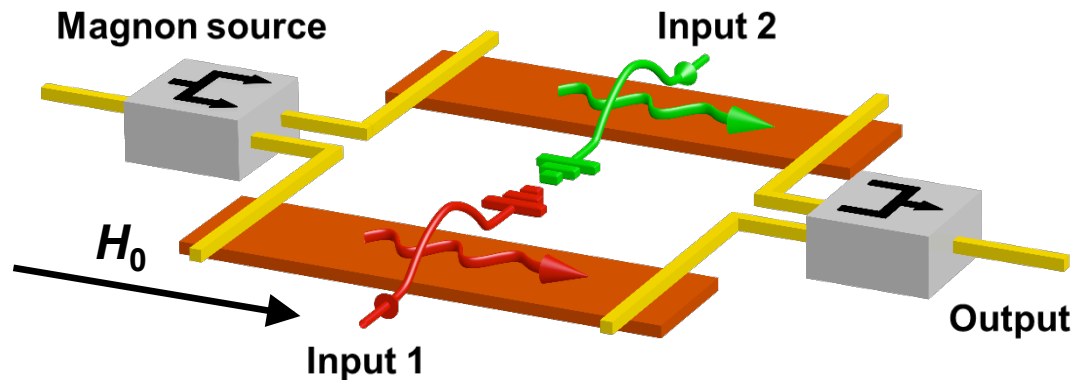
Ando et al., APL **99**, 092510 (2011)

III. Data processing using magnons



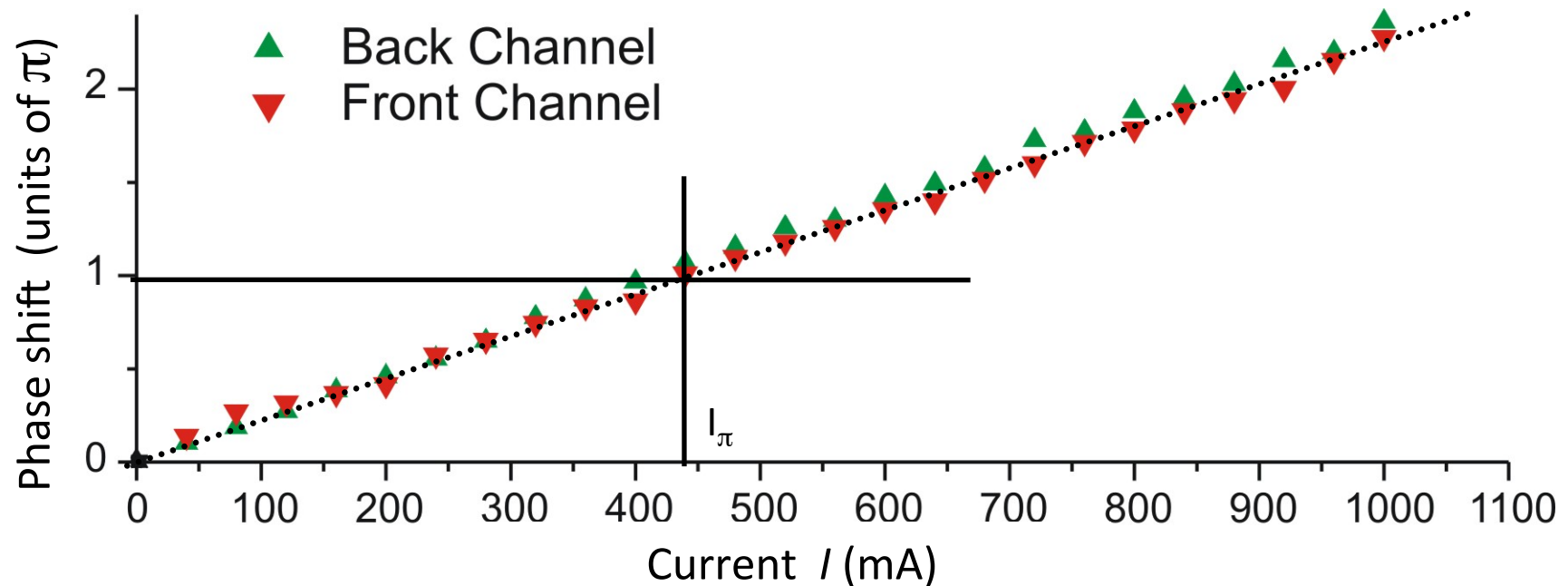
Spin-wave logic gates

Mach-Zehnder interferometer based spin-wave logic gate

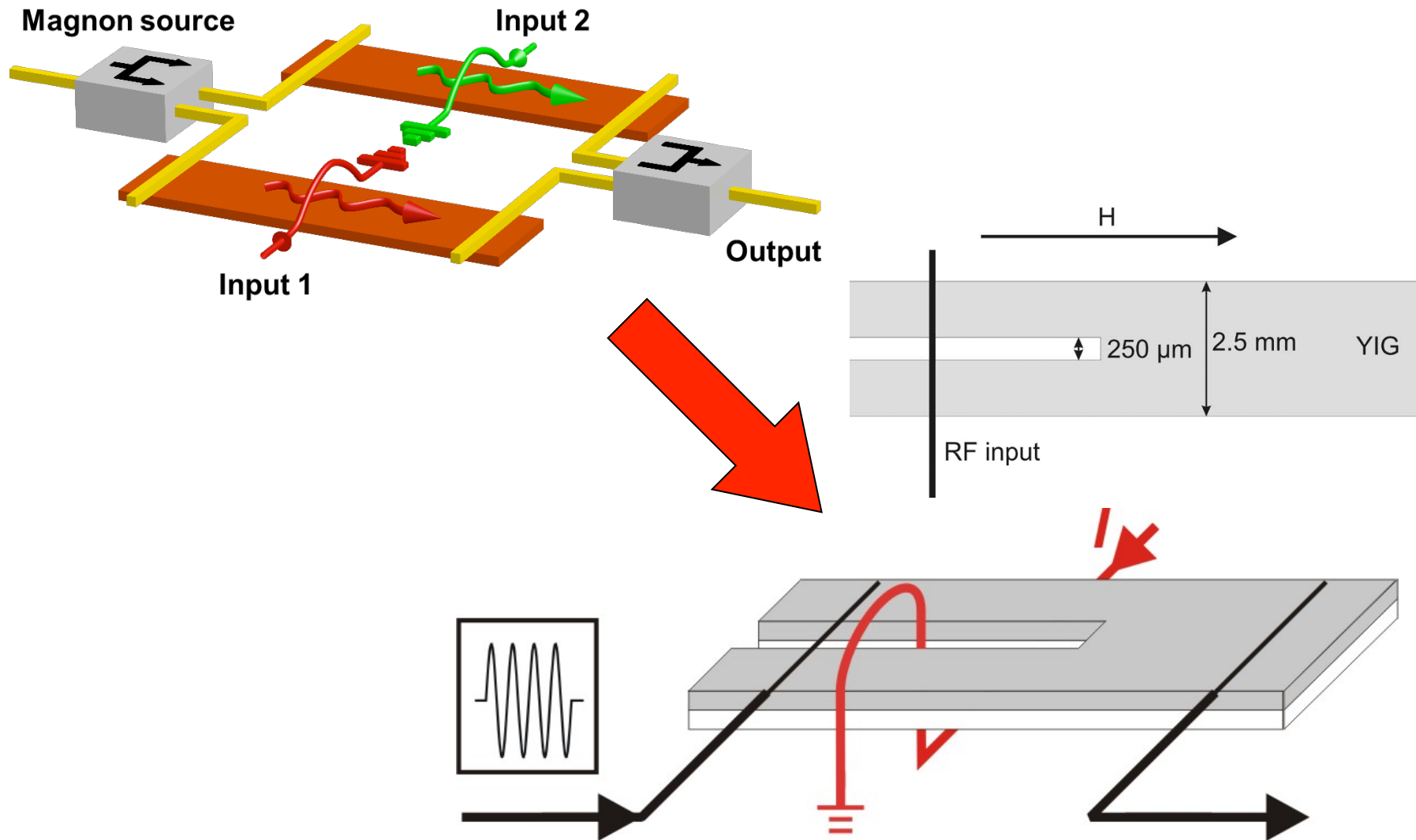


Kostylev et al., **APL 87**, 153501 (2005)

Schneider et al., **APL 92**, 022505 (2008)

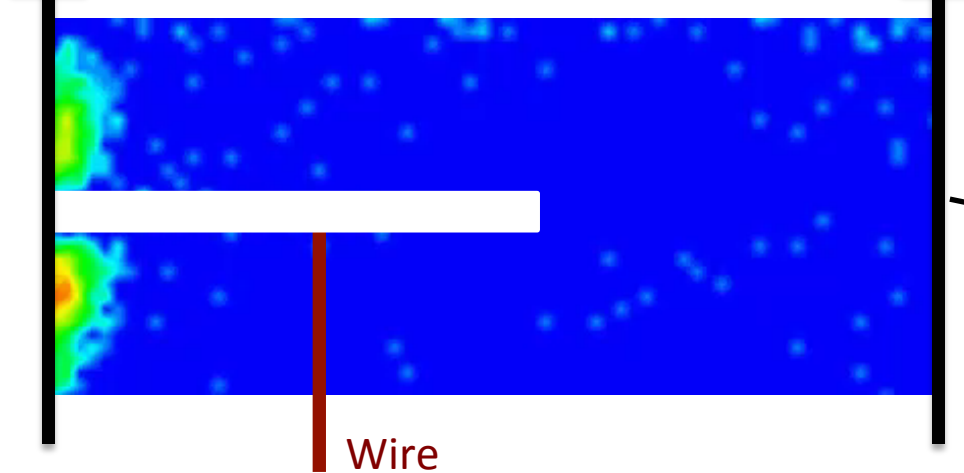


“Interferometer on a waveguide”

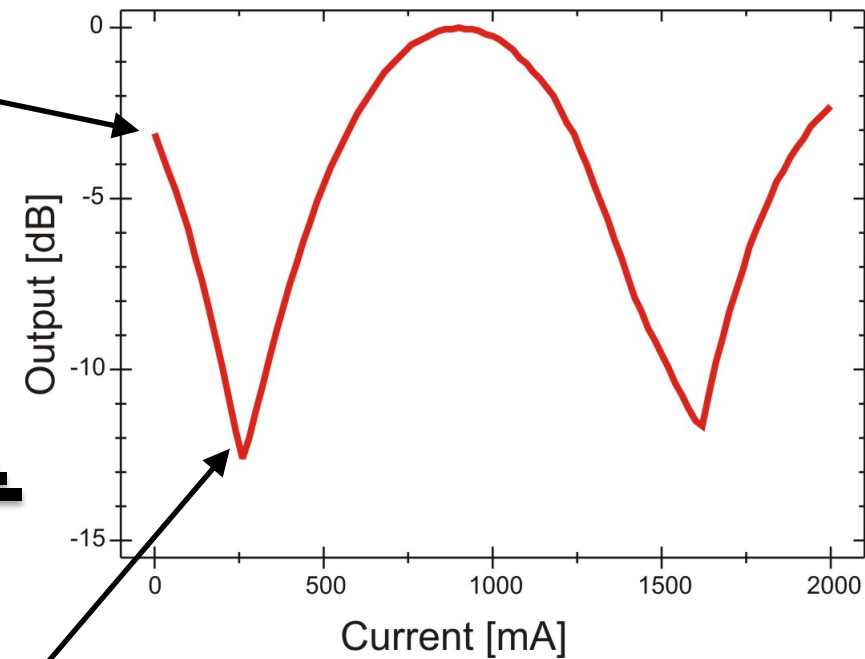
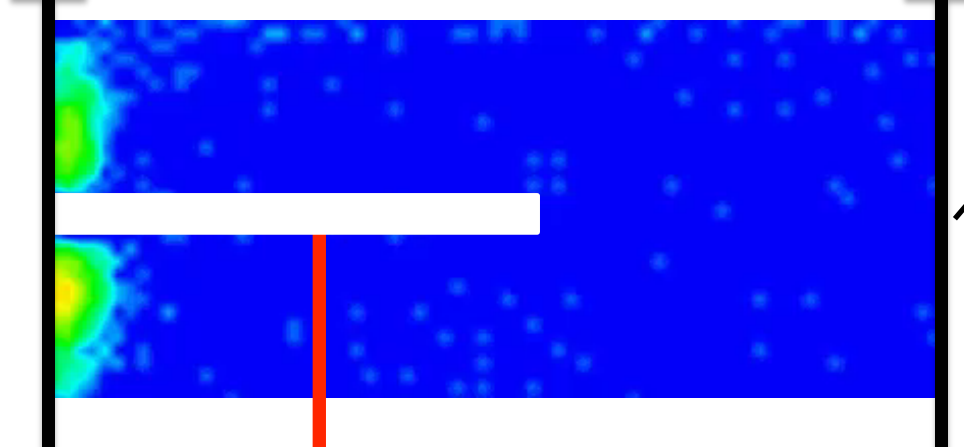


“Interferometer on a waveguide” – BLS measurement

No current applied to the wire

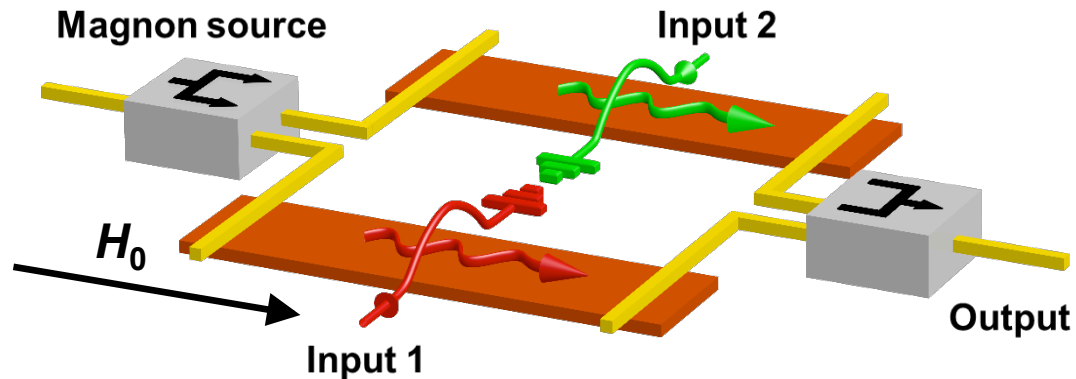


240 mA applied to the wire



Schneider et al., J. of Nanoelectronics and Optoelectronics **3**, 69 (2008)

Mach-Zehnder interferometer based spin-wave logic gate



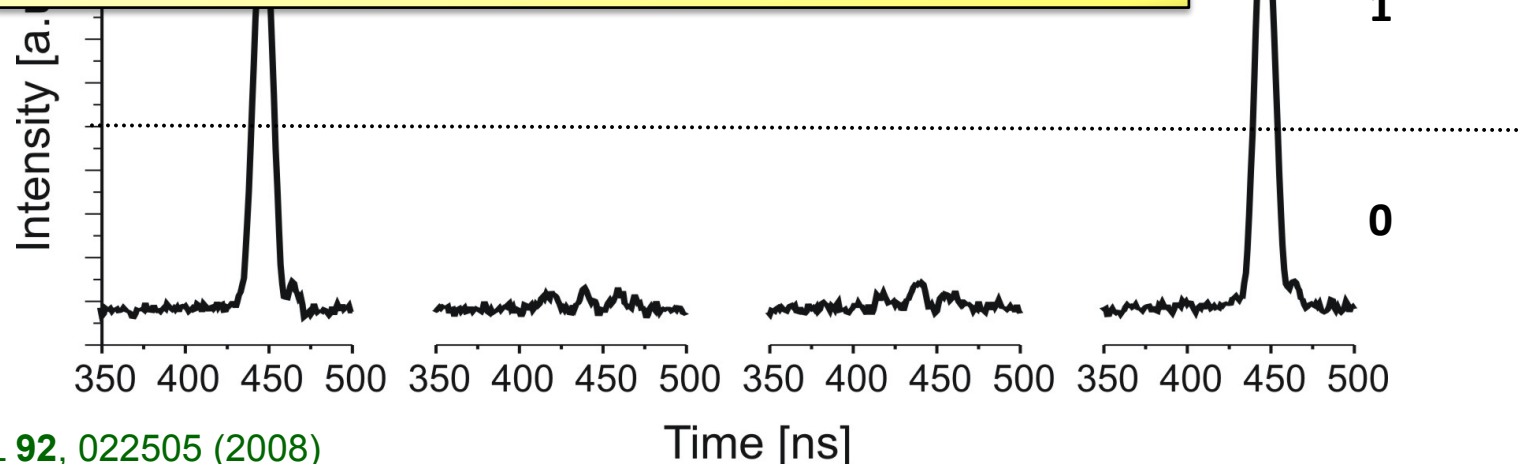
Inputs		Output
A (I_1)	B (I_2)	
0 (0)	0 (0)	1
0 (0)	1 (I_π)	0
1 (I_π)	0 (0)	0
1 (I_π)	1 (I_π)	1

Realization of XNOR gate

Input: DC pulses

Output: magnon packets

How to control one magnon by another?



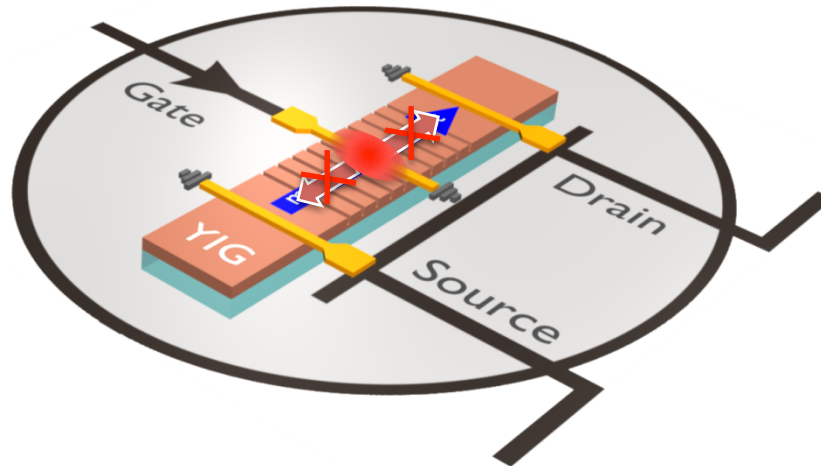
III. Data processing using magnons

- Spin-wave logic gates

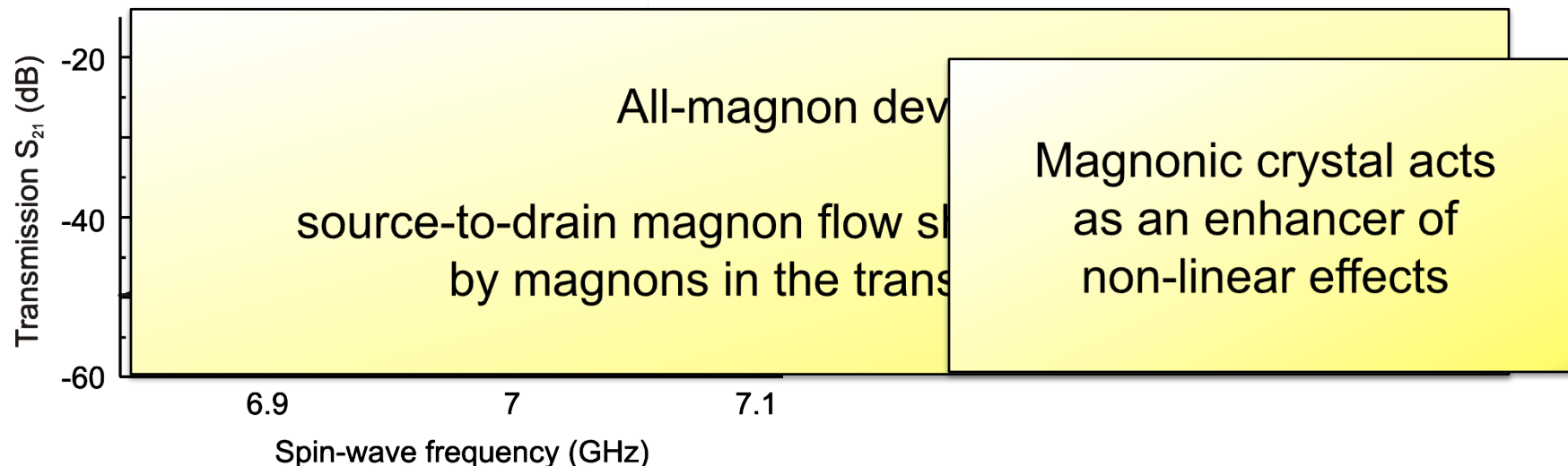
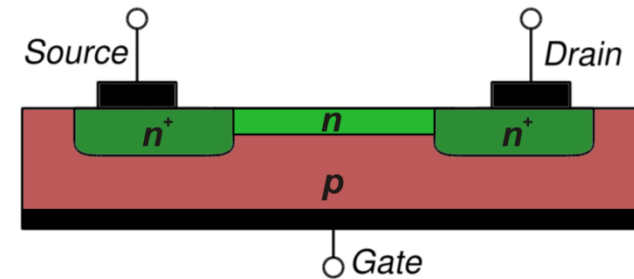


Magnon transistor

Magnon transistor



Semiconductor field-effect transistor:

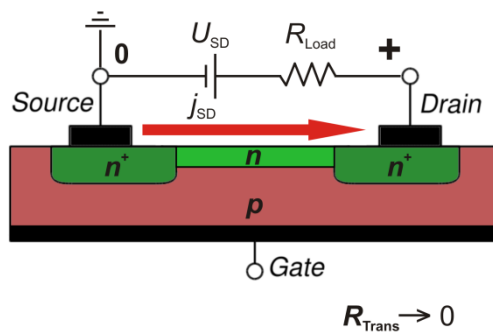
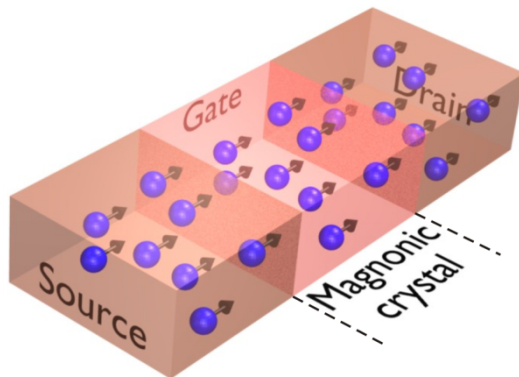


A.V. Chumak et al., Nat. Commun. 5:4700 (2014)

Opened: $R \rightarrow 0$

Gate magnon density

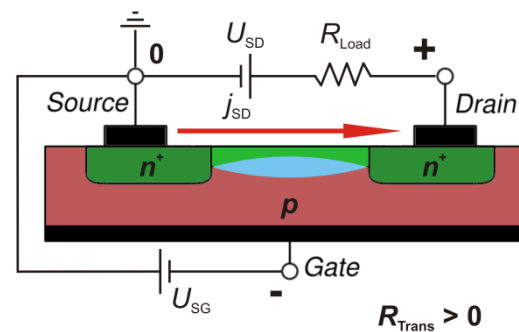
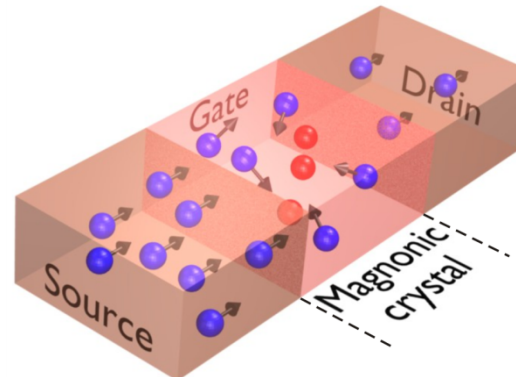
$$n_G = 0$$



Semi-closed: $R > 0$

Gate magnon density

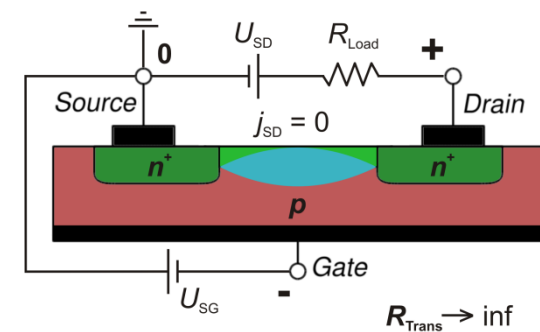
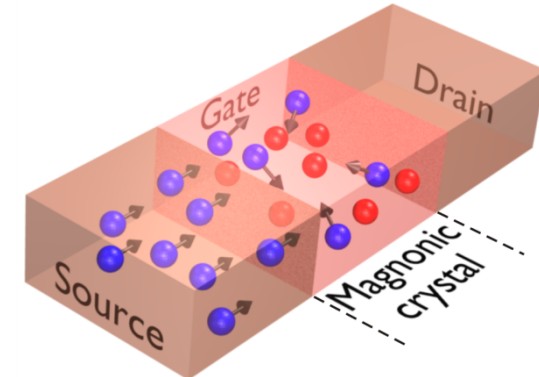
$$n_G > 0$$



Closed: $R \rightarrow \infty$

Gate magnon density

$$n_G \gg 0$$



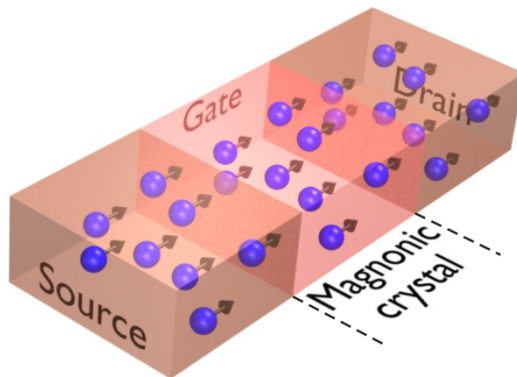
A.V. Chumak et al., Nat. Commun. 5:4700 (2014)

Magnon transistor

Opened: $R \rightarrow 0$

Gate magnon density

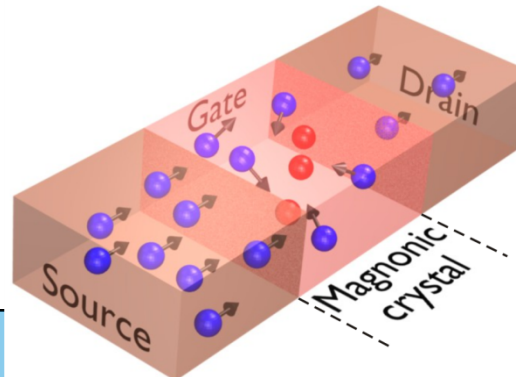
$$n_G = 0$$



Semi-closed: $R > 0$

Gate magnon density

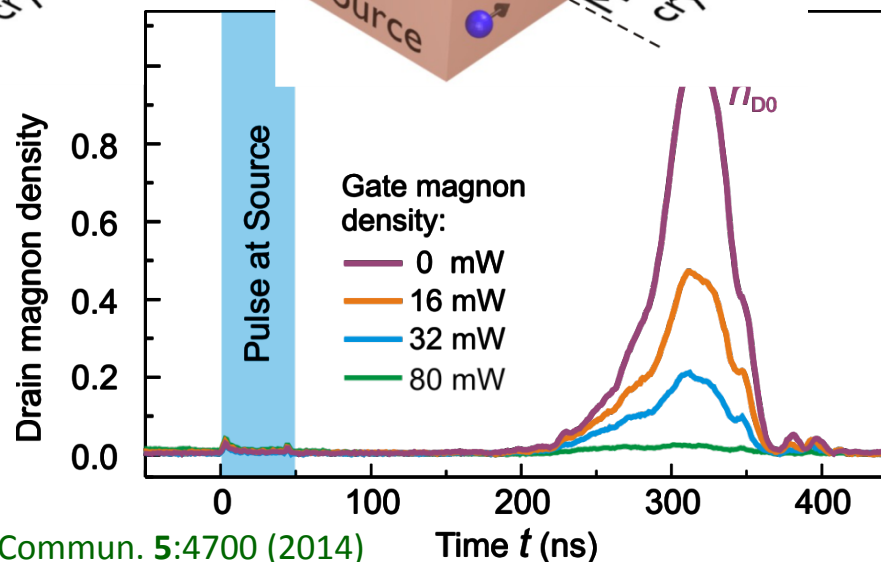
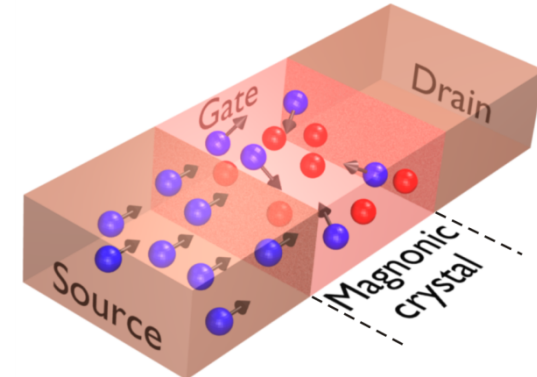
$$n_G > 0$$



Closed: $R \rightarrow \infty$

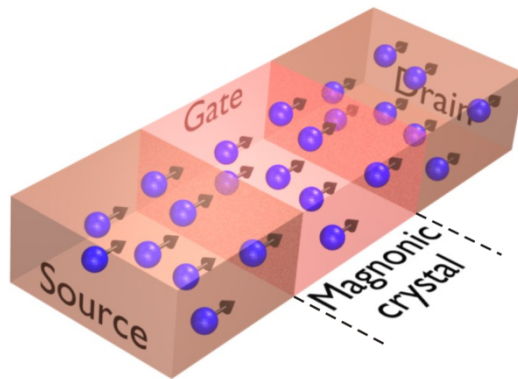
Gate magnon density

$$n_G \gg 0$$

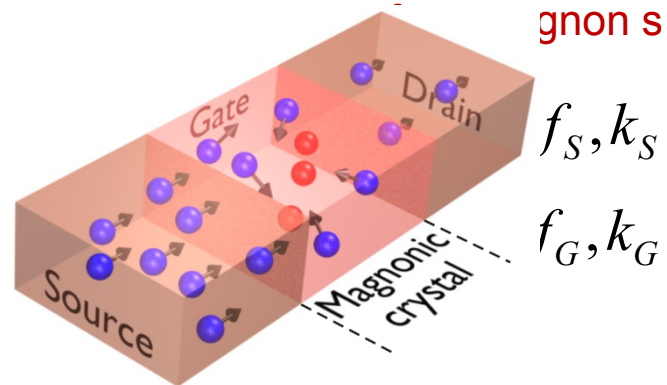


Magnon transistor

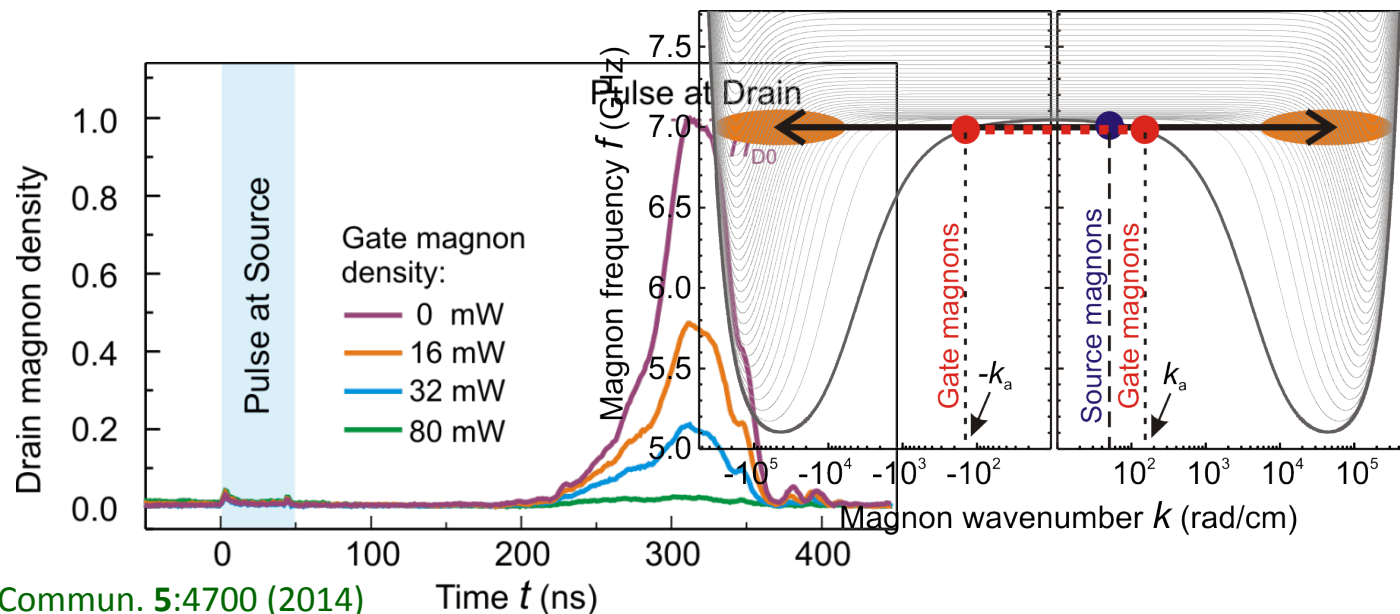
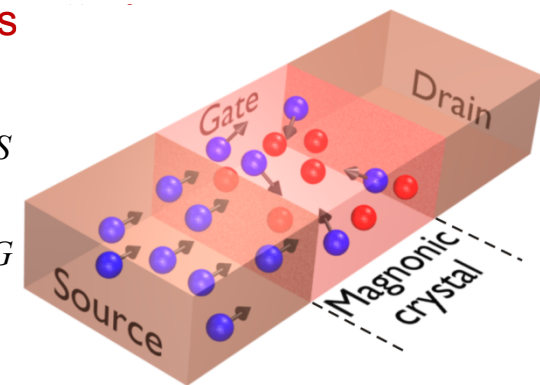
Opened: $R \rightarrow 0$



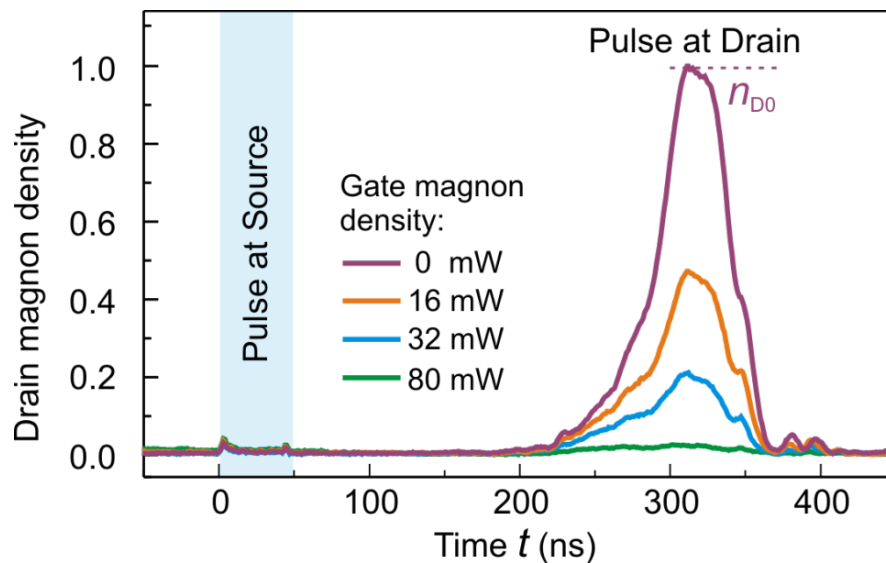
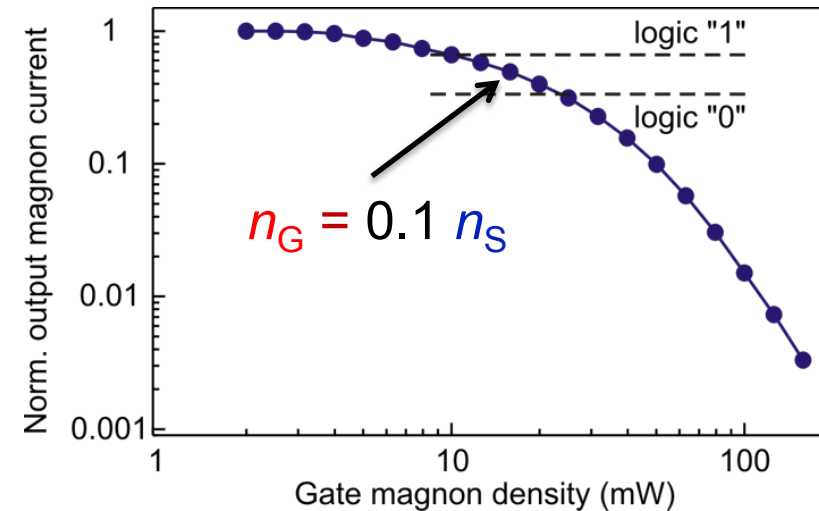
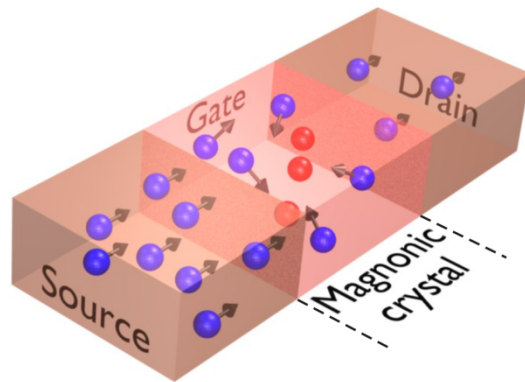
Semi-closed: $R > 0$



Closed: $R \rightarrow \infty$

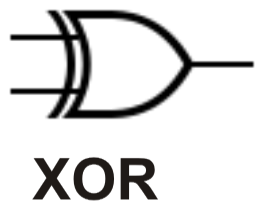


Magnon transistor

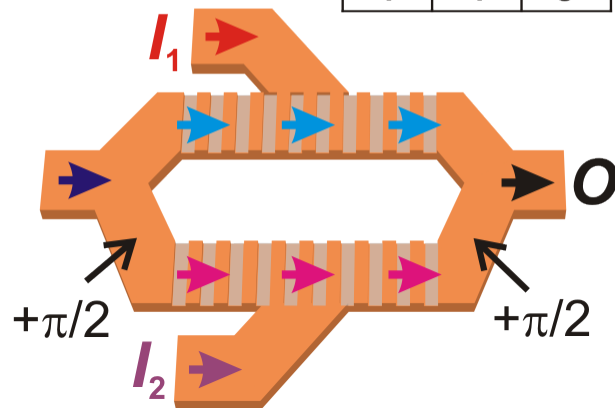


“magnon control by magnon”
 principle was realized:
 data can be processed on
 the same magnetic chip

XOR logic gate

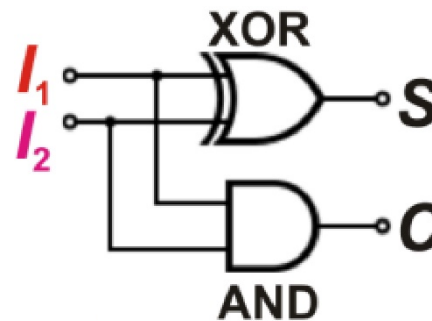


I_1	I_2	O
0	0	0
0	1	1
1	0	1
1	1	0

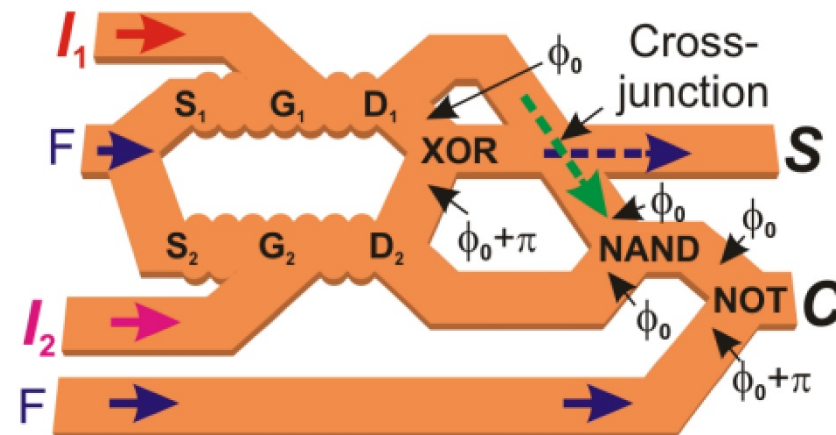


XOR gate requires 2 transistors instead of 8 FET in CMOS


Half adder



I_1	I_2	C	S
0	0	0	0
1	0	0	1
0	1	0	1
1	1	1	0



III. Data processing using magnons

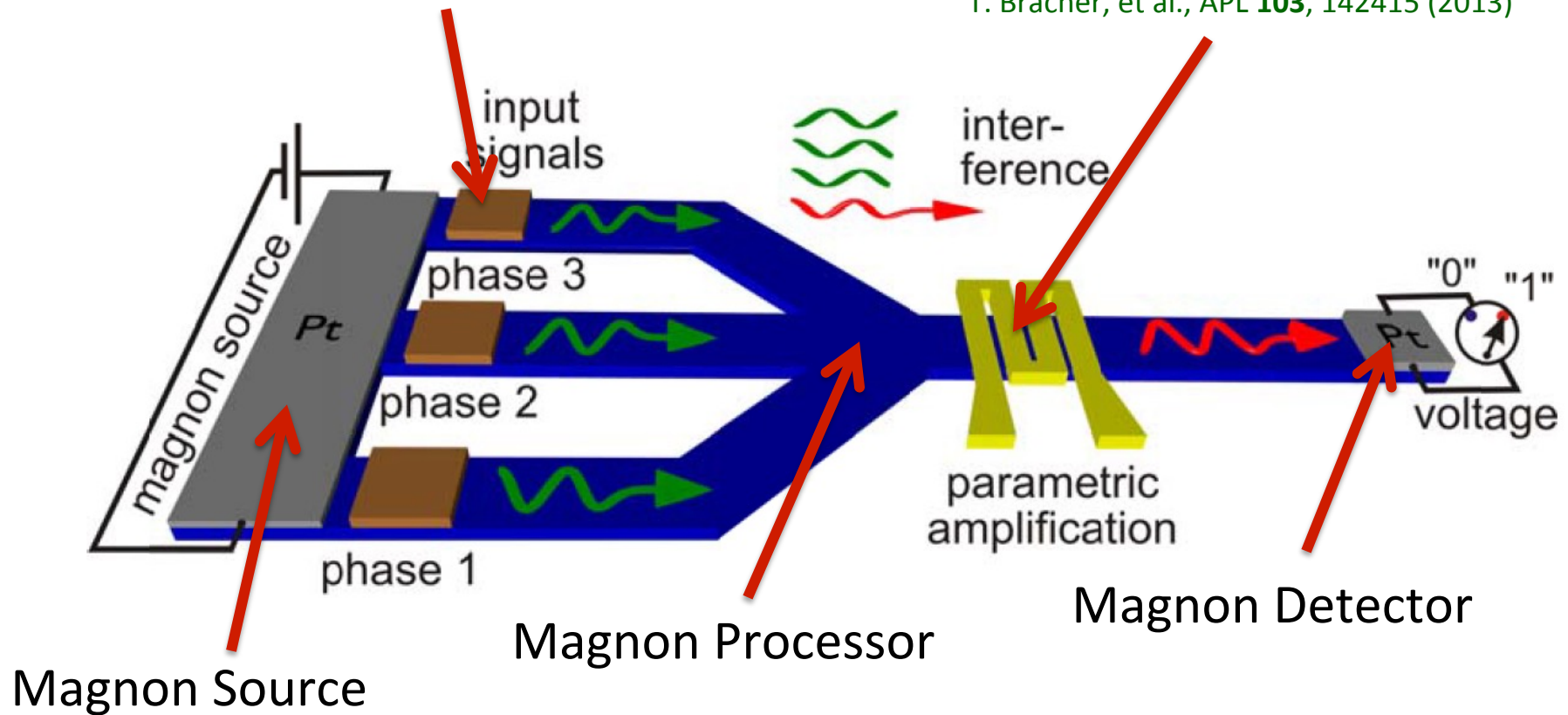
- Spin-wave logic gates
 - Magnon transistor
-  Magnon majority gate

Phase Shifter

T. Neumann, et al. APL **94**, 042503 (2009)
 M.P. Kostylev, et al., PRB **76**, 184419 (2007)

Parametric Amplifier

T. Brächer, et al. APL **104**, 092418 (2014)
 T. Brächer, et al., APL **103**, 142415 (2013)



Design of a spin-wave majority gate employing mode selection

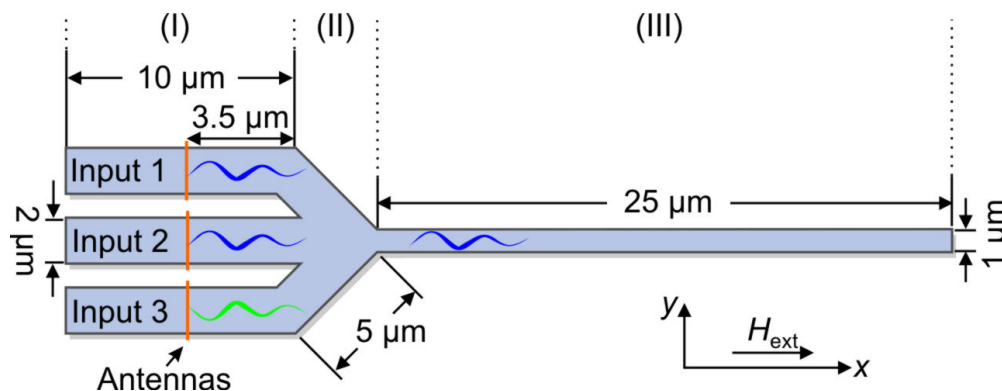
S. Klingler,^{1,*} P. Pirro,¹ T. Brächer,¹ B. Leven,¹ B. Hillebrands,¹ and A. V. Chumak¹

¹*Fachbereich Physik and Landesforschungszentrum OPTIMAS,
Technische Universität Kaiserslautern, 67663 Kaiserslautern, Germany*

(Dated: August 15, 2014)

Majority gate design:

100 nm YIG, Pirro et al., *APL* **104**, 012402 (2014)



In CMOS 56 transistors (3 NOT, 4 AND, 3 OR) are needed for majority gate

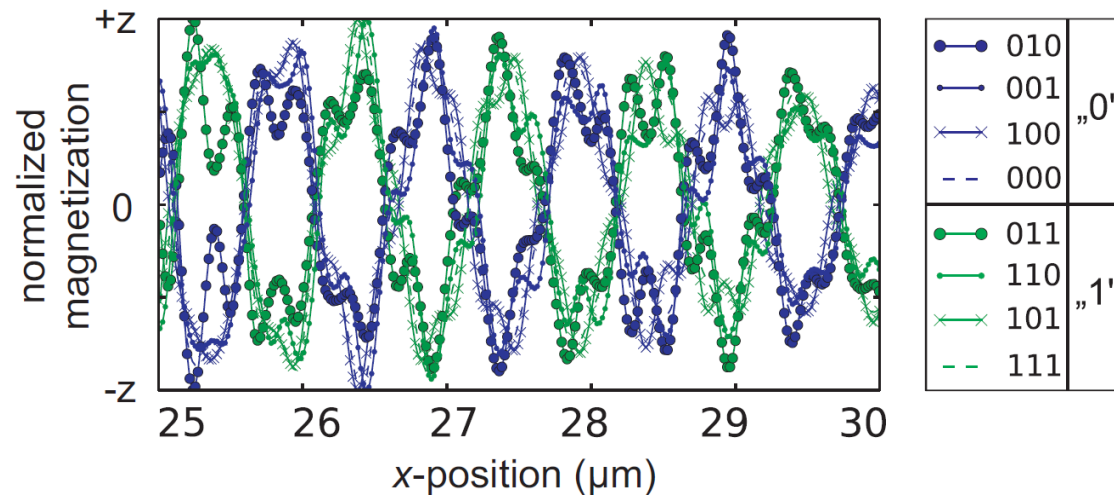
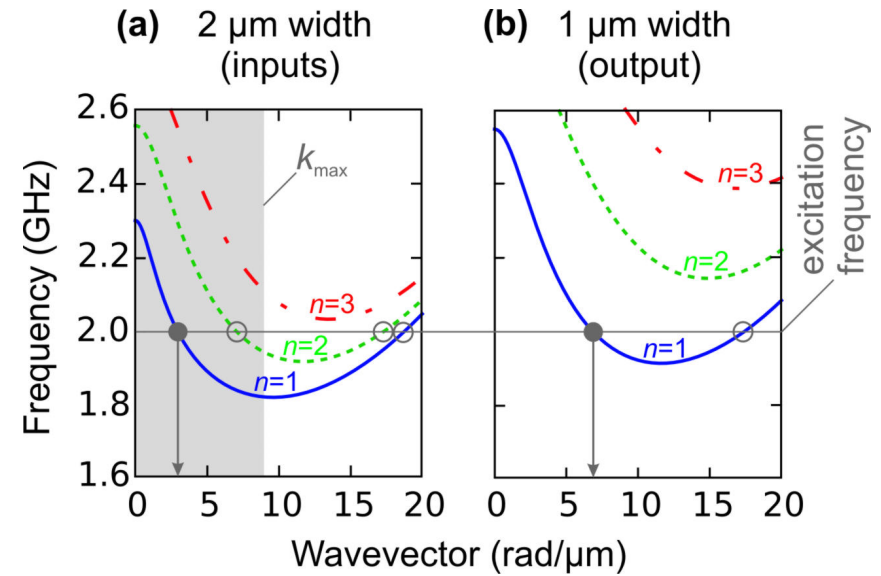
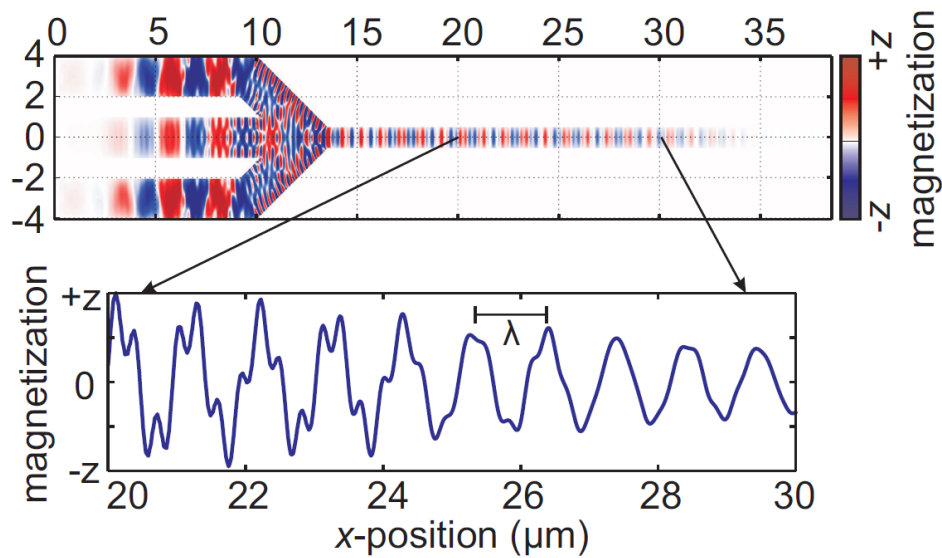
S. Klingler et al., arXiv: 1408.3235

Truth-table:

Input 1 Signal	Input 2 Signal	Input 3 Control	Output	
0	0	0	0	} AND
1	0	0	0	
0	1	0	0	
1	1	0	1	} OR
0	0	1	0	
1	0	1	1	
0	1	1	1	
1	1	1	1	

Data is coded into spin-wave phase

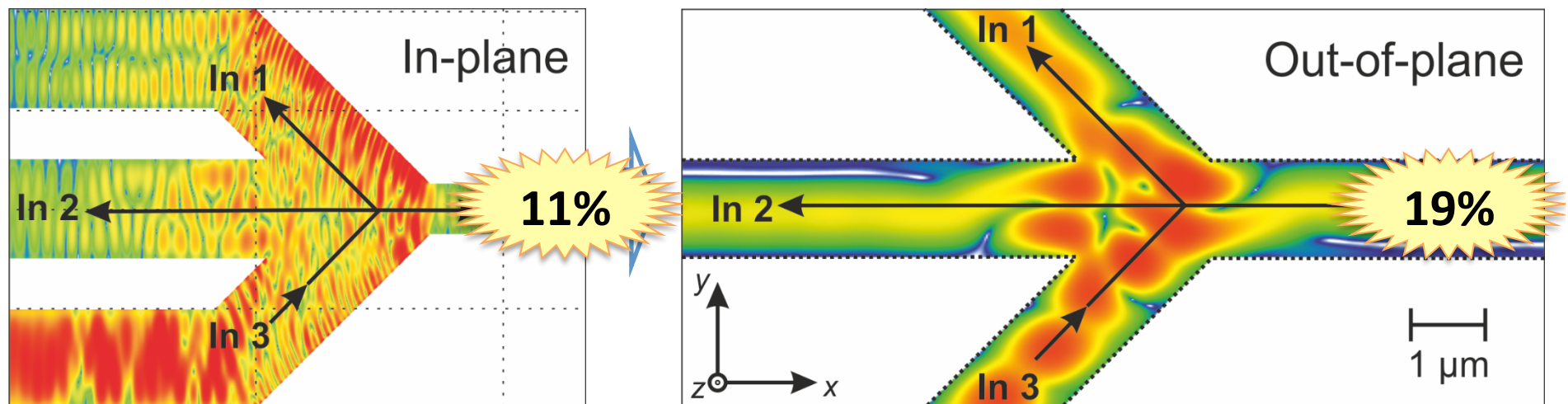
Majority gates: Simulations



Majority gates: Out-of-plane magnetization

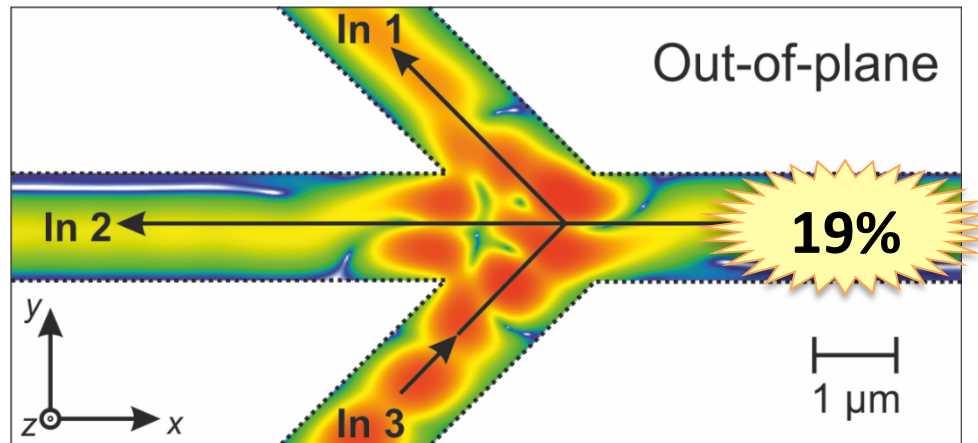
Switch from the in-plane magnetization to the out-of-plane
(see e.g. T. Schwarze, et al., *Phys. Rev. B* 85, 134448 (2012))

Forward volume spin waves are isotropic (always transverse to field)

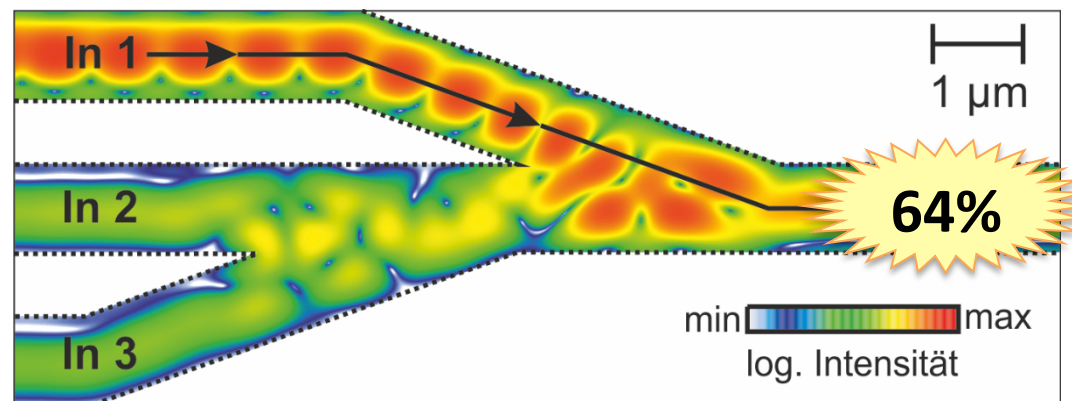


but no parasitic generation of high-wavenumber magnons

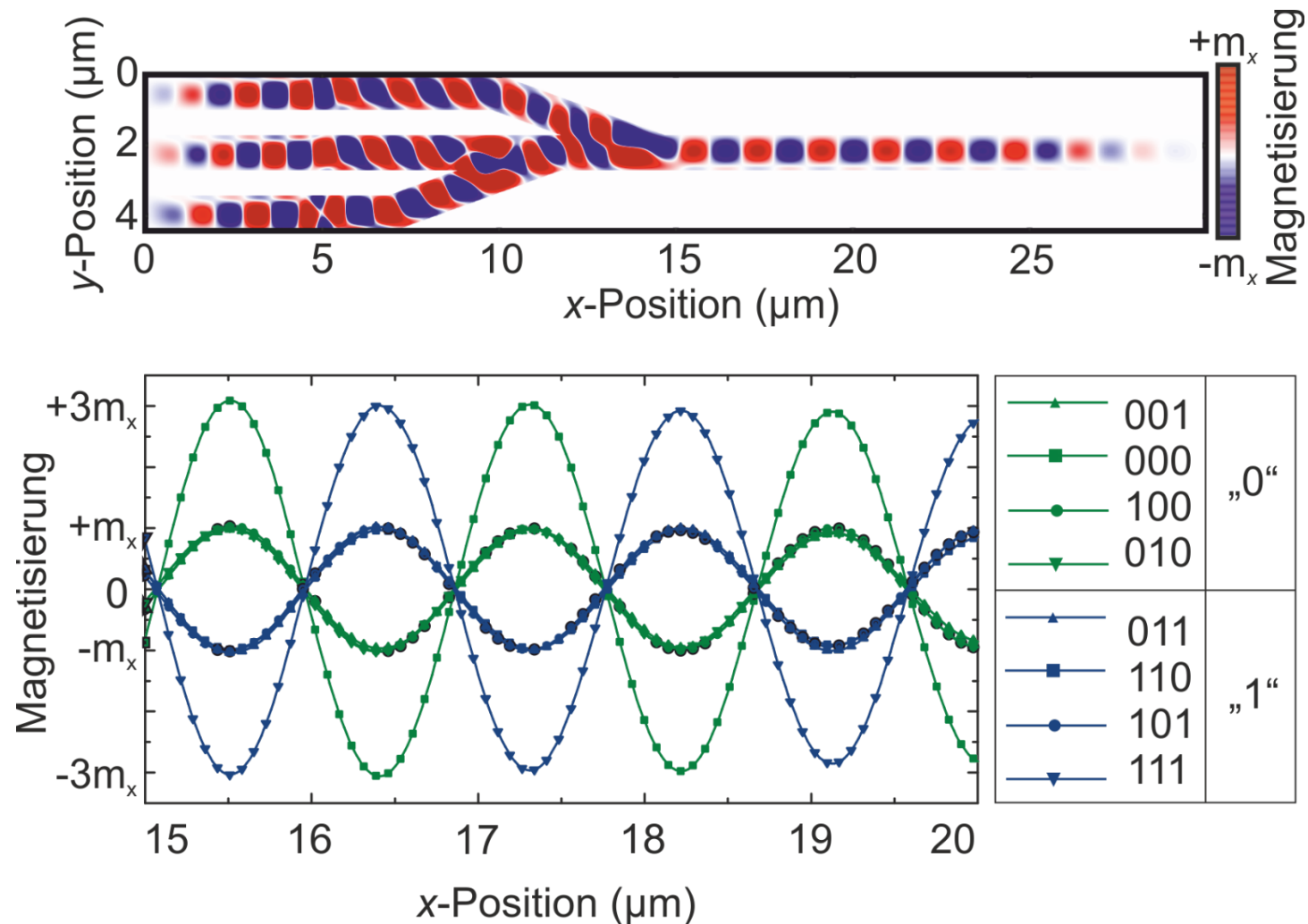
Majority gates: Out-of-plane magnetization



How to increase this value?



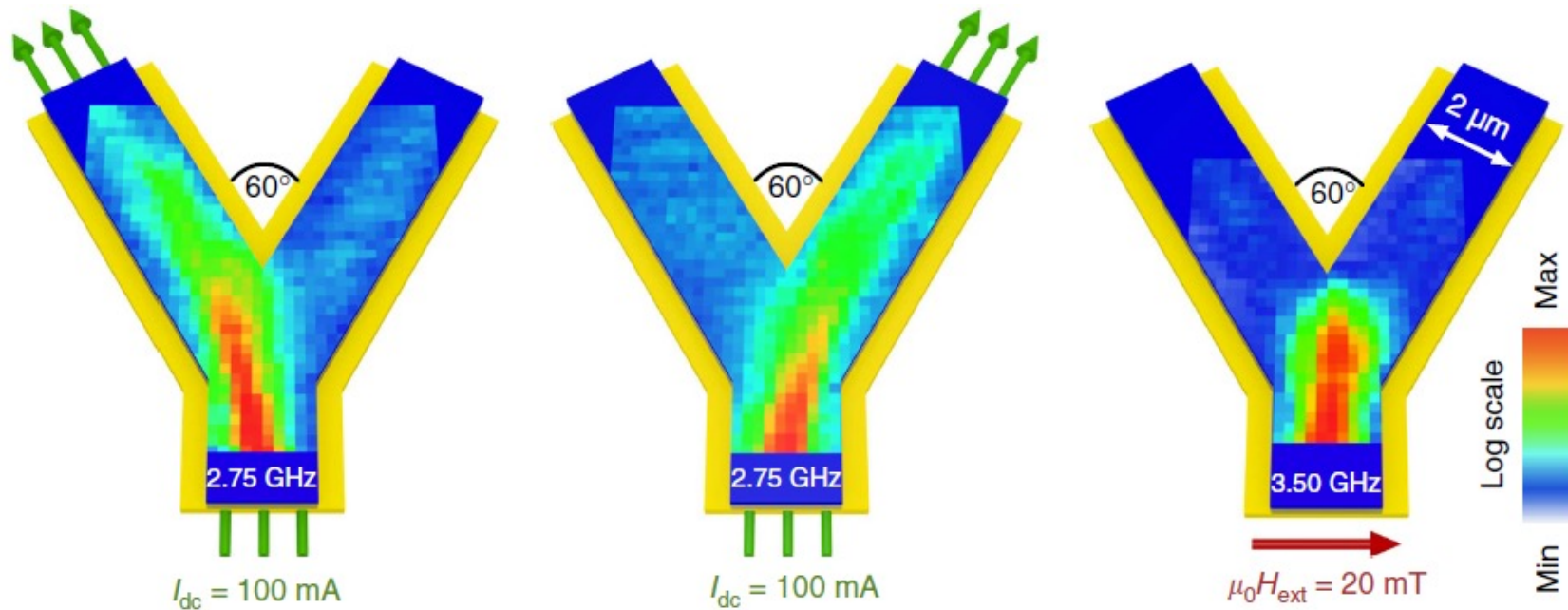
Results of numerical simulation (MuMax 2)



III. Data processing using magnons

- Spin-wave logic gates
- Magnon transistor
- Magnon majority gate
- ➔ Magnon multiplexer

Magnon multiplexer



Spin-wave propagation path was controlled by a DC current

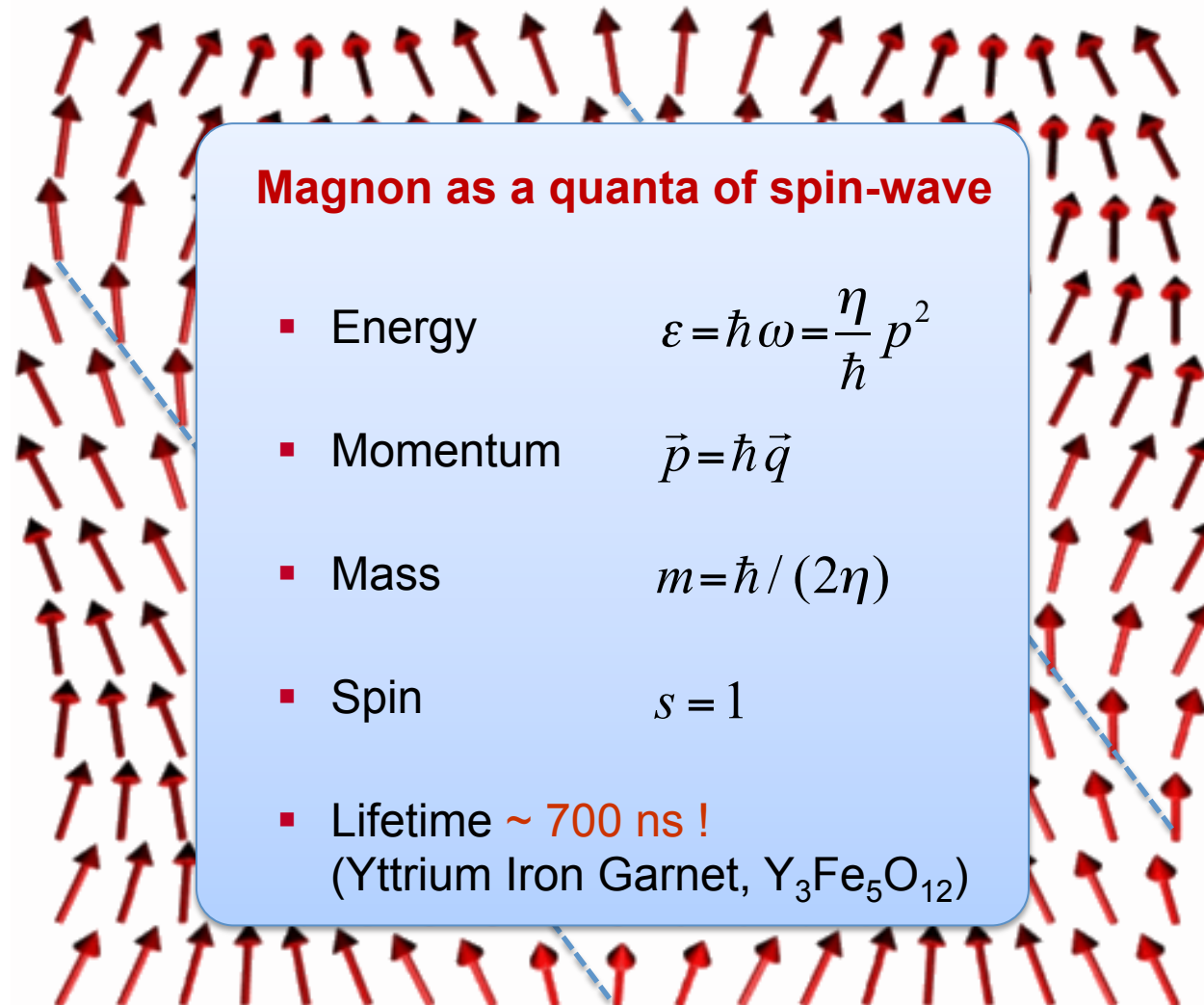
- **Classical Computing**
 - Scalar variable
 - Boolean logic
- **Wave Computing**
 - Vector variable
 - Special task data processing
- **Quantum Computing**
 - Vector state variable
 - Entanglement



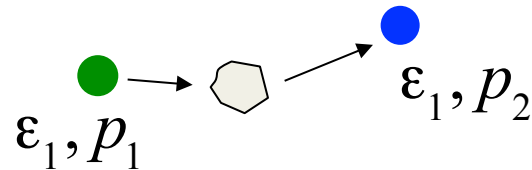
IV. Magnonic supercurrents

Main idea: find macroscopic magnonic quantum states for information transfer and processing

- analogous to superconductivity (Josephson currents), and to superfluidity in ^3He and ^4He
- free of dissipation (apart from magnon-phonon and magnon-electron coupling)
- Bose-Einstein Condensation (BEC) of magnons
- Supercurrents in magnon condensates

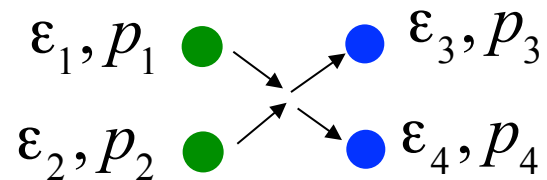


TWO-MAGNON SCATTERING



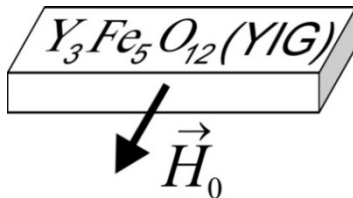
Magnon gas of interacting quasiparticles
Number of particles is conserved

FOUR-MAGNON SCATTERING



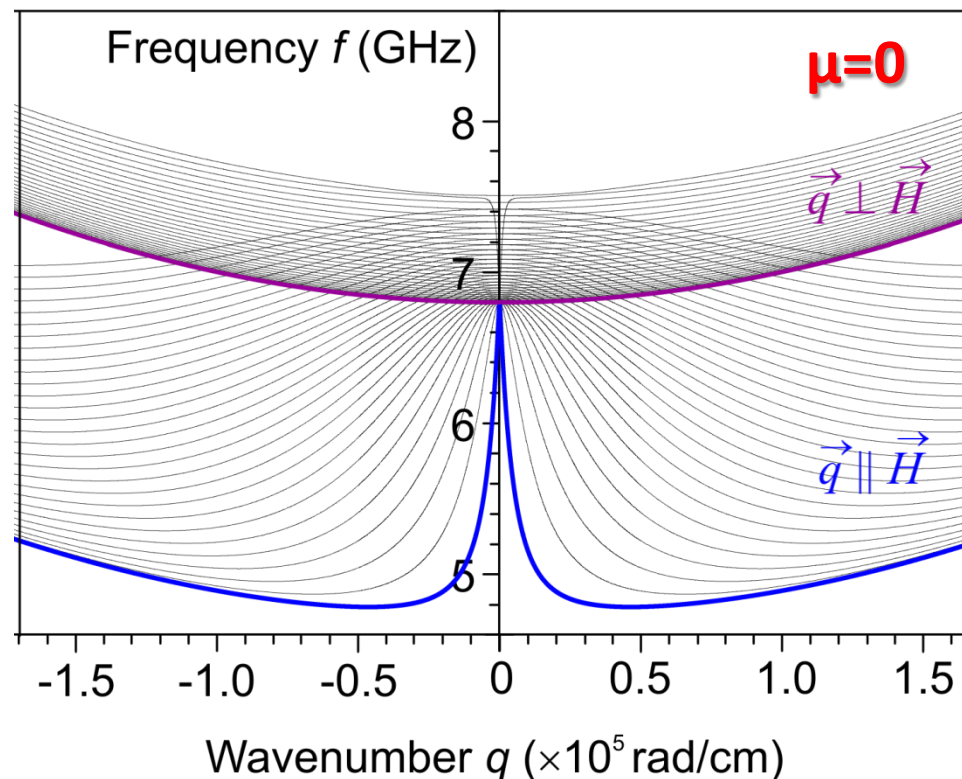
Magnon distribution

Magnons are **bosons** ($s=1$)
and thus as any quasi-particles
are described by Bose-Einstein distribution
with **zero chemical potential**



**Bose-Einstein
distribution**

$$\rho(f) = \frac{D(f)}{\exp\left(\frac{hf - \mu}{k_B T}\right) - 1}$$



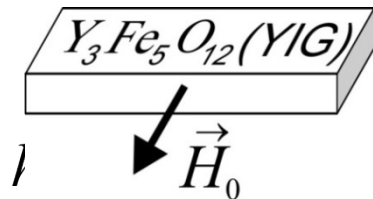
Control of magnon gas density by parametric pumping

Energy and
momentum
conservation laws

$$\begin{cases} \vec{q}_{sw} + \vec{q}'_{sw} = \vec{q}_p \approx 0 \\ f_{sw} + f'_{sw} = f_p \end{cases}$$

f_p

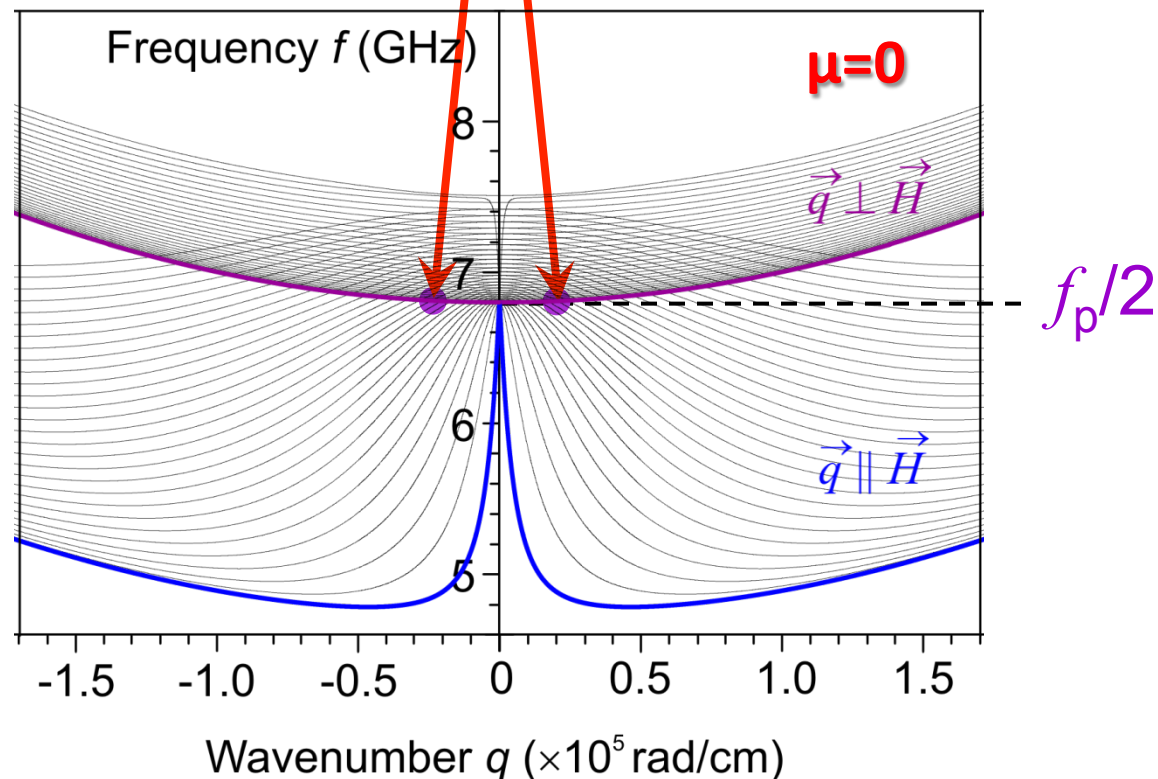
Parametric pumping
by electromagnetic wave
at microwave frequency



**Bose-Einstein
distribution**

$$\rho(f) = \frac{D(f)}{\exp\left(\frac{\hbar f - \mu}{k_B T}\right) - 1}$$

μ : chemical potential

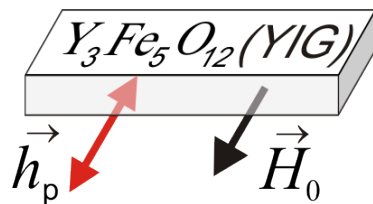


Control of magnon gas density by parametric pumping

Energy and momentum conservation laws

$$\begin{cases} \vec{q}_{sw} + \vec{q}'_{sw} = \vec{q}_p \approx 0 \\ f_{sw} + f'_{sw} = f_p \end{cases}$$

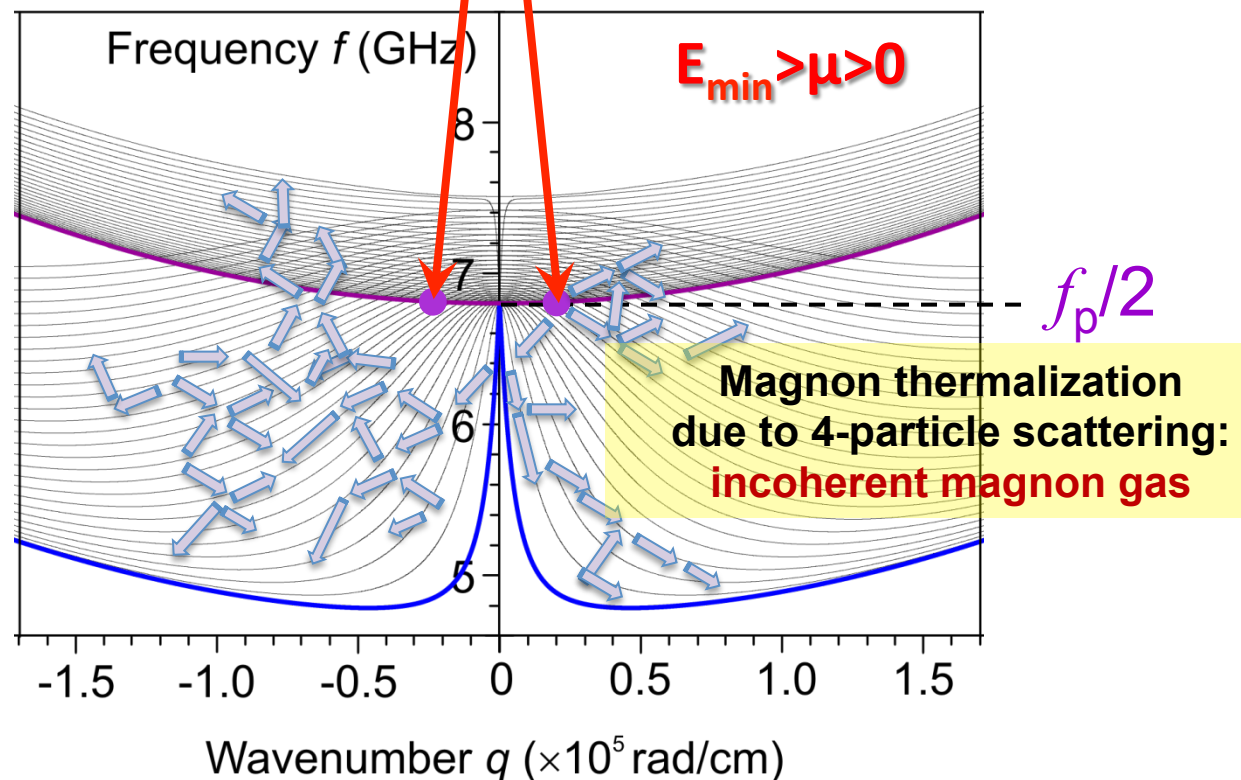
f_p Parametric pumping
by electromagnetic wave
at microwave frequency



Bose-Einstein distribution

$$\rho(f) = \frac{D(f)}{\exp\left(\frac{hf - \mu}{k_B T}\right) - 1}$$

μ : chemical potential

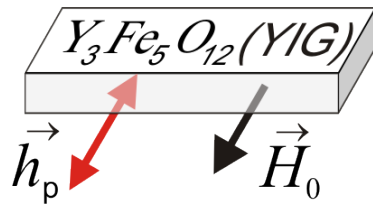


Control of magnon gas density by parametric pumping

Energy and momentum conservation laws

$$\begin{cases} \vec{q}_{sw} + \vec{q}'_{sw} = \vec{q}_p \approx 0 \\ f_{sw} + f'_{sw} = f_p \end{cases}$$

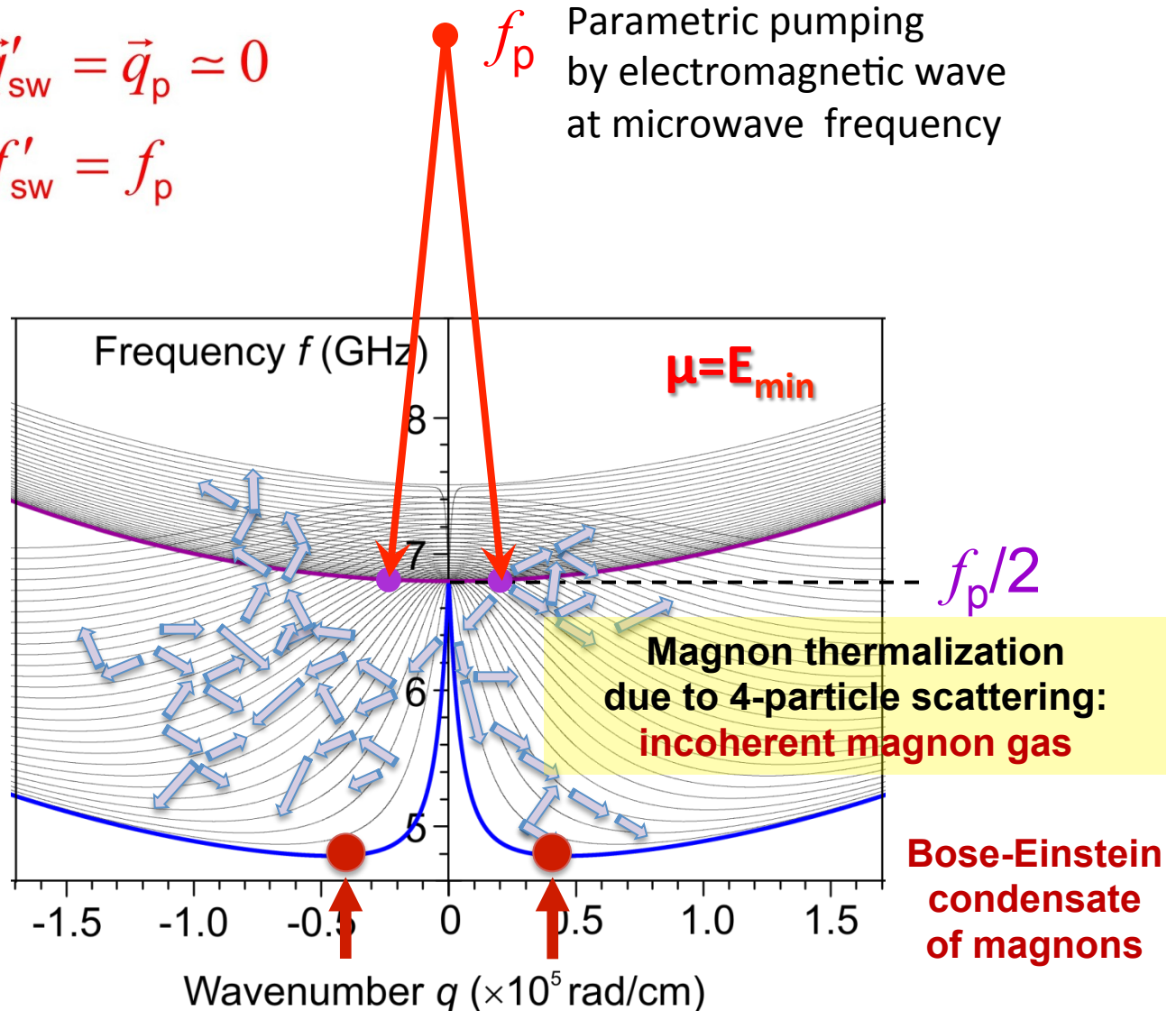
Parametric pumping
by electromagnetic wave
at microwave frequency



Bose-Einstein distribution

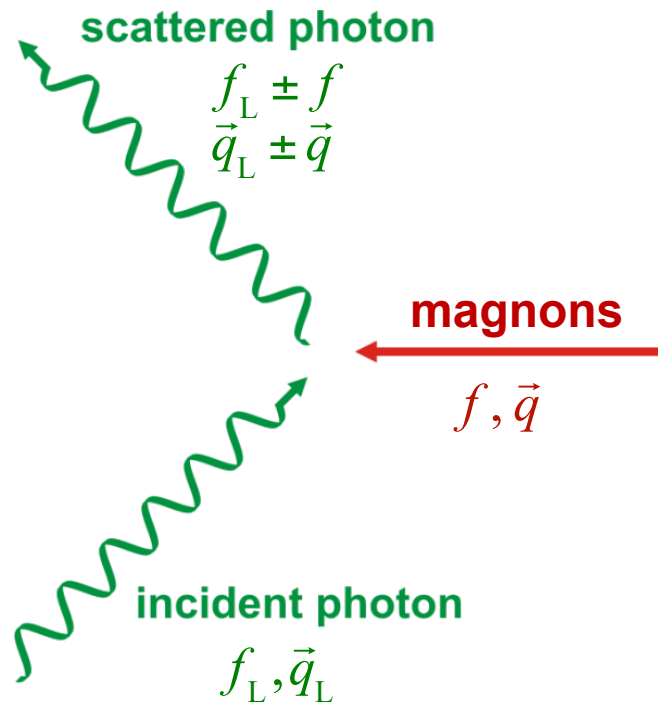
$$\rho(f) = \frac{D(f)}{\exp\left(\frac{hf - \mu}{k_B T}\right) - 1}$$

μ : chemical potential



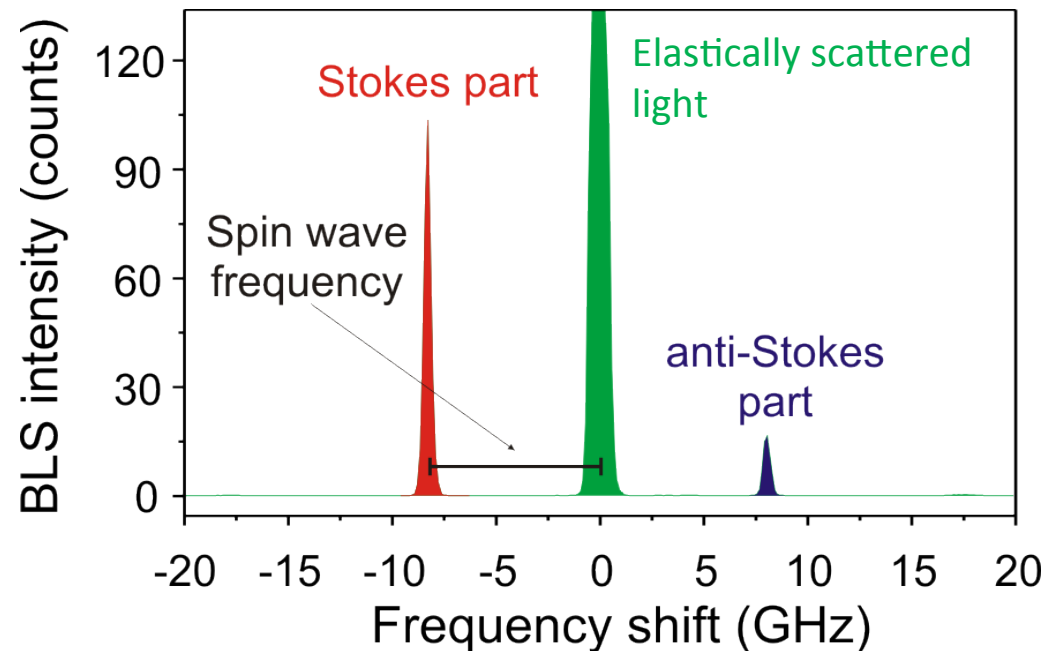
Brillouin light scattering process

= inelastic scattering of photons from spin waves

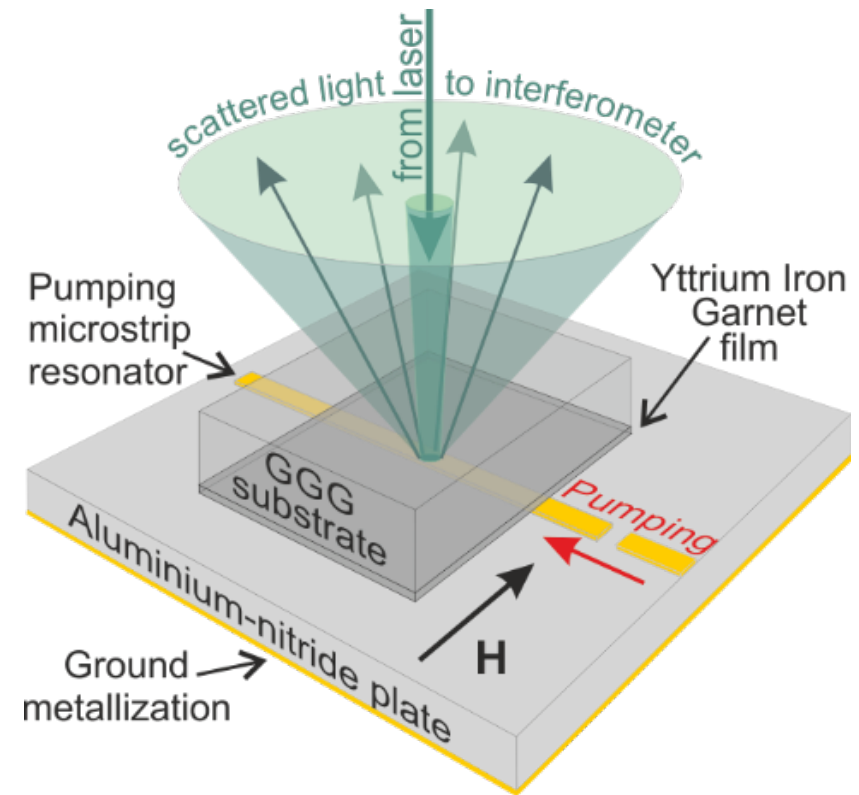
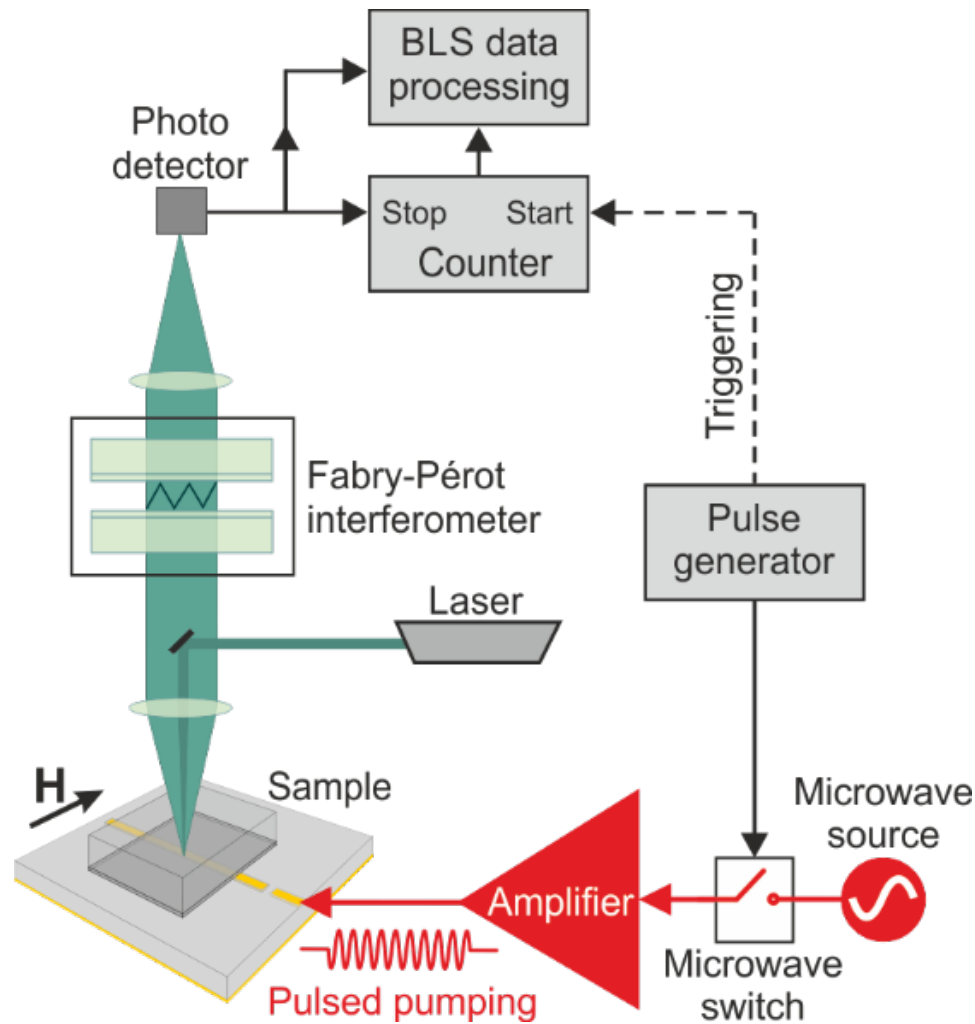


$$f_{\text{scattered L}} = f_L \pm f$$

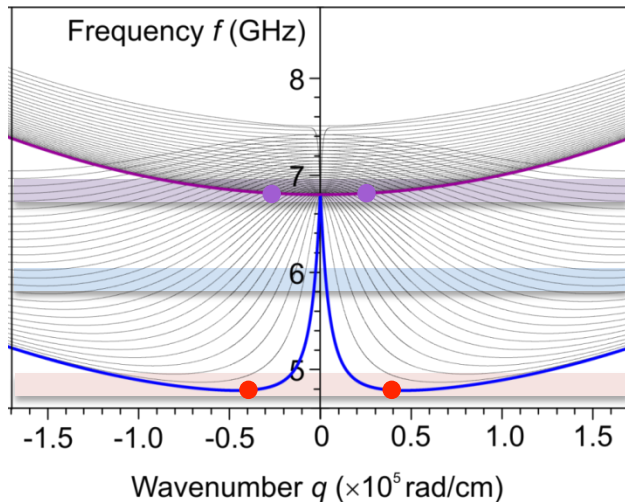
$$\vec{q}_{\text{scattered L}} = \vec{q}_L \pm \vec{q}$$



Time-resolved Brillouin light scattering spectroscopy



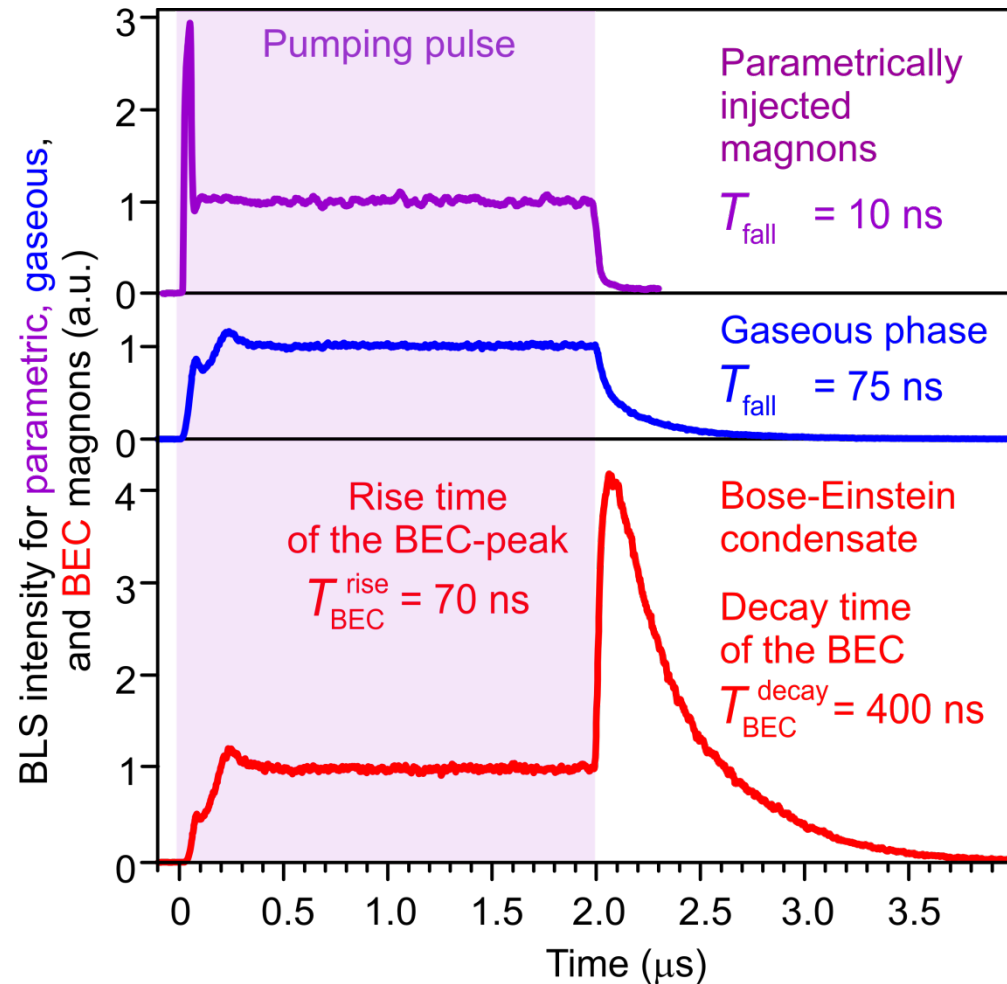
Parametric magnons, gaseous phase, and magnon BEC



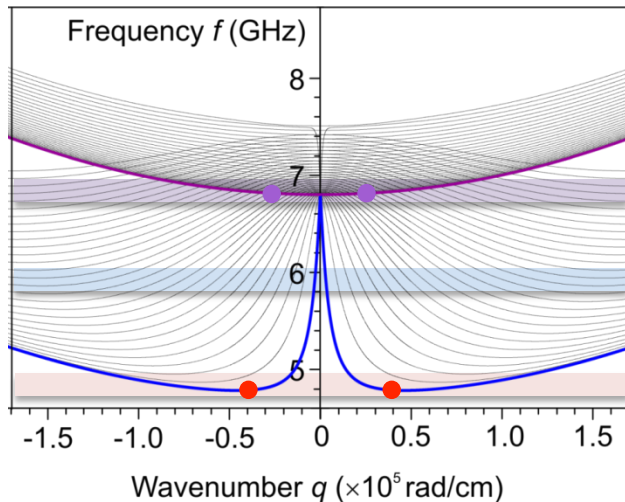
Decrease of density of
parametric magnons
and
gaseous magnon phase



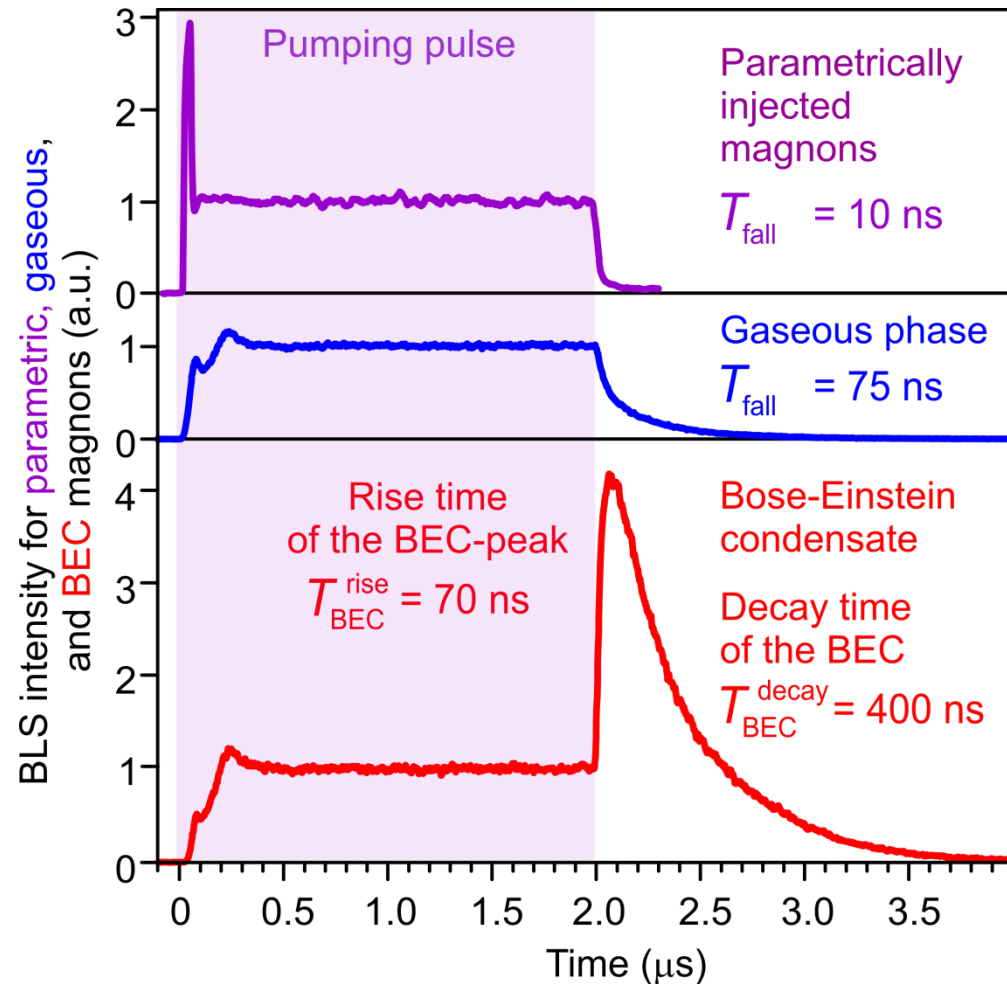
Sharp increase of
intensity of **pumping free**
BEC of magnons



Parametric magnons, gaseous phase, and magnon BEC



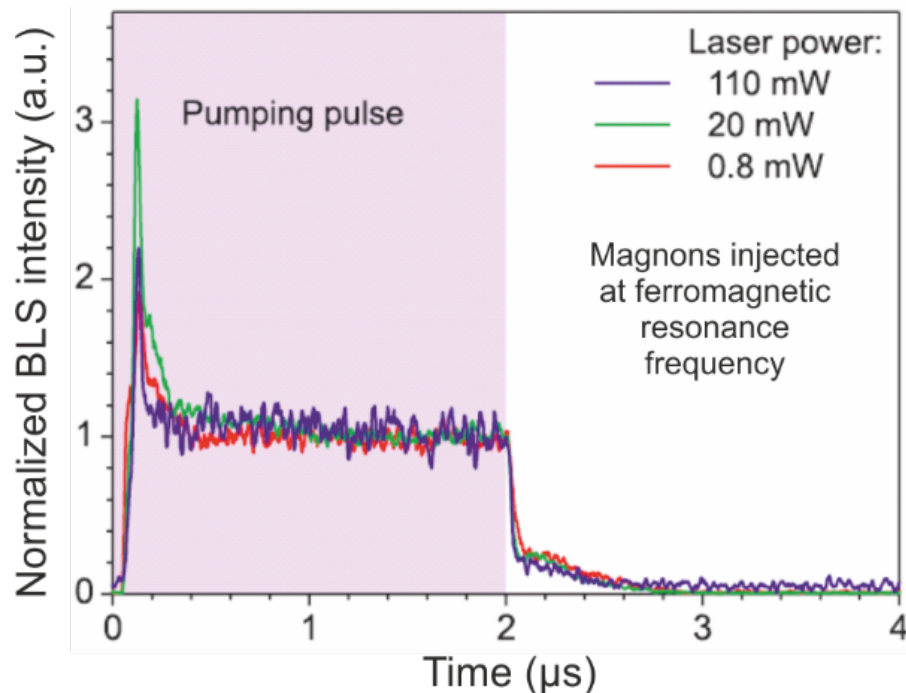
Evaporative
supercooling
of strongly
overheated
low energy area
of the magnon gas



Serga et al., Nature Communications **5**, 4452 (2014)

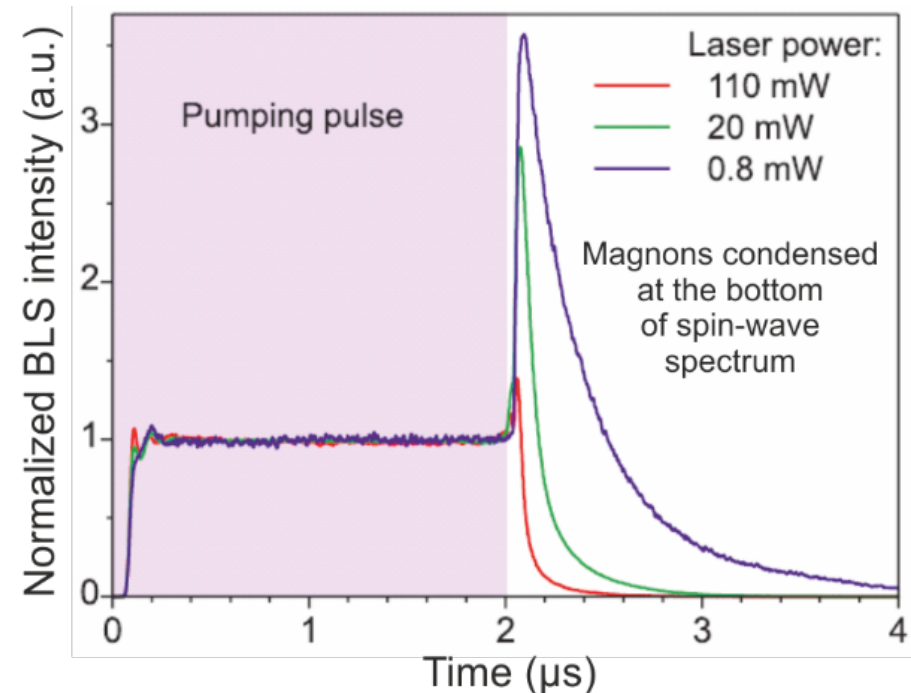
Parametrically injected magnons

- No influence from laser power on temporal dynamics !
- Laser heating decreases magnetization and thus strongly shifts down the magnon dispersion branch

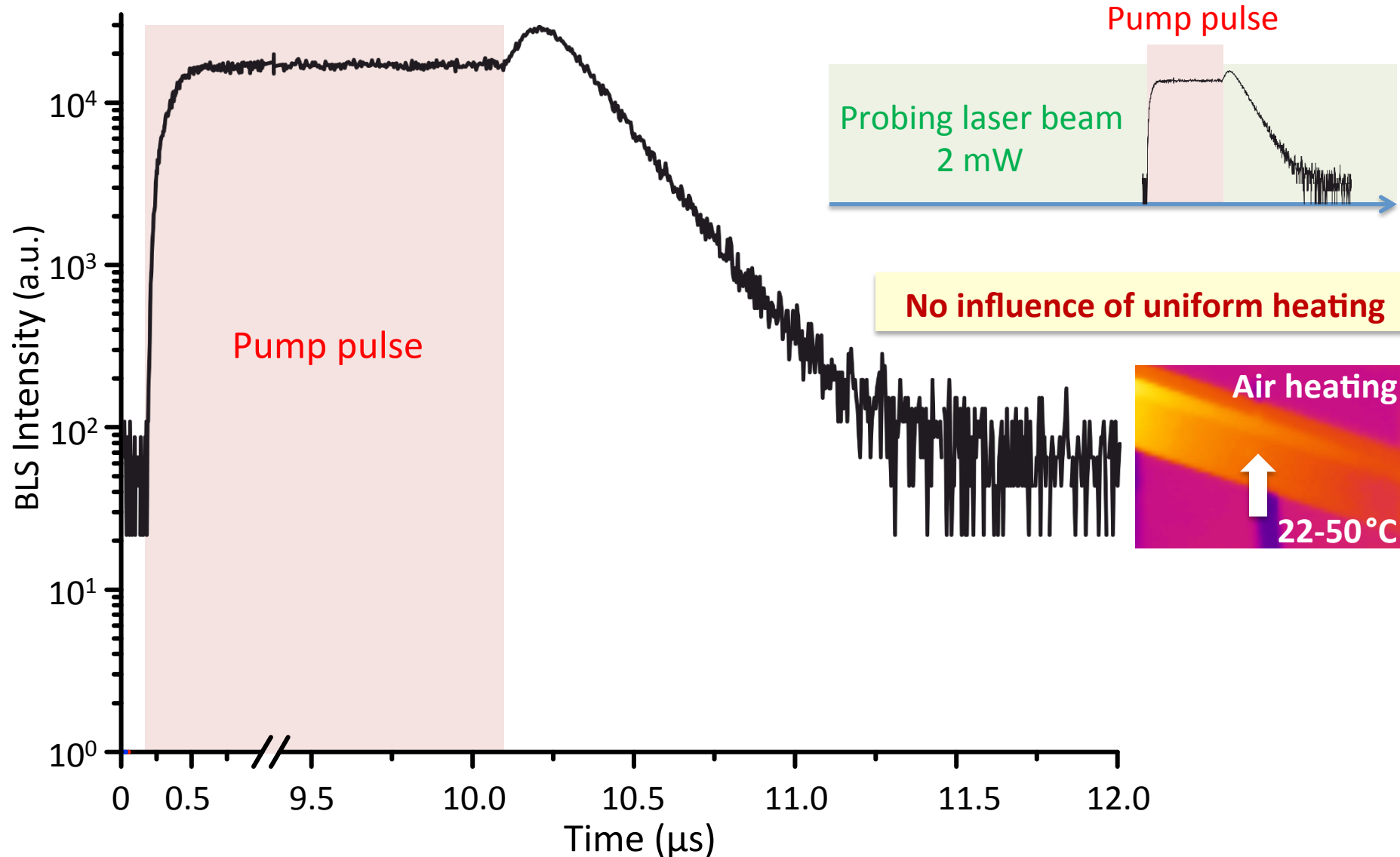


Bose-Einstein condensate

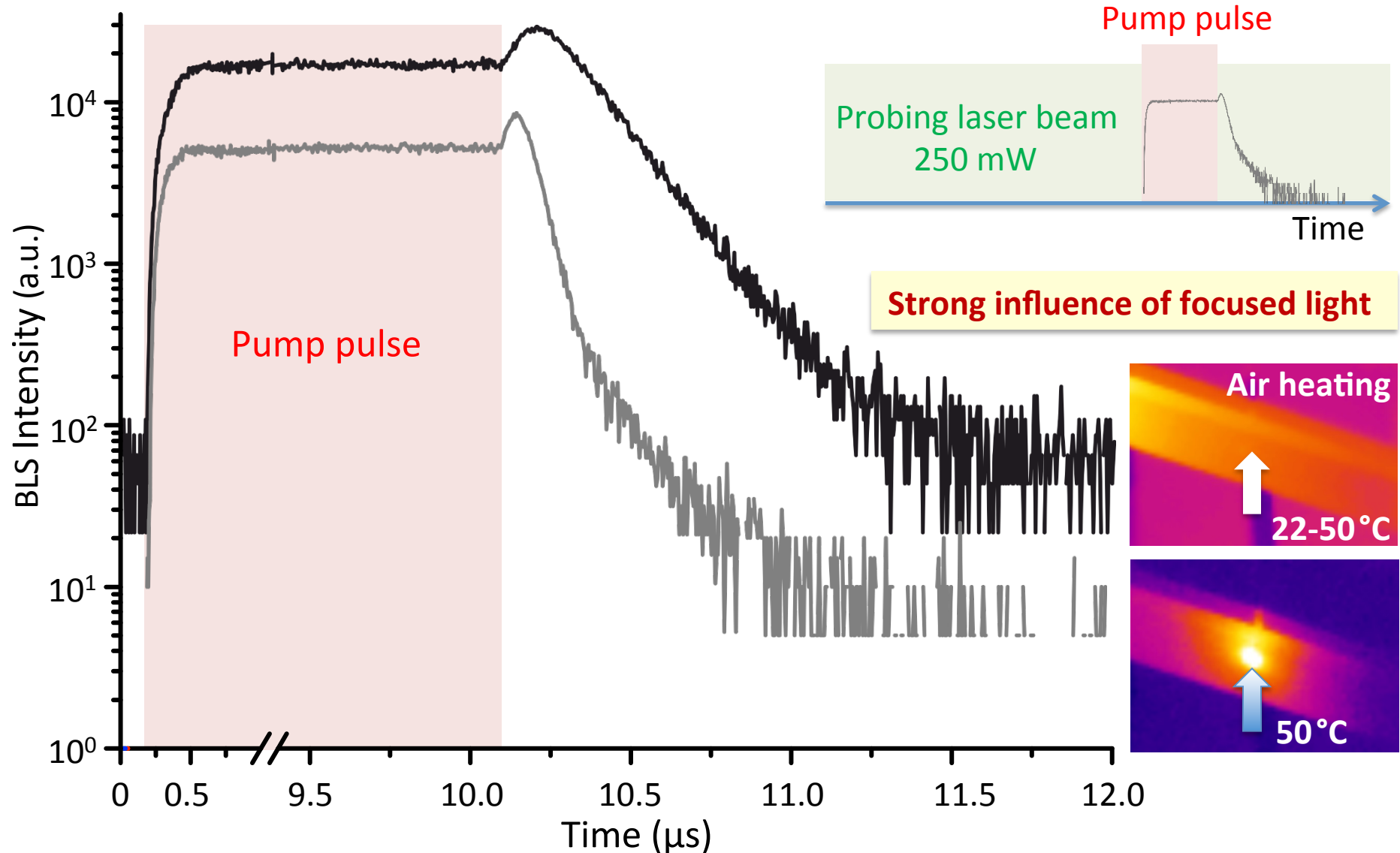
- Increasing laser power results in significant decrease of the BEC's lifetime and amplitude !
- Only weak frequency shift of BEC due to temperature change



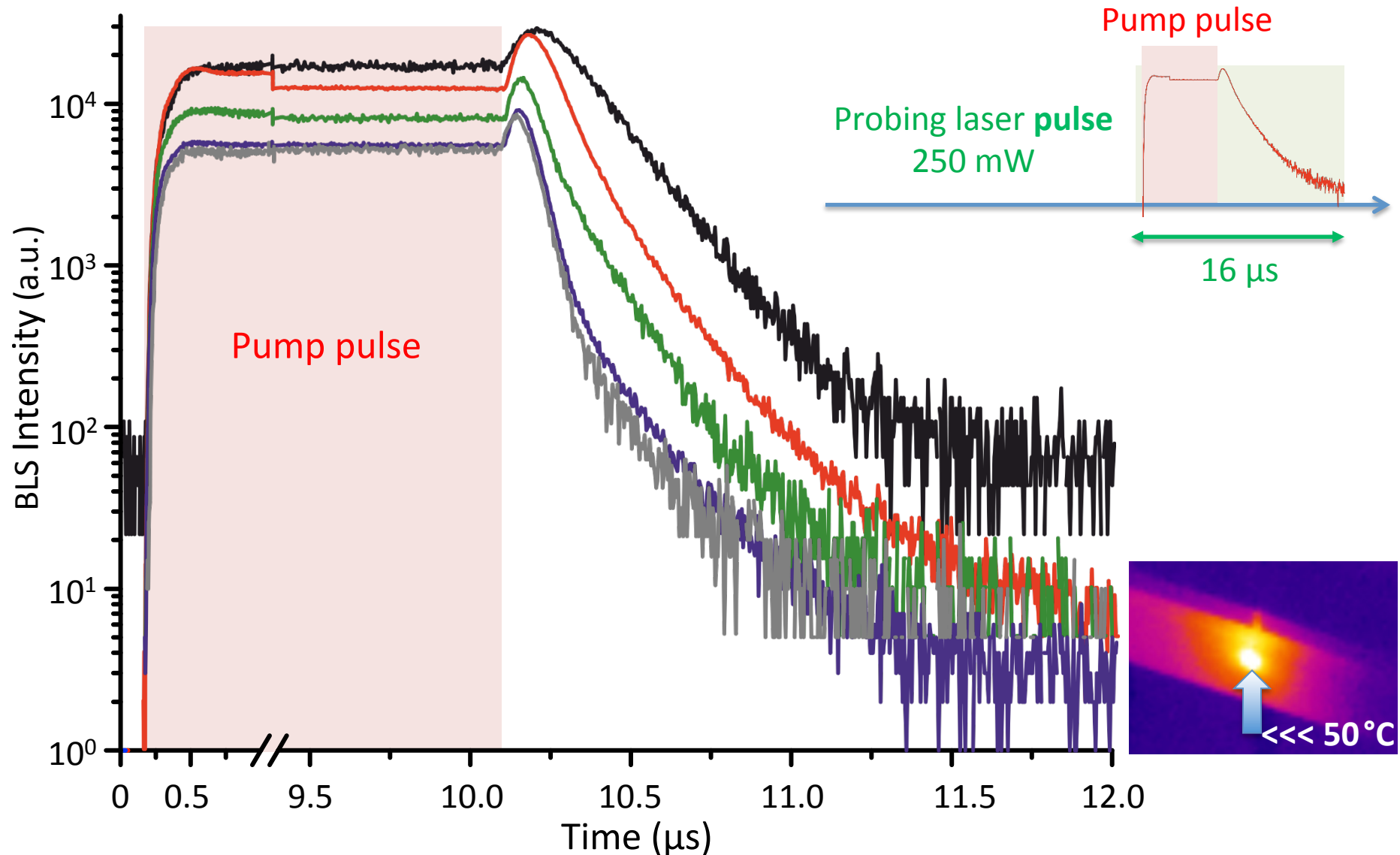
Magnon supercurrents – magnon BEC dynamics in thermal gradient



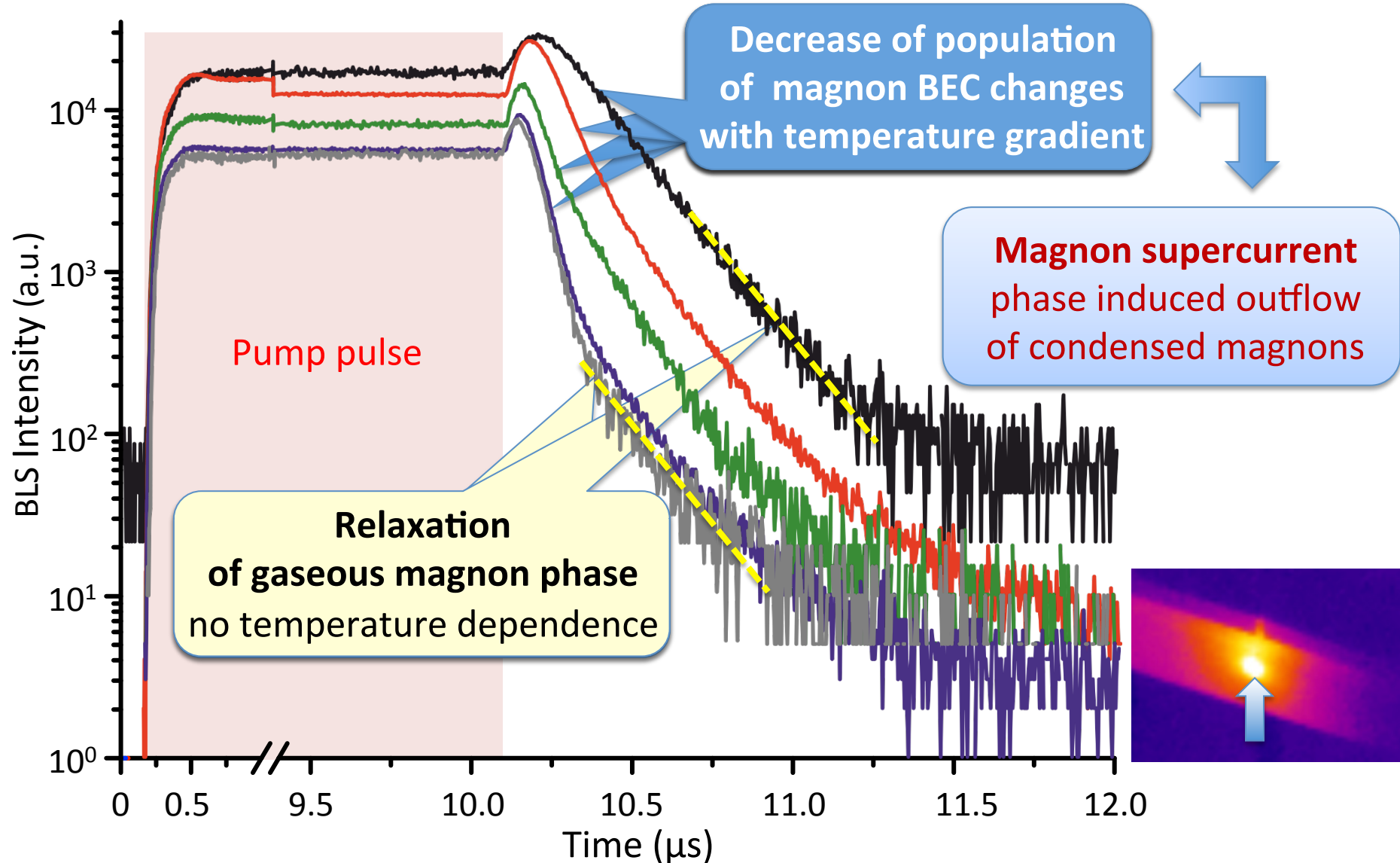
Magnon supercurrents – magnon BEC dynamics in thermal gradient

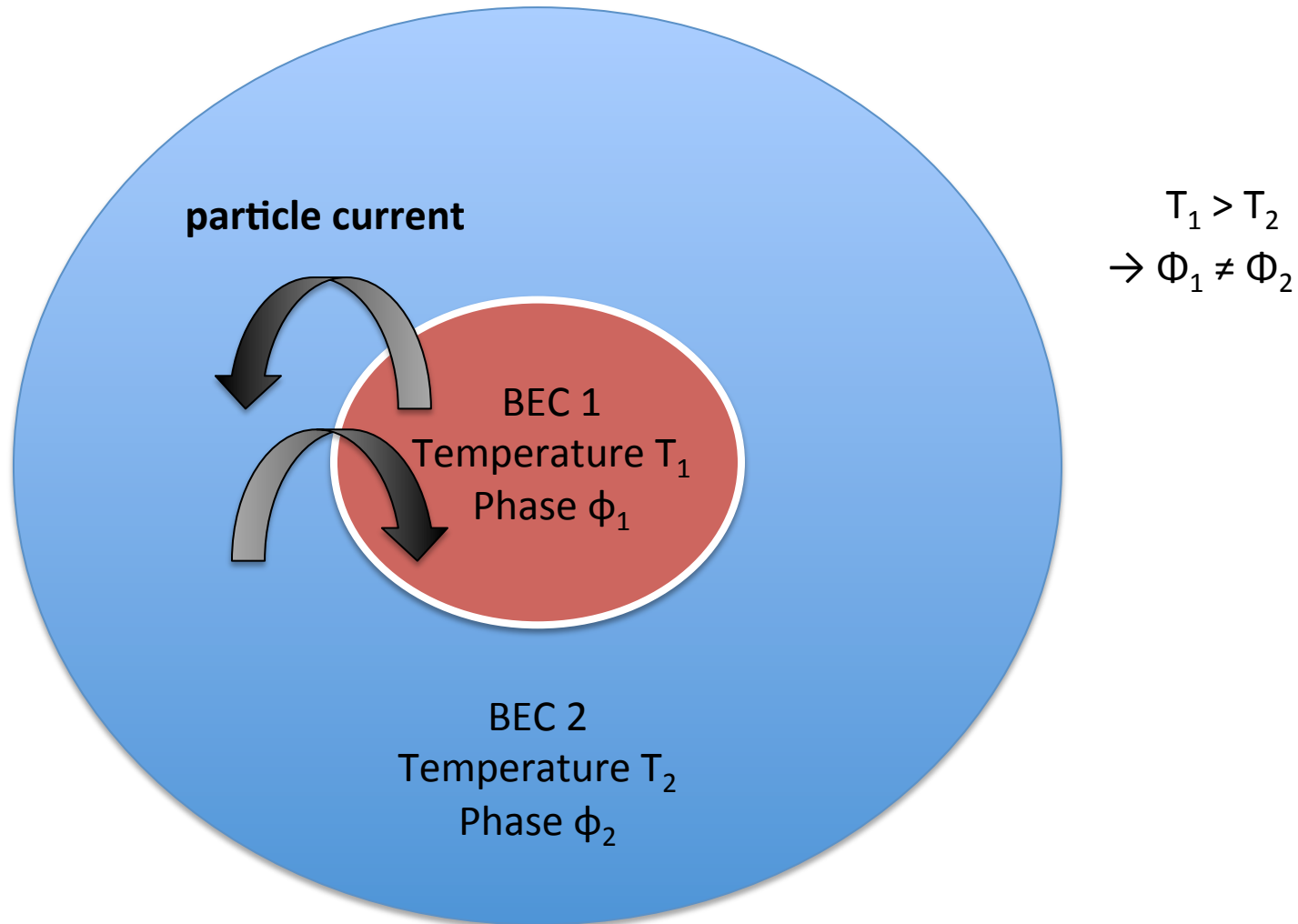


Magnon supercurrents – magnon BEC dynamics in thermal gradient



Magnon supercurrents – magnon BEC dynamics in thermal gradient



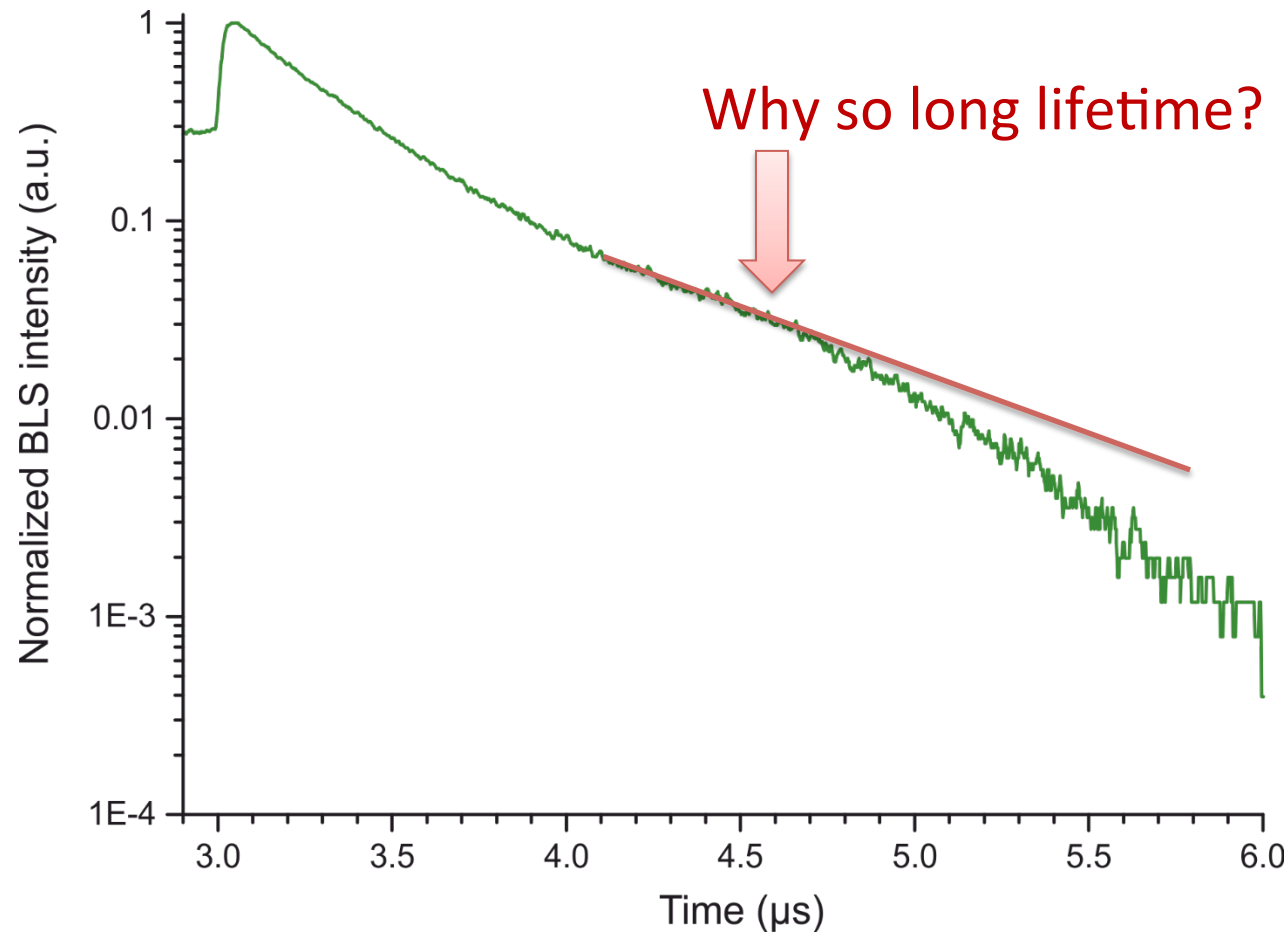


Long-lifetime BEC in thermal gradient

Sample of better quality: Magnon lifetime 700 ns

Probing laser power 0.8 mW ensures small BEC outflow

Long existence time
of the magnon BEC
in the probing point

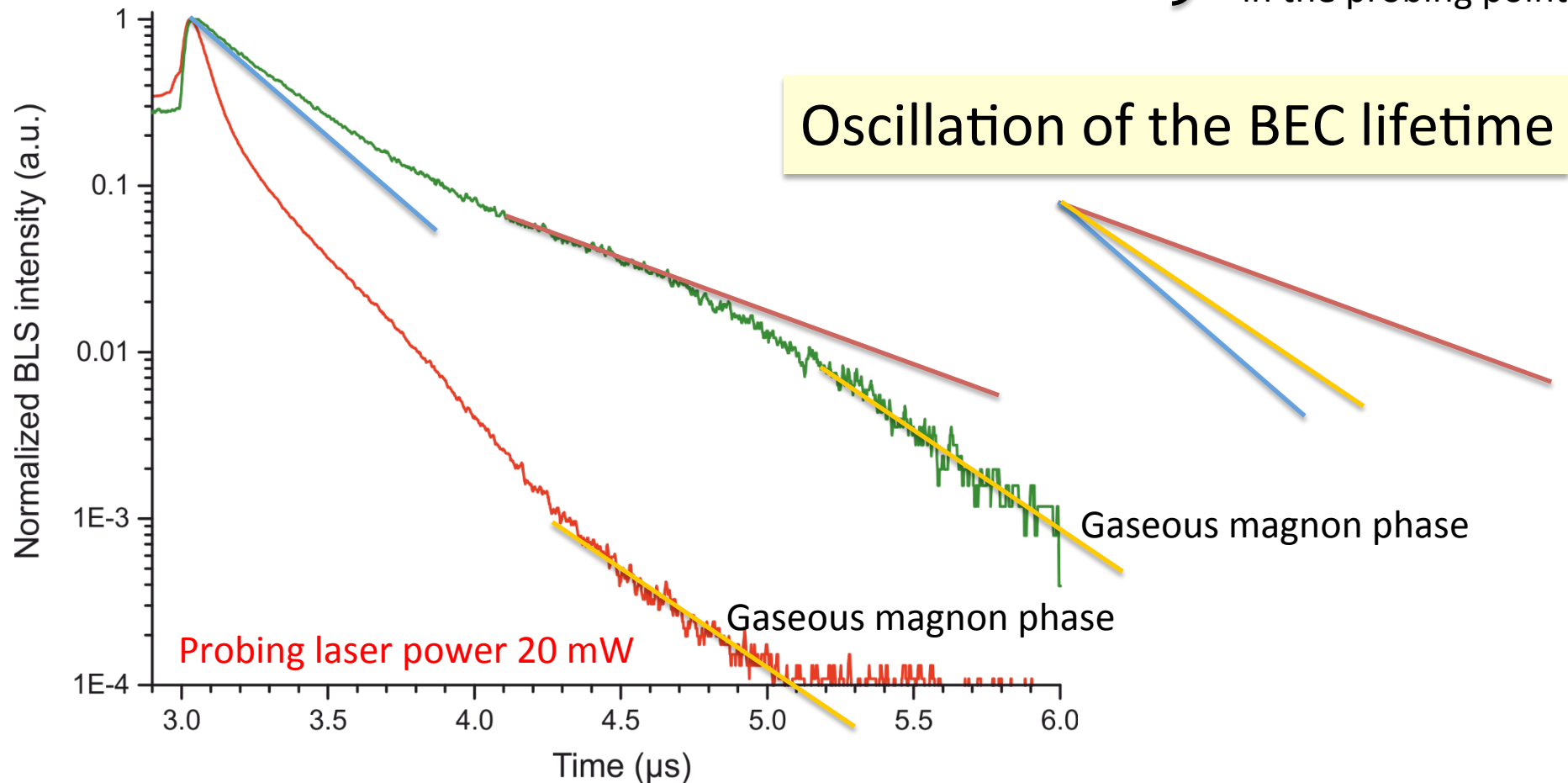


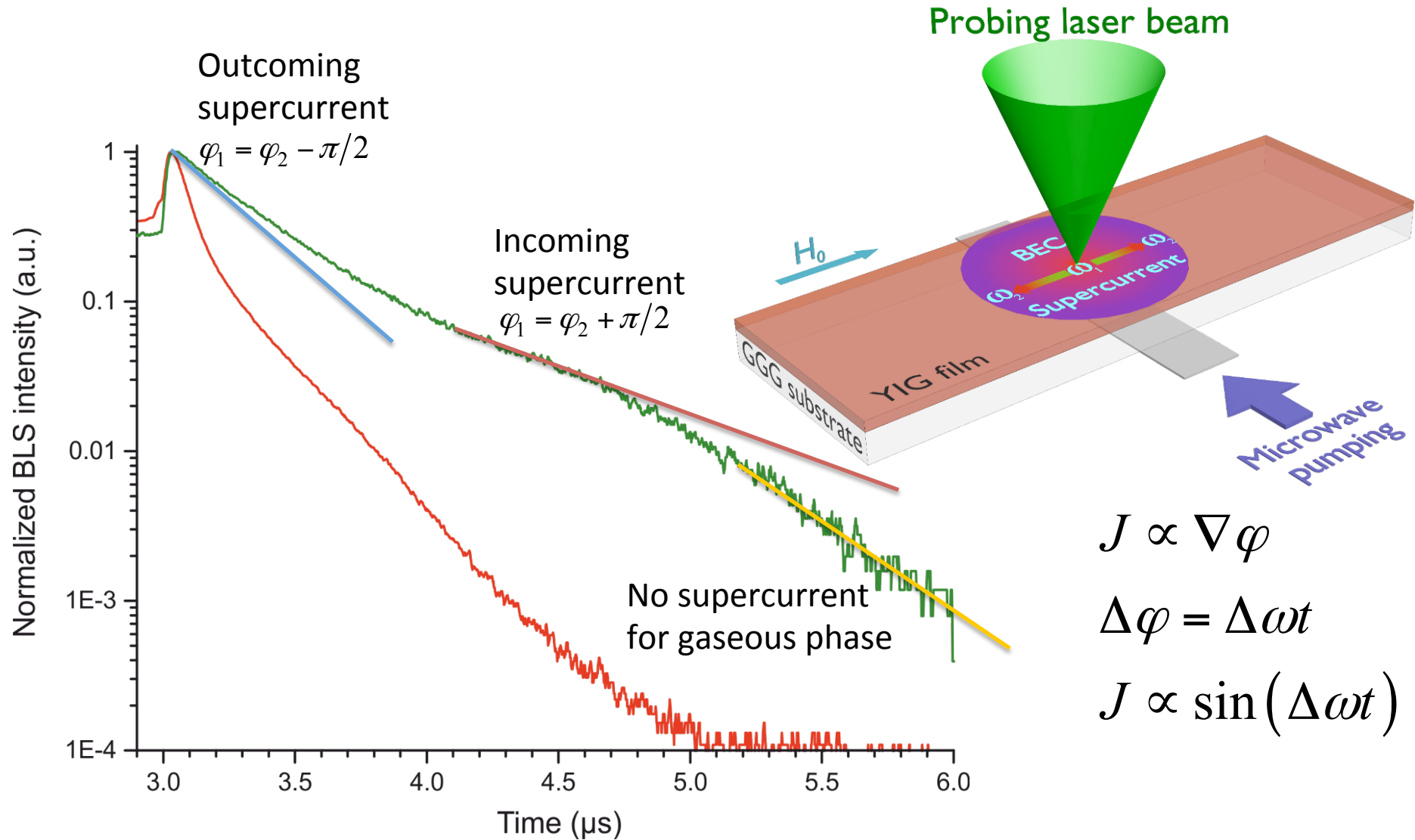
Oscillations of the BEC lifetime

Sample of better quality: Magnon lifetime 700 ns

Probing laser power 0.8 mW ensures small BEC outflow

Long existence time of the magnon BEC in the probing point





Magnonics: Challenges

